Assignment 2 - Propositional calculus theorem prover

CS386 - Artificial Intelligence

February 9, 2009

1 Specs

- 1. Given an expression E, detect if it is well formed i.e $S \to F|P|(S \to S)$
- 2. Detect if E is a theorem in the system. Halt with "yes" or "no"
- 3. Show the inference path (Use deduction theorem)
- 4. Parse the expression to get constituents. User should be able to use \sim , $\lor, \land, \rightarrow, (,)$
- 5. After getting the constituents, the expression E should be of the form $(A_1 \rightarrow (A_2 \rightarrow (A_3 \rightarrow \dots (A_n \rightarrow B))))$
- 6. Used deduction theorem and show $A_1, A_2, ..., A_n \vdash B$. Output should be an obvious set of modus ponens rules
- 7. Challenging part: The theorem prover must also ask for help in the form of
 - a previously proved theorem
 - a sub-expression proved and used through the application of axioms
- 8. System has to halt on a non-theorem saying "no"
- 9. The length of the proof will be considered.