

# Executing Incoherency Bounded Continuous Queries at Web Data Aggregators

Rajeev Gupta<sup>1</sup>  
IBM India Research Laboratory  
IIT Delhi, New Delhi, India  
grajeev@in.ibm.com

Ashish Puri, Krithi Ramamritham  
Indian Institute of Technology, Bombay  
Mumbai, India  
{ashpuri,krithi}@cse.iitb.ac.in

## ABSTRACT

Continuous queries are used to monitor changes to time varying data and to provide results useful for online decision making. Typically a user desires to obtain the value of some function over distributed data items, for example, to determine when and whether (a) the traffic entering a highway from multiple feed roads will result in congestion in a thoroughfare or (b) the value of a stock portfolio exceeds a threshold. Using the standard Web infrastructure for these applications will increase the reach of the underlying information. But, since these queries involve data from multiple sources, with sources supporting standard HTTP (pull-based) interfaces, special query processing techniques are needed. Also, these applications often have the flexibility to tolerate some incoherency, i.e., some differences between the results reported to the user and that produced from the *virtual database* made up of the distributed data sources.

In this paper, we develop and evaluate client-pull-based techniques for refreshing data so that the results of the queries over distributed data can be correctly reported, conforming to the limited incoherency acceptable to the users.

We model as well as estimate the dynamics of the data items using a probabilistic approach based on Markov Chains. Depending on the dynamics of data we adapt the data refresh times to deliver query results with the desired coherency. The commonality of data needs of multiple queries is exploited to further reduce refresh overheads. Effectiveness of our approach is demonstrated using live sources of dynamic data: the number of refreshes it requires is (a) an order of magnitude less than what we would need if every potential update is pulled from the sources, and (b) comparable to the number of messages needed by an ideal algorithm, one that knows how to optimally refresh the data from distributed data sources. Our evaluations also bring out a very practical and attractive tradeoff property of pull based approaches, e.g., a small increase in tolerable incoherency leads to a large decrease in message overheads.

## Categories and Subject Descriptors

H.3.5 [Online Information Services]: Web Based Services

---

<sup>1</sup> Work was done when author was at IIT Bombay.

## General Terms

Algorithms, Management, Measurement, Performance

## Keywords

Online decision making, continuous queries, coherency, fidelity, Markov model.

## 1. INTRODUCTION

The web is becoming a universal medium for information publication and usage. Such information is becoming more and more dynamic and usage is varying from simple tracking to on line decision making in real time. Applications include auctions, personal portfolio valuations for financial decisions, route planning based on traffic information, etc. For such applications, data from one or more independent web sources may be aggregated to trigger some action. Given the increasing number of such applications of highly dynamic data, there is significant interest in systems that can efficiently monitor the required data to get the relevant updates automatically. For example, the following network monitoring query:

```
SELECT source-department, num_packets_in_preceding_hour  
FROM campus_network_traffic_info
```

can be used to collect statistics relating to bandwidth usage by various departments in a campus. It requires continuous collection of information about data packets and their IP addresses from various routers in the campus network. A traffic policing server aggregates such information to continuously track bandwidth usage per department which can be used to generate a trigger whenever a department crosses its allocated bandwidth. Such a data aggregating server can be seen as executing a *continuous query* over the aggregate of data items by refreshing data from specific sources.

As another example, consider a user who wants to track a portfolio of stocks, in different (brokerage) accounts. He or she might be using a third party data aggregator, such as [1], which provides a unified view of financial information of interest by periodically polling information from multiple independent sources.

These queries are exemplars of a class of queries having some common characteristics:

- all these queries are long running queries as data is continuously changing and user is interested in notifications when certain conditions hold. Thus, responses to these queries are refreshed continuously.

- to generate the response, aggregation of data from multiple sources is required. As a result, executing such queries at data sources may not be feasible.

- users are likely to tolerate some incoherency in the results. That is, the exact data values at the corresponding data sources need not be reported as long as the query results satisfy user specified coherency requirements. For instance, for the network monitoring query, users may be satisfied with an accuracy of 100 for the *num\_packets\_in\_preceding\_hour*. Portfolio trackers may be happy with an accuracy of \$10.

Henceforth we refer to such queries as Continuous Multi-data Incoherency bounded Queries (COMIQs). Specifically, we consider queries which correspond to weighted aggregation of a number of data items, e.g., in the case of portfolio queries, the number of shares held in each stock forms the weights of the corresponding stock values.

In this paper we consider the efficient execution of COMIQs at data aggregators that are positioned within the Web infrastructure. Our aim is to execute such queries using the existing web infrastructure, achieving client specified requirements and minimizing load on the network and the data sources. Figure 1 shows the typical scenario where clients want to execute continuous queries at web data aggregators. Since these queries need data from multiple sources, clients pose these queries to data aggregators (DAs) who get the desired data items from data sources and execute the queries.

### 1.1 Executing COMIQs at Data Aggregators

Users can specify the acceptable incoherency as one or more of temporal, value based or updates based incoherency [16]. In this paper we consider value based incoherency, that is incoherency in the value or results of a query, as we feel that the user's requirement is more likely to be specified in value form, and further, other forms of incoherencies can be handled through much simpler approaches [25]. In such cases, a DA needs to ensure that the incoherency in the query results -- when compared to the result obtained using the precise data item values -- is maintained at or below the level desired by the client. Besides the bounded incoherency, another parameter of importance for the client is the fidelity delivered. 100% fidelity implies that client's incoherency bound is never violated. Thus, with every aggregation query the client also specifies its corresponding incoherency bound and fidelity desired. Section 1.2 makes these notions more precise.

The required data updates for query evaluation at a DA can be obtained either by sources pushing them continuously or the DA pulling them whenever required. In both these cases, it is desired that client's coherency and fidelity requirements are met with the minimum number of data value refresh messages. Thus efficiency of query evaluation at the DA is quantified in terms of the number of refreshes done for various data items involved in the queries executing at the DA. Reducing the number of refreshes reduces computational overheads at the DA, load on the data servers and network bandwidth. Since data sources have exact data values, we can expect that a push based approach can deliver the required bounded incoherency with the given fidelity using a smaller number of refresh messages. Push capable sources can efficiently filter data based on client requirements. But push based

approaches have a few disadvantages: (1) every update to data values needs to be checked for push by the data sources, (2) any push based scheme requires continuously open network connection to clients, thereby affecting the scalability of a push based solution, (3) they need sophisticated handling when multiple sources are involved [6], and finally, (4) recent practical attempts at adding push capabilities into the web infrastructure have not been very successful for a variety of reasons [2].

For web based data sources, the pull based approach is very attractive since it does not require any modification to existing web servers and the standard HTTP protocol can be used by DAs to pull data from the data sources. However, a key challenge in any pull based scheme is to ensure that the data items are refreshed carefully by the DA so that user requirements are satisfied with minimum number of data refreshes. This paper addresses this challenge by developing and evaluating mechanisms through which continuous queries can be answered efficiently using pull based approaches. In the rest of this section we give a mathematical formulation for the problem and then provide an overview of the solution.

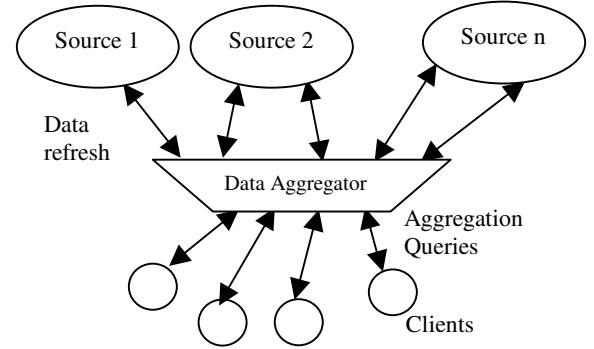


Figure 1: Query execution at data aggregators

### 1.2 Mathematical Formulation

A COMIQ  $q$  is a function of a set of data items  $D^q$ , their associated weights  $W^q$ , tolerable incoherency  $B^q$  and fidelity desired  $f^q$  for the query results. Every data item  $i \in D^q$  may have its value ( $d_i$ ) at a DA, different from its value ( $s_i$ ) at its source. Let  $w_i^q$  be the weight associated with the data item. Formally, value of a COMIQ is a function of  $D^q$  and  $W^q$  where the function could be SUM, MIN, MAX, AVG, etc. In this paper, we focus on SUM queries as these are likely to be more common in practice, as exemplified by portfolio and traffic aggregation queries. In a SUM query, value of COMIQ  $q$  involving  $n_q$  data items, at time  $t$ , is given by

$$V_s^q(t) = \sum_{i=1}^{i=n_q} s_i(t) \times w_i^q \quad (1)$$

This is the value of COMIQ in the idealized case if all the data values can be made available immediately at the DA. In practice, the value of data item known at a DA may be different from that at the source. The last known value of the  $i^{th}$  data item at a DA, is  $d_i$ . Thus the value of COMIQ  $q$  at the DA is

$$V_d^q(t) = \sum_{i=1}^{i=n_q} d_i(t) \times w_i^q \quad (2)$$

The key problem is to make the  $d_i$ 's track the  $s_i$ 's close enough at time  $t$  so that COMIQ's incoherency is within the user specified incoherency bound:

$$E^q(t) = |V_s^q(t) - V_d^q(t)| \leq B^q \quad (3)$$

i.e., the value of the COMIQ at a DA (Equation (2)) should not diverge from that at data sources (Equation (1)) by more than the client specified incoherency bound  $B^q$ . To this end, DA must pull data items intelligently from data sources. Upon receiving a data request for  $i^{th}$  data from DA, the data source responds with the latest value  $s_i$  of the data. With the latest data value ( $d_i = s_i$ ), DA re-computes the query and sends the query result to the client if warranted, i.e., if the difference between the query result last reported to the client and the latest result exceeds  $B^q$ .

Fidelity  $f^q$  is the measure indicating the degree to which the DA should satisfy Equation (3). We can define fidelity as follows. At time  $t$ , let  $I_{E^q(t) \leq B^q}$  be 1 if the coherency requirement is met

for a query  $q$  having incoherency bound  $B^q$ , that is,  $E^q(t) \leq B^q$ , and 0 otherwise. Then

$$f_{B^q}(t) = \frac{1}{t} \int_0^t I_{\{E(y) \leq B^q\}}(y) dy \quad (4)$$

gives the fraction of time when the query coherency requirement is met by a DA. We define fidelity achieved  $f = \lim_{t \rightarrow \infty} f_{B^q}(t)$  to be the limiting average. In practice, fidelity is averaged over a long time window of several hours. Thus the problem is to deliver the query results with bounded incoherency and user specified fidelity requirements, i.e.,  $f \geq f^q$ .

### 1.3 Summary of Contributions

In practice, for keeping track of dynamic data, web based applications pull the data periodically. For example, various sports sites use applets to refresh scores periodically [3]. This approach does not take into account the specific needs of clients or the dynamics of data, leading to (a) high communication overheads and large load on servers in case the period is small or (b) low fidelity in case the period is large. A better approach will not only take the relative importance of the data into account but also adapt itself to the data dynamics. We now state three key observations and show how they lead to such an approach.

#### 1.3.1 Key Observations

*Observation 1:* Typical dynamic data display trends in quantum, speed and direction of change; which can be learned and used for adaptive decision making. By refreshing fast changing data at higher rates and slow changing data at lower rates, we can maintain coherency of the query results while reducing server and network overheads.

*Observation 2:* User needs are query specific, not data specific. A user is interested in a COMIQ's results being within bounded incoherency and not in the exact values of data items. Hence, as long as the DA satisfies coherency requirements, even if a data

item is changing rapidly, there may be no need to follow that change. In other words, DA needs to be aware of only those updates to the data items which may lead to COMIQ's incoherency crossing the user specified bound.

*Observation 3:* Data refreshes can be optimized across multiple COMIQs. Among various queries executing at a DA, a data item may be involved in more than one COMIQ. Thus when a data item is refreshed for one COMIQ, it can be used for other queries that involve the refreshed data item. This can be used to postpone the pulls of other data needed by these queries. Intuitively, if a data item affects more COMIQs, it should be given priority when decisions are made as to which data items to pull.

#### 1.3.2 Overview of Solution

First we list the sub-problems that need to be solved.

(a) For answering COMIQs at a DA, data items involved in queries are required to be pulled. When should we pull a data item so that user specified coherency and fidelity requirements are satisfied with minimum number of pulls? Data items are pulled when it is estimated that one or more queries have violated their incoherency bounds. To estimate the results of a query, we need to estimate the current values for the data items involved in the query. We give a procedure to track the dynamics of data so that we can predict the data values.

(b) User requirements are query specific so we need not pull all the data items involved in a query. How can we identify the subset of data items to be pulled? In our scheme only those data items are pulled whose up-to-date values are deemed to be needed to handle the incoherency bound violation of the queries.

(c) Since the previous two decisions are based on estimates, how can a user specified fidelity be delivered? Given the dynamic nature of data, and the fact that we are using a pull based mechanism based on data prediction, it is necessary to be adaptive in the decision making. We use a feedback based mechanism for achieving client specified fidelity.

Based on the observations and issues outlined above, we solve the problem of answering COMIQs efficiently at a DA using an approach whose ingredients are:

- The dynamics of the data is modeled using a Markov chain based method. As per observation 1, data values display trends which can be used to estimate changes in the data item values in a given time interval. We predict drift in data values using Markov chains. For estimating the effects of external factors, which are not captured by the Markov chain, we add a diffusion component to the drift component.

These estimated data values are used for estimating the query results. The query result estimates are used for deciding when to pull specific data items so that user specified incoherency and fidelity requirements are met. Details are provided in Section 2.

- Decision about which data items to refresh are taken after considering the impact of estimated data values on query coherency. We selectively refresh data items so that the number of refreshes can be minimized. We show that an optimal selection of data items to refresh is

NP-hard and hence develop heuristics which are shown through experiments to be very effective. We compare the performance of our heuristics among themselves and with a baseline. Details are in Section 3.

- Given the user specified incoherency bound and fidelity requirements, we propose a feedback based mechanism to adaptively set the actual incoherency bound to be used in Equation (3). We set the incoherency bound based on the fidelity desired by the client and the fidelity delivered so far by the DA. Details are discussed in Section 4.
- For the Markov model and the feedback based mechanism we use the refreshed data values to estimate the missing updates (i.e., updates that occur between two pull instances). So, we compare the performance with the case where the data source sends all the missed updates of the data items whenever DA pulls a data item from the source. Our performance evaluation indicates a surprising result: there is very little to be gained by using (exact) missed values. Details follow in Section 5.

Thus, this paper addresses an important issue in executing aggregate queries over multiple web based data items without a need for any additional infrastructure beyond the standard pull based client infrastructure. The performance of our solution is shown by using real world dynamic data traces to be very effective in handling COMIQs. Related work is discussed in Section 6. The paper concludes in Section 7.

## 2. MODELING THE DYNAMICS OF DATA

Probabilistic models are used for modeling random stochastic processes. A Markov chain models a random process in which a certain future state is dependent only on the current state or the last few states immediately preceding the current state. We can model dynamic data using a Markov model by learning its generating process. This is devised in Section 2.1. As dynamic data show trends, we can follow these trends to predict future values; e.g., if there is upward trend in temperature values then the probability of going further up is higher than that of going down. This feature can be captured by modeling data as if they are being generated using Markov chains. We use Discrete Time Markov Chains (DTMC) to model the data dynamics and use the modeled dynamics as shown in Section 2.2 to predict the most probable value of data after a given time interval. To take into account external factors which are not captured by the Markov chain we add a diffusion term, explained in Section 2.3, to the prediction made by the DTMC to get the predicted data value.

### 2.1 Modeling Data Dynamics Using Markov Model

A Markov model is characterized by a set of states and their transition probabilities. We associate change in data value between consecutive ticks as the distinguishing factor for the Markov states. For a Markov chain with a certain number of states, the data change associated with a state is uniformly chosen to predict changes of different magnitudes and direction (positive or negative). The number of Markov states for a data item depends on how closely the DA needs to monitor a data item. Figure 2 shows a typical Markov model used for modeling data

change behavior with five states corresponding to five different data value changes per tick (to avoid clutter we have not shown self transitions). Formally, let  $t_1, t_2, t_3 \dots$  denote consecutive periodic ticks. If the predicted value of data item at  $t_1$  is  $d$  and the Markov model is in a state corresponding to  $n\delta$ , then predicted value at  $t_2$  will be  $d + n\delta$  and subsequently if the chain transits to state corresponding to  $-\delta$ , then predicted value at  $t_3$  will be  $d + n\delta - \delta$ .

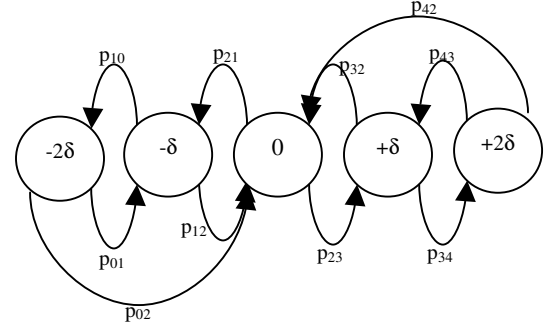


Figure 2: A typical Markov model

We create a DTMC for each of the data items involved in the continuous queries at a DA. Transition probabilities between various states of the model are determined using past observations of changes to data values. As more and more data is pulled, these transition probabilities are readjusted based on previous transition probabilities and current observations. We keep transition counters  $C(i,j)$  from each state  $i$  to every other state  $j$  in the DTMC. After each pull we add transition counts for two entries. If a data item is pulled after  $m$  time ticks, we assume that the data value has changed uniformly between the last pulled value and the current value. We calculate change per unit time and transition counters are updated assuming that there was one transition from the previous state to new state and  $(m-1)$  self transitions for the new state. Thus, if the previous state was  $x$  and state corresponding to average data change per interval since last pull is  $y$ , we increase the count  $C(x,y)$  by 1 and  $C(y,y)$  by  $(m-1)$ . Since we are not pulling after every possible update at the data source, does the missing information have a negative impact on the effectiveness of the algorithm? Our performance results in Section 5 indicate that this is not the case.

The transition probabilities are calculated from transition-counters using,

$$p(x, y) = \frac{C(x, y)}{\sum_{\forall y} C(x, y)} \quad (5)$$

We use these transition probabilities when we need to predict the data value at future time instances.

### 2.2 Estimating Future Changes in Data Values and Query Results

We need to refresh data items involved in a query whenever the condition specified by Equation (3) is violated. But, for checking that condition we need the values of data items at the source, which we have only when we pull from the sources. Thus, instead of value of the data items at the source we use the predicated

values of the data items. For the sack of simplicity, we assume that values of two different data items are not correlated. We need to predict data values at the sources between consecutive pulls to make the pulling decision. To predict the quantum of change in a data item value, at every tick, the DTMC for that item is “executed”, i.e., a state transition is taken based on probabilities given by Equation (5). Suppose we last pulled the data at time  $t_i$  and value of data at that time was  $s(t_i)$ . We set  $d(t_i)$  as the pulled value  $s(t_i)$ . Now if any time  $t_k$  the model reaches the state  $z$  via states  $x, y, \dots, z$ , at times  $t_i, t_{i+1}, t_{i+2}, \dots, t_k$  respectively. Then the estimated value of the data item at  $t_k$  is  $d(t_i) + v(x) + v(y) + \dots + v(z)$ , where function  $v$  maps a state to the corresponding change in the data values (in Figure 2,  $v(0) = -2\delta, v(1) = -\delta, v(2) = 0$ , etc.). We denote the data incoherency predicted for  $i^{th}$  data item at time  $t_k$  by  $PC_{ik}$ . Thus  $PC_{ik} = v(x) + v(y) + \dots + v(z)$ . At each time unit, incoherency in the data items is predicted and successive changes since the last pull of a data item are accumulated to estimate the change from the last pulled value. Incoherency of a COMIQ is the weighted sum of incoherency of the data items involved in that COMIQ. Thus, at each time tick  $t_k$  for every query  $q$ , the incoherency predicted by the model can be calculated using:

$$Incoherency^q(k) = \left| \sum_{i=1}^{n_q} (PC_{ik} \times w_i^q) \right| \quad (6)$$

Here  $PC_{ik}$  is the change predicted by the data model for the  $i^{th}$  data item at the  $k^{th}$  time instance and  $w_i^q$  is the weight of  $i^{th}$  data item for the query  $q$ , which refers to  $n_q$  data items. Thus query incoherency can be written as the weighted sum of data incoherencies. At any time  $t_k$  if the query incoherency for a query exceeds the user incoherency bound  $B^q$ , the constituent data items are candidates for pulling. In Section 3, we explain how we can reduce the system overhead by judiciously pulling only a subset of the candidate data items. However, in order to limit the staleness of data items at DA, each data item is pulled at least once every  $TTRMAX$  (maximum time to refresh).

### 2.3 Accounting for the Effects of External Factors

We employ a technique called *self correction* to learn from the effect of past estimations. In the last section we showed how to predict data item values using Markov chain transitions. To take into account external factors which are not captured by the Markov chain we calculate a diffusion component of the data value change [4]. A diffusion component  $dX_{ij}$  is added to the drift component estimated using Markov model to get the estimated data value for the  $i^{th}$  data item between  $j^{th}$  and  $(j+1)^{th}$  pull. In general, diffusion component is modeled as a running average of data change due to external factors. Assuming  $j^{th}$  pull of  $i^{th}$  data item occurred at time  $t_k$  and  $(j+1)^{th}$  pull at time  $t_l$ . Suppose at  $t_l$ , predicted change was  $PC_{il}$ , and the actual change was  $AC_{il}$  (based on the current and last pulled values). We calculate the self correction term as,

$$dX_{i,j+1} = \frac{L \times (AC_{il} - PC_{il})}{t_l - t_k} + (1-L) \times dX_{ij} \quad (7)$$

In this equation, the first term is the contribution of the average unexpected change over the last pull interval. The second term is to take an exponentially smoothed value of data change due to

external factors, using smoothing constant  $L(0 \leq L \leq 1)$ . This diffusion component is added to the drift component estimated using the Markov model till the next pull instance, i.e., for each tick  $h$  between  $j^{th}$  and  $(j+1)^{th}$  pull,

$$PC_{ih} = PC_{ih} + dX_{ij} \quad (8)$$

This modified value of  $PC_{ih}$  is used for predicting query incoherency (Equation (6)) and refresh times as explained in the previous section.

As we shall show, the Markov model along with *self correction* serves as a good starting point to model dynamics of data and is able to deliver at least 90% fidelity. The additional algorithm components, discussed in subsequent sections help deliver user specified fidelity at reduced refresh costs.

## 3. CHOOSING DATA ITEMS TO BE REFRESHED

As discussed so far, individual data items are modeled using a probabilistic model with self correction and the data items are pulled whenever the estimated query incoherency given by Equation (6) exceeds the query incoherency bound  $B^q$ . When a query incoherency crosses its bound, a simple approach could be to pull all the data items needed to compute a COMIQ's result. But as noted in Observation 2 (Section 1.3), users are not interested in coherent data values rather they are concerned with coherent query results. Pulling all the data items can lead to wastage of network and server resources. There might be some data items which are changing very fast or have more weight (thus have a large contribution to query's incoherency) compared to other data items which are changing slowly or have very low weight (thus have insignificant impact on the overall query results). Obviously, fast changing data items and ones having large weight should be pulled more often to keep the query result within the user specified incoherency bound.

We can formulate the problem, of selecting data items for refreshing, as an optimization problem. In this paper we assume that all data items incur the same network and server overheads for refresh. Thus, we need to minimize the number of data items to pull for minimizing the network overheads. Extending the problem for varying overheads is the subject of our future research.

### 3.1 Optimizing Pulls is NP-hard

The problem of selecting data items to pull can be explained using Equation (6): if a query has incoherency which is more than the user specified bound, we need to pull enough data items so that query incoherency is below the user specified bound. Thus, we need to satisfy a set of equations of the form

$$\left| \sum_{i=1}^{n_q} PC_{ik} \times w_i^q \right| \leq B^q, \forall q \in Q \quad (9)$$

for all queries being executed at a DA. Here  $n_q$  is the number of data items appearing in a query  $q \in Q$  being executed at the DA. Such a set of equations is there for each time tick  $t_k$ . Of the queries in the set  $Q$ , for selective refresh, we need to consider only those queries whose incoherency bounds are violated i.e, for these queries Equation (9) does not hold. Let such set be  $Q' \subseteq Q$ . All data items involved in these queries are candidates for pulling. Let

the queries in set  $Q'$  have in total  $m$  data items. We need to pull some of these  $m$  data items. We represent the decision to pull the  $i^{th}$  data item by  $x_i$  such that  $x_i$  is 0 if the data item needs to be pulled and 1 otherwise. The problem of deciding which data items to be pulled can be represented as finding values of  $x_i \in \{0,1\}, 1 \leq i \leq m$ ,

$$\begin{aligned} \max \quad & \sum_{1 \leq i \leq m} x_i \quad s.t. \\ & \left| \sum_{i=1}^{n_q} PC_{ik} \times w_i^q \times x_i \right| \leq B^q, \forall q \in Q', 1 \leq i \leq m \end{aligned} \quad (10)$$

The optimizing condition represents the fact that we want to pull as few data items as possible and the constraints that the query incoherency should be less than the user specified incoherency bound. Thus, we need to satisfy a set of equations given by Equation (9) while making as few  $x_i$  as 0 as possible. If a data item does not appear in a query we set that weight as 0. It should be noted that if all  $x_i$ 's are 1, then Equation (9) is violated for all  $q \in Q'$ . We pull the data items whose  $x_i$  is 0, and, by pulling we remove their contribution to the query incoherency. Any  $\{0,1\}$  integer programming problem can be mapped to the problem depicted by Equation (10), where minimizing number of pulls leads to optimization in the integer programming problem. Thus, the problem depicted by Equation (10) is NP-hard [25]. In general, there is no known approximate algorithm for such a problem. Using an algorithm like branch and bound is too inefficient for these real time decisions. Thus we have devised heuristic algorithms to solve the problem.

In the rest of this section, we examine the algorithms for selecting data items to refresh. We first consider the case of a single query, being executed independently at a DA. Next we consider multi-COMIQ case in which a DA needs to execute COMIQs with overlapping data items.

### 3.2 Base Case: Single COMIQ

For optimizing the number of pulls, we need to pull data items such that query incoherency is within the user specified bound. From Equation (10), it is clear that for reducing the number of pulls, we should be pulling data items having higher weight ( $w_i^q$ ) or higher predicted incoherency ( $PC_{ik}$ ) or both. We examine several approaches to solve the problem of selective refresh.

First we treat each data item separately by dividing query incoherency bound ( $B^q$ ) among data items involved in that query. If we divide the query incoherency bound such that any violation of individual data incoherency bounds may lead to violation of the query incoherency bound, we need to pull data items whenever their estimated *data incoherency* crosses their individual incoherency bounds. Such approaches have been used in literature [6]. We devise one such approach, called *data incoherency algorithm*, to compare with our query incoherency algorithms. In this algorithm query incoherency bound is mapped to data incoherency bounds based on the weights of various data items. For the query given by Equation (2), incoherency bound of  $i^{th}$  data item is calculated as follows:

$$B_i^q = \frac{\sum_{j=1}^n w_j^q - w_i^q}{\sum_{j=1}^n w_j^q} \times \frac{B^q}{w_i^q \times (n_q - 1)} \quad (11)$$

where  $n_q$  is the number of data items in the query and  $B_i^q$  is the incoherency bound of the  $i^{th}$  data item involved in query  $q$ . In this approach a data item having more weight is assigned low incoherency bound, thus, the data item is likely to be pulled more often.

In the rest of this section, we use the query incoherency bound directly to find data refresh intervals (without mapping query incoherency bound to data incoherency bounds). We devise two heuristic algorithms to solve the problem: *positive-negative algorithm* and *max algorithm*, which we describe in following subsections. Through performance results we show that this approach, of not dividing query incoherency among individual data item incoherencies, is more efficient compared to *data incoherency* based approaches.

Although in this subsection we focus on a single COMIQ case, our approach also applies to the multiple COMIQ cases where the sets of data items involved in various queries are disjoint. Thus, in such cases, we can treat each query independent of the others. The case where data items of multiple queries intersect is discussed in Section 3.3.

#### 3.2.1 Positive–Negative Algorithm

The query incoherency, given by Equation (6), can be represented as the absolute difference between weighted incoherency of the data items having positive incoherency ( $PC_{ik} > 0$ ) and that having negative incoherency ( $PC_{ik} < 0$ ).

Intuitively, it appears that if we pull data items from both sets they may nullify the effects of each other with no improvement in coherency. This observation underlies the design of the *positive-negative algorithm*: To reduce query incoherency, it just pulls either data items with positive incoherency or data items with negative incoherency, the former in case the query incoherency is positive, the latter otherwise.

Figure 3 gives the pseudo code for the algorithm. In this figure, “incoherency” refers to query incoherency while  $PC_{ik}$  refers to the predicted incoherency of the individual data items. In this algorithm, we segregate the data items among ones estimated to have a positive incoherency ( $PC_{ik} > 0$ ) and another having negative incoherency ( $PC_{ik} < 0$ ). We pull a data item from the set having higher total weighed incoherency. Further, from the selected set we pull a data item having maximum absolute weighted incoherency which is less than the estimated incoherency of the query. If there is no such data item, we pull all the data items of that set.

For example, consider a query with four data items ( $D_i, i=1,2,3,4$ ) with an incoherency bound of 200. Let the estimated weighted coherencies  $w_i^q \times PC_{ik}$  of data items at some time  $t_k$  be 500, 75, –200, and –150, respectively. The query incoherency is 225 which is greater than the incoherency bound, thus we need to pull one or more data items. Since query incoherency is positive, we should be pulling data items having positive weighted incoherency. Thus, we need to pull data item  $D_1$  or  $D_2$  or both. As

per the algorithm, we will pull the data item  $D_2$ . It can be seen that if we pull  $D_1$ , query incoherency will be minus 275, whose absolute value is more than the incoherency bound and hence will not help in handling the violation of the bound. So, we should pull the data item whose incoherency is less than the query incoherency.

```

pset = set of positive  $PC_{ik}$  for certain  $t_k$ 
nset = set of negative  $PC_{ik}$  for certain  $t_k$ 
psum = sum of all  $w_i * PC_{ik}$  in pset
nsum = sum of all  $w_i * |PC_{ik}|$  in nset
while(incoherency >  $B^q$ )
    if( psum > nsum)
        if(( $p \in pset$ ) & ( $w_p * PC_{pk} < \text{incoherency}$ ) &
            ( $p: w_p * PC_{pk} = \max(w_i * PC_{ik}, \forall i$ )))
            pull data item  $p$ ;
            incoherency  $\leftarrow w_p * PC_{pk}$ 
        if there is no such data item,
            pull all data items from pset
    else
        if(( $n \in nset$ ) & ( $w_n * PC_{nk} < \text{incoherency}$ ) &
            ( $n: w_n * PC_{nk} = \min(w_i * PC_{ik}, \forall i$ )))
            pull data item  $n$ ;
            incoherency  $\leftarrow w_n * PC_{nk}$ 
        if there is no such data item,
            pull all data items from nset

```

**Figure 3: Positive-negative algorithm for single COMIQ case**

### 3.2.2 Max Algorithm

In the *max-algorithm* we use a greedy approach of pulling the data items which have the high absolute weighted incoherency. Specifically, we calculate  $|w_i^q \times PC_{ik}|$  for all the data items involved in the query. We get the data item with the maximum absolute weighted incoherency. Then we pull all the data items whose pulling will reduce incoherency by *PULLRATIO* multiplied by *max weighted incoherency*, i.e., all the data items with absolute weighted incoherency  $> |PULLRATIO \times \text{max weighted incoherency}|$  are pulled. This ensures that data items which are changing the query result in a significant way are pulled. In the example enumerated in Section 3.2.1,  $D_1$  has the maximum absolute value of weighted incoherency of 500. For *PULLRATIO*=0.8, we will be all the data items having absolute weighted incoherency of 400 or more. Thus, we will be pulling only  $D_1$ .

It should be noted that while in *positive-negative algorithm* we pull enough data items at each tick to maintain query incoherency within the user specified incoherency bound; in *max-algorithm* we just pull the data items with high incoherencies. We now compare the performance of these approaches before moving to the multi-COMIQ case.

### 3.2.3 Performance Comparison of Algorithms

For performance measurements, we use portfolio queries using 20 different stock items. A sequence of data values, corresponding to each stock price was constructed through repeated polling of

<http://finance.yahoo.com>. Trace for each stock consisted of 3000 values, so if a DA desired to track changes on each tick it has to perform 3000 refreshes per data item. Table 1 shows the stocks used and their typical values in USD.

We constructed COMIQs with each query having between 2 to 8 stocks uniformly distributed. Weights, representing the number of stocks held in a particular portfolio query, were assigned to stocks uniformly distributing them between 4000 and 5000. As weights of various data items in a query are not very dissimilar so deciding on which data item to pull is non-trivial. Stocks involved in a portfolio query were selected using *Zipf* distribution. We rank the data items with index  $i=1,2,3,\dots,N$ . Number of queries in which  $i^{\text{th}}$  data item appears is made proportional to  $\frac{1}{i^\alpha}$ . We choose

number of data items  $N$  as 20 and  $\alpha$  as 0.9. For example, a portfolio query with four stocks can be written as:

$$4234S_{IBM} + 4780S_{MSFT} + 4004S_{Oracle} + 4500S_{CBUK}$$

Experiments were performed with various values of incoherency bounds ranging from \$1800 to \$5400; for incoherency bound \$2400, the portfolio query was evaluated at DA such that the difference between value of the query at DA and the actual value of the query (assuming all the data items are available without any delay) was atmost, \$2400. These values of incoherency bounds correspond to 0.1% to 0.3% of the average portfolio values. In all these runs required fidelity was 98%. As mentioned in Section 1.3, we are using a feedback based mechanism to ensure that delivered fidelity is more than the required fidelity. In Section 4, we describe the mechanism in detail. We use number of pulls to meet coherency and fidelity requirements as the cost criterion.

**Table 1. Some of the stock traces used for experiments**

Stock	Date	Max Value	Min Value	Avg Value
ABC	Jun 2	135.75	134.5	135.14
Cisco	Jun 6	65.00	63.06	63.97
CBUK	Jun 2	8.625	8.25	8.50
Dell	Jun 1	43.75	42.87	43.43
Intel	Jun 2	134.50	132.50	133.46
Microsoft	Jun 8	69.62	68.07	69.04
Oracle	Jun 7	79.37	76.62	78.57
UTSI	Jun 1	22.25	21.00	21.73
Veritas	Jun 8	137.0	133.50	134.85

Figure 4 shows the number of refresh messages for three algorithms described in this section with query incoherency bounds varying between \$2400 and \$5400. For the *max-algorithm* we set the *PULLRATIO* to 0.8. *Max-algorithm* works best among these three algorithms from network and server overhead point of view. In general, the case where query incoherency is divided among data inconsistencies, we require more number of refreshes. This can be explained by the observation that by treating various data items separately we are ignoring interplay to data item values in maintaining query coherency. Specifically, in the *data incoherency algorithm* a data item is pulled assuming that all other data items have also violated their incoherency bounds. These lead to more than the required number of pulls. The *max algorithm* performs better than *positive-negative algorithm* as it

does not try to maintain query coherency at every time instance. Although the *positive-negative algorithm* tries to maintain query incoherency within bounds, it also tries to keep query incoherency in the same direction, i.e., if query incoherency is positive then the algorithm tries to keep it positive. Thus if query value is following some trend (due to trend in data values), it is again likely to cross the incoherency bound soon leading to further pulls.

Given the superior performance of the *max algorithm* we show how to extend it to the multiple COMIQ case in the next section.

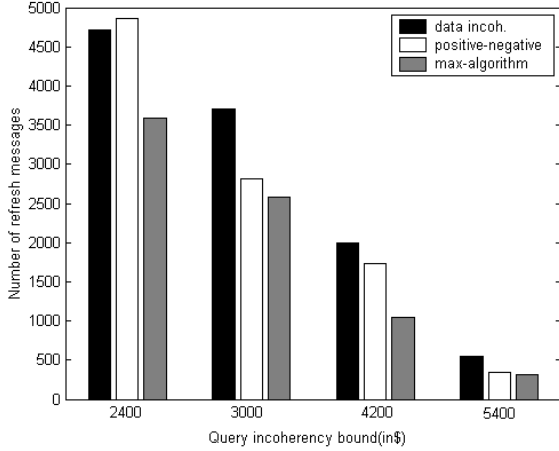


Figure 4: Comparison of algorithms for single COMIQ case

### 3.3 General Case: Multiple COMIQs

In the multiple COMIQs case we are considering the situation where a data item is involved in multiple queries. We need to make pulling decision considering all the data items involved in all the queries being executed at a DA. We pull a data item more often if it affects the coherency of a large number of queries: its weight in various queries is high or its estimated incoherency is high. We extended the heuristic of *max-algorithm* for this case by aggregating the contribution of a data item to all the queries in which that data item appears. Formally, overall weighted incoherency of a data item  $d_i$ , across all queries, can be estimated by the quantity  $(\sum_{q \in Q_i} w_i^q) \times PC_{ik}$ , where queries in  $Q_i$  refer to the

data item  $d_i$ . We find the data item having maximum of aggregated absolute weighted incoherency. At every time tick, if there is any inconsistent query, we pull the data items whose weighted incoherency is greater than the *PULLRATIO* multiplied by the *maximum aggregated weighted incoherency*, i.e.,

$$|(\sum_{q \in Q_i} w_i^q) \times PC_{ik}| > \text{PULLRATIO} \times \max_i (|(\sum_{q \in Q_i} w_i^q) \times PC_{ik}|) \quad (12)$$

#### 3.3.1 Performance of Multi-COMIQ Algorithm

We use 500 portfolio queries for measuring the performance of the *max-algorithm* in the multi-COMIQ case. The queries were generated as described in the Section 3.2.3. Figure 5 shows the number of refresh messages required by the *max-algorithm* in the multi-COMIQ case for varying client coherency and fidelity requirements. The total number of pulls for all the data items is shown in the figure. The required fidelity is varied between 90%

and 98%. The query incoherency bound is varied between \$1800 and \$5400. It shows that one has to pay more than proportional cost for tighter incoherency bound and fidelity requirements. Achieving higher fidelity, with the tighter coherency, results in exponential increase in network overhead. For higher value of incoherency bound number of pulls increase very slowly with the fidelity desired, but for tighter incoherency bound number of pulls is a strong function of the fidelity desired.

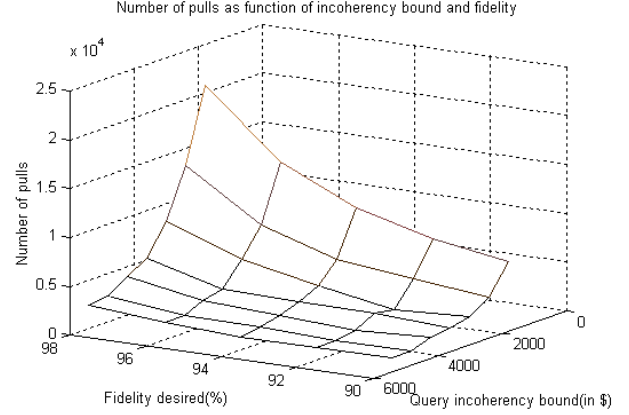
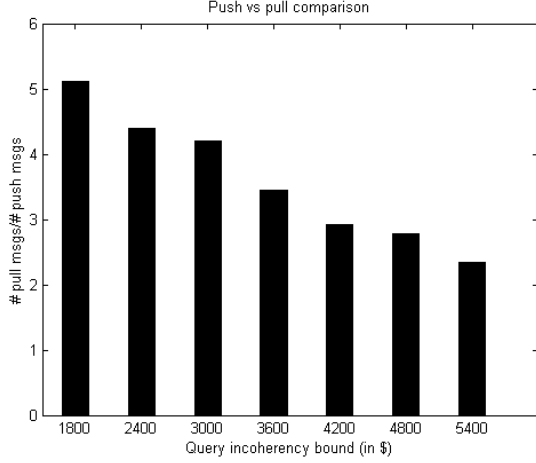


Figure 5: Tradeoff of incoherency bound, fidelity and number of pulls

#### 3.3.2 Comparison with an Ideal Push Algorithm

We compare our algorithm for multi-COMIQ case with an ideal push case. In the ideal (hypothetical) push algorithm, a single source is assumed to have all the data item values without any extra cost. The source having all the data items checks whether all the queries satisfy user coherency requirements. For any query  $q$ , if incoherency bound is violated, the source pushes data items referred to by the query in question, any changed data pushed for one query is used for the other queries at a DA. This gives the minimum number of messages required to maintain all the query results within the user specified incoherency bounds. Figure 6 plots the ratio of the number of messages needed by our algorithm and that by the push algorithm. We consider various incoherency bounds between \$1800 and \$5400. Desired fidelity of 99% is considered for our pull based algorithm as it is almost same as 100% fidelity ensured by the push based algorithm. The figure shows that for very stringent incoherency requirement of \$1800, which is less than 0.1% of the average total query result, the number of pulls required by our algorithm is around five times the minimum number of messages required by the idealized push algorithm. As incoherency bound increases to \$5400, the ratio drops to 2.5. Another point to note by comparing Figures 5 and 6 is that while the number of pull messages increases fast with tighter coherency bounds, ratio of pull messages to push messages increases more gradually: As we decrease the incoherency bound from \$5400 to \$2400, the number of pull messages increases by a factor of 5.3 but ratio of pull messages to push messages increases by only 1.88. It happens because tighter incoherency bound leads to more than proportional increase not only in the pull based algorithm but also in the idealized push algorithm.





**Figure 6: Comparison of multi-COMIQ pull algorithm with idealized push algorithm**

All these performance results showed various features of our algorithm. It showed that even if the desired fidelity is close to 100%, DA need not pull all the data values. For 98% fidelity and reasonably stringent coherency requirement (0.13% of average query value corresponding to incoherency bound of \$3000 in Figure 5), DA pulled around 400 values per data item which is an order of magnitude smaller than 3000 potential update instances. Another important feature is that there is an exponential drop in the number of refreshes with decrease in either fidelity desired or the incoherency bound.

#### 4. ACHIEVING FIDELITY THROUGH FEEDBACK

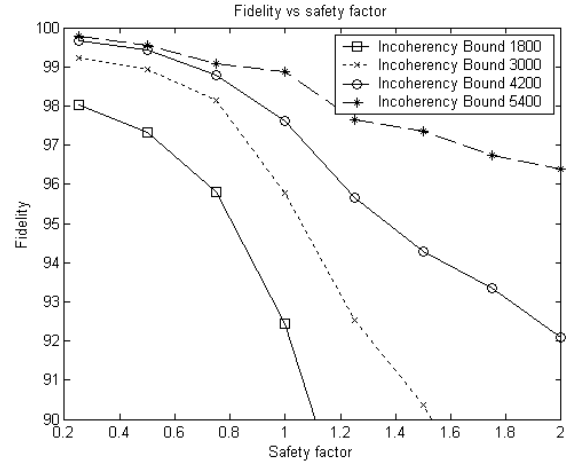
Now we present our feedback mechanism to ensure that client is delivered a particular fidelity. We monitor the fidelity delivered thus far and adjust the model to deliver the desired fidelity. If the user specified incoherency bound is  $B^q$ , then the algorithms described in the previous sections are fed with the incoherency bound of  $B^q \times sf$ , where  $sf$  (*safety factor*) is the parameter to control the delivered fidelity. During the query execution, value of  $sf$  is a function of fidelity required to be delivered to the client and fidelity delivered thus far. A value of  $sf$  less than 1 indicates that the incoherency bound that the pull algorithm should ensure is smaller than that specified by the user. The idea is that even if some of the future predictions lead to larger incoherency (due to the probabilistic nature of model or external factors), because a tighter incoherency bound is demanded, the system is more likely to deliver  $B^q$  with the required fidelity. Clearly, different  $sf$  values will result in different fidelity values for a client query. In Section 4.1 we consider the effects of a particular value of  $sf$  on the delivered fidelity whereas in Section 4.2 we present an adaptive approach which continuously adapts  $sf$  to deliver the required fidelity  $f^q$ .

##### 4.1 Effects of Fixed Safety Factor Values

We measure the effect of the *safety factor* on delivered fidelity using simulation experiments. For these experiments, we use the portfolio queries as described in Section 3.2.3. Figure 7 shows

the fidelity achieved as a function of  $sf$  for different incoherency bounds. Low values of  $sf$  give high fidelity. For example, at  $sf=1.25$ , for incoherency bound of 3000, we achieve 93% fidelity but for  $sf=1$  fidelity increases to 96%. Fidelity decreases slowly with safety factor for large incoherency bounds as  $sf \times B^q$  gets rarely violated and time to pull is largely governed by  $TTRMAX$ . As we pull at least once every  $TTRMAX$ , the fidelity will not decrease after a certain value. But in Figure 7, we are more interested in the top-left part of curve as client's desired fidelity is more likely to be above 95%. We will use that part of the curve to adjust  $sf$  based on client's desired fidelity.

Note that  $sf = 1$  corresponds to the case of not employing any safety factor, that is, just using the Markovian Data model based tracking. Figure 7 shows that although we can achieve a fidelity more than 92% just by the data model, for achieving the client specified fidelity we need to adapt  $sf$ , that is, adjust the incoherency bound that the system should attempt to maintain.



**Figure 7: Fidelity with different safety factors**

##### 4.2 Adaptive Safety Factor

From the previous section it is clear that relationship between the *safety factor* and the delivered fidelity depends on various other factors like incoherency bound and data dynamics. Thus it is very difficult to predict a fixed  $sf$  value to deliver a given fidelity. In practical settings, in order to deliver a particular fidelity,  $sf$  needs to be dynamically modified depending on the fidelity delivered thus far and the dynamics of the data. We increase  $sf$  when the delivered fidelity is greater than the desired fidelity and decrease it when the reverse is the case. Let us denote the difference between actual delivered fidelity and desired fidelity by  $FD$  (fidelity difference). From Figure 7, it can be seen that in the areas of interest (high fidelity regions on the top left), to attain a given fidelity, the *safety factor* needs to be an exponential function of  $FD$ . Thus:

$$FD = \text{Delivered fidelity} - \text{Desired fidelity} \quad (13)$$

$$sf = sf \times e^{\gamma \times FD}$$

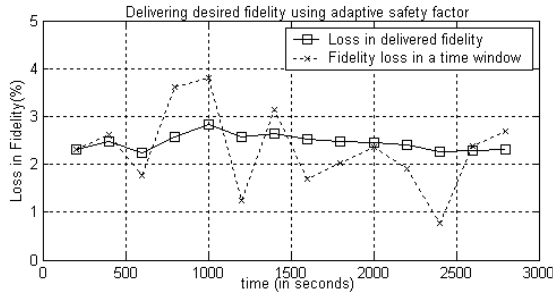
Thus we decrease  $sf$  if  $FD$  is negative (i.e., fidelity delivered so far is less than the desired fidelity), which leads to the tighter incoherency bound which, in turn, brings delivered fidelity closer

to the desired fidelity. The  $sf$  adjustment is done at regular intervals of 200 ticks. For fidelity calculation (Equations (3) and (4)) we need the actual values of data items at all the ticks. Since we have the actual data values only at the data pull instances, we do linear interpolation of data values for fidelity calculations. In particular, after every pull we assume the intermediate data values as linear interpolation of two values. We use those values along with the known value of data items (last pulled value) at DA to calculate fidelity using Equations (3) and (4). In Section 5, we show that estimated fidelity, and  $sf$ , is almost the same as what it would have been if we had taken the updates that occur at the source between two pulls for its calculation.

Gamma ( $\gamma$ ) is the adjustment factor which decides the effectiveness of the  $sf$  adjustments in delivering the desired fidelity. After initialization of  $\gamma (<1)$ , its value is learned over time as follows. If  $sf$  adjustment is not effective even after adjustment in some consecutive windows, i.e. actual fidelity is not reaching the desired fidelity, the value of  $\gamma$  is changed. In particular, if  $FD$  is positive (or negative) for consecutive time windows we increase the value of  $\gamma$  otherwise we decrease it. This increase/decrease is done in a multiplicative manner using  $learning\_rate (<1)$ , i.e.,

$$\gamma = \begin{cases} \gamma \times learning\_rate & FD \text{ is +ve or -ve in two consecutive windows} \\ \frac{\gamma}{learning\_rate} & \text{Otherwise} \end{cases} \quad (14)$$

This adjustment is done to ensure that the  $FD$  approaches zero within a few adjustments. For all the performance results,  $TTRMAX$  is 60, smoothing constant ( $L$ ) is 0.8, initial value of  $\gamma$  is set to 0.1 and  $learning\_rate$  is 0.98.

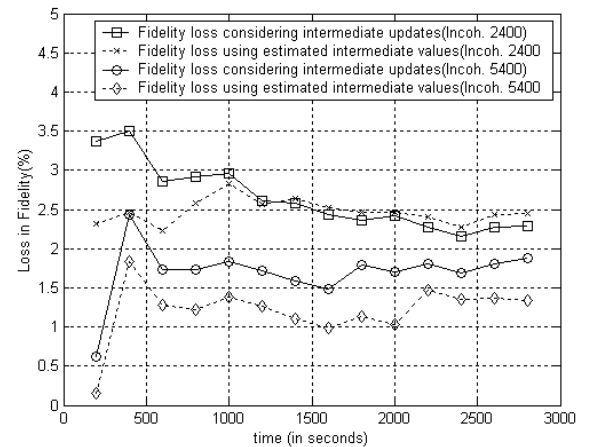


**Figure 8: Fidelity using adaptive scheme**  
(Incoherency bound = 2400, desired fidelity = 98%)

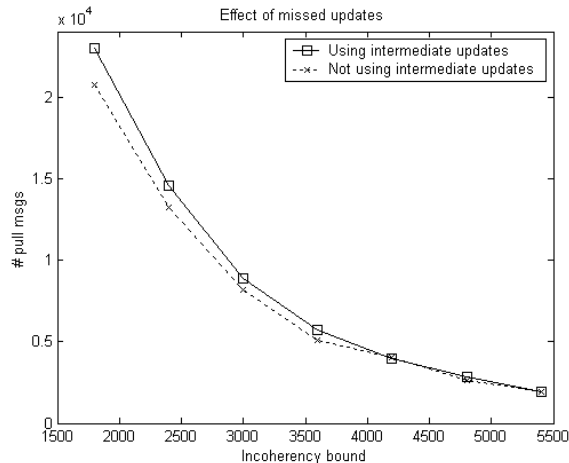
To see the effects of safety factor adjustments on delivered fidelity, we plot loss in fidelity with time in Figure 8. The figure shows two curves, one for the loss in fidelity (till that time) and another for the loss in the fidelity in the recent time window of 200 ticks. The user desired fidelity for these experiments is 98% and query incoherency bound is \$2400. As can be seen from the curve, the adaptive scheme can maintain the delivered fidelity very close to the desired one. For example, the maximum deviation from the desired fidelity is less than 1%. Furthermore, when fidelity drops, the algorithm takes corrective measures and recovers very fast by pulling data more often to deliver the required fidelity.

## 5. EFFECTS OF MISSING UPDATES

In this section we measure the effects of missing intermediate updates. In all the results presented before this section, we used the last pulled data values. As explained in Section 2, we train DTMC using pulled values and duration between consecutive pulls. Similarly, we estimate fidelity using linearly interpolated values for the time ticks between the pulls. Since a data item may have been updated a number of times between consecutive pulls, we want to see the effect on data model and fidelity if we had all the data updates. Intuitively, it is expected that data model will be more accurate if we have all the updates. Similarly, we can get the delivered fidelity accurately if we have all the intermediate updates. For the purpose of getting updates between consecutive pulls, we assume that data source capability can be enhanced so that it provides all the missing data updates whenever a DA pulls a data item. These intermediate data values can be used to train the Markov model described in Section 2 as well as to calculate actual fidelity and safety factor as described in Section 4. Figure 9 shows that, with time, fidelity with intermediate values is almost same as that without those values for two incoherency bounds of \$2400 and \$5400. For the incoherency bound of \$2400 the two curves follow each other very closely except in the beginning when the fidelity is overestimated. For the incoherency bound of \$5400 the estimated fidelity is slightly more than the fidelity if we had all the missed updates. For large incoherency bounds, data items are pulled infrequently which may lead to incorrect estimation. But we pull a data item at least once every  $TTRMAX$  which causes the estimated values to follow the actual values. In both the cases we are close to the fidelity requirement of 98% and fidelity difference between the two curves is at most 0.5%. Thus, our safety factor values based on estimated fidelity values remain almost same even if we consider intermediate values. In Figure 10 we show the effect of intermediate values on the number of pulls required to maintain fidelity of 98% for the various incoherency bounds. There is not much difference between numbers of pulls between these two cases. In fact, the number of pulls required, when we consider all values, is higher than the one when we do not consider them. This can be explained as the algorithm which does not consider intermediate values does not react to every change; it uses overall data trends to predict the data values.



**Figure 9 : Effect of missed updates on Fidelity calculations**



**Figure 10: Effect of missed updates on number of messages**

## 6. RELATED WORK

Consistency and coherency maintenance for distributed data is a well studied subject. The problem of coherency maintenance between a data source and cached copies of the data was first studied in [7]. In [11], strong coherency is maintained between data server and its replica using a data item lease and a volume lease. Large duration data leases ensured that replicas need not renew the leases very often for various data items and small duration volume leases ensured that server need not wait for long for updates in case of unreachable replicas. Such studies aimed for transactional coherency between data at the server and that at replica. We assume that in various web based applications transactional coherency is not required and thus what we aimed for was bounded incoherency.

Various mechanisms for maintaining coherency of fast changing documents are proposed in the literature. These include data broadcast, speculative data dissemination, efficient multicast, push caching, etc [8, 9]. [10] compared hierarchical caching with multicasting to conclude that unless documents are changing very fast, caching gives lower latency, uses less bandwidth and reduces load on the origin server. However none of these efforts were explicitly targeted at refreshing continuously changing data under bounded incoherency requirements.

More recently, web caching has led to various studies towards maintaining the cache up-to-date in the loose coherency sense. These studies can be categorized as client based [12], server based [13] and mixed [14]. These efforts typically assume that cacheable data is modified at a very large time scale, and thus, are less effective at maintaining coherency of rapidly changing data. In [15], the dynamic content is explicitly invalidated by the content server using data dependency graph and push based invalidations. [16] considers various applications to show how availability and performance of applications can be increased by adjusting coherency properties of data items. [17] shows how data replica and data server can co-operate to deliver desired temporal incoherency efficiently. In [5, 21], authors discuss *Trapp* system to answer database queries approximately to have a tradeoff between fast imprecise data from local replica and slow precise

data from remote server. They use value-initiated push as well as query-initiated pull to maintain data coherency. We only used pulls to refresh data items whenever expected incoherency of queries exceeded user specified bounds.

The *Tapestry* system [18] system considered content-based filtering over an append only database of email and bulletin board messages. [19] discusses a scalable system for continuous queries over web databases. The paper considers a large number of XML-QL queries and evaluating them efficiently. [20] presents an architecture for internet scale event driven information system involving continuous queries. In that architecture, information is delivered using push based mechanism.

[6] considers answering aggregation queries over dynamic data. In their approach servers push the data items to DAs (called stream processors). For reducing the communication cost, the authors establish filters at data sources. The width of data filters for a particular data item is a function of coherency requirement of various queries involving that data item, number of filtered updates and weights of data items. In their approach, data items are pushed assuming the worst case (even if one data item crosses its incoherency bound, the query needs to be reevaluated), thus for reducing number of pushes they increase the incoherency bound of the data item which is pushed a large number of times (i.e., changing very fast). In contrast to their approach, in our scheme the existing data servers and the (pull-based) HTTP protocol is utilized by the DA, leading to greater scalability and immediate applicability. We pull a data item if it has a large estimated incoherency. This can be due to large weights for the data item in one or more queries, large amount of changes in the data item, or incorrect prediction. We feel that in all these three cases we should pull the data item. In the first two cases, changes to the data item directly affect the coherency of queries so query incoherency bound will be violated sooner or later. When the third case occurs, it indicates that our model is not predicting data values correctly thus we need to pull more often to make the model more accurate. Overall, in our work, data values are estimated based on past behavior and data items are pulled based on average case. Thus, in contrast to [6], we pull a data item more often if it is changing faster. Finally, by focusing on query incoherency, rather than individual data incoherency, our algorithm only pulls updates required to keep query incoherency within bound.

## 7. CONCLUSIONS

In this paper we considered the problem of answering queries for online decision making at web data aggregators. We showed that such queries can be represented as continuous queries with bounded incoherency and fidelity requirements. Through a probabilistic data model and feedback based mechanism we showed that our approach can be efficiently used to deliver query results with client's coherency and fidelity requirements. An important aspect of our approach is the use of existing web infrastructure for answering these queries which leads to minimal architectural requirements and more scalability. Another feature is the presence of tunable parameters to tradeoff desired fidelity and refresh overheads. We presented algorithms to selectively refresh data items so that message overheads can be minimized. Our results demonstrated that it is not necessary to obtain all the updates at a DA even if desired fidelity is 98% for a tight

incoherency bound. Through this solution, web data aggregators can reduce their resource requirements and pass on the benefit to the clients. Our solution is specifically suitable for the queries involving aggregation of a number of dynamic data items where result inaccuracy is tolerable and data values follow a pattern. If the client needs to perform some action based on very small change in a data value then push based mechanisms [21] are more suitable.

Although we presented our results for a weighted SUM based aggregation queries, it is important to note that the technique could be used for many general polynomial queries. In stock portfolio tracking, user may be holding stocks listed in various stock exchanges in different currencies and user may want the portfolio value in a particular currency. In this case, as the stock prices as well as the currency exchange rates are changing with time, a linear weighted aggregation is not sufficient. But we can still apply the principles enumerated in this paper. We need to track the dynamics of not only the stock prices but also of currency conversion rates. Algorithm to selectively refresh these data items is part of our future work.

## 8. REFERENCES

- [1] Yodlee.com launches a powerful, new consumer service to help you take control of your life online. [http://corporate.yodlee.com/company/press/1999/09\\_28\\_launch.html](http://corporate.yodlee.com/company/press/1999/09_28_launch.html).
- [2] Push publishing technologies. <http://www.storm.com/places/t4a.html>, July 2000.
- [3] US Open grand slam tennis, [www.usopen.org](http://www.usopen.org)
- [4] P. Wilmott, S. Howison and J. Dewyne. The Mathematics of Financial Derivatives. New York, Cambridge University Press, 1995.
- [5] C. Olston, B.T. Loo, and J. Widom. Adaptive Precision Setting for Cached Approximate Values. In Proceedings of ACM International Conference on Management of Data (SIGMOD), 2001.
- [6] C. Olston, J. Jiang, and J. Widom. Adaptive Filter for Continuous Queries over Distributed Data Streams. In Proceedings of ACM International Conference on Management of Data (SIGMOD), 2003.
- [7] R. Alonso, D. Barbara and H. Garcia-Molina. Data Caching Issues in an Information Retrieval System. ACM Transactions on Database Systems, 1990.
- [8] A. Bestavros. Speculative Data Dissemination and Service to Reduce Server Load, Network Traffic and Service Time in Distributed Information System. International Conference on Distributed Computing Systems, 1999.
- [9] P. Rodriguez and E. Biersack. Continuous Multicast Push of Web Documents over the Internet. IEEE Network Magazine, March-April 1998.
- [10] P. Rodriguez, K. Ross and E. Biersack. Improving the WWW: Caching or Multicast? Computer Networks and ISDN Systems, 1998.
- [11] Jian Yin, Lornzo Alvisi, Michael Dahlin, and Calvin Lin. Volume Leases for Consistency in Large-Scale Systems. IEEE Transactions on Knowledge and Data Engineering, 1999.
- [12] Adam Dingle and Tomáš Pártl. Web cache coherence. Proceedings of the Fifth International World Wide Web Conference on Computer Networks and ISDN Systems. May 1996.
- [13] V. Dhuvvuri, P. Shenoy and R. Tewari. Adaptive Leases: A Strong Consistency Mechanism for the World Wide Web. Proceedings of Infocom, March 2000.
- [14] P. Deolasee, A. Katkar, A. Panchbudhe, K. Ramamritham, and P. Shenoy. Adaptive Push-Pull: Dissemination of Dynamic Web Data. 10th International World Wide Web Conference, Hong Kong, May 2001.
- [15] A. Iyenger and J. Challenger. Improving Web Server Performance by Caching Dynamic Data. Proceedings of the USENIX Symposium on Internet Technologies and Systems (USEITS), 1997.
- [16] H. Yu and A. Vahdat. Design and Evaluation of a Continuous Consistency Model for Replicated Services. Proceedings of USENIX Symposium on Operating Systems Design and Implementation (OSDI), 2000.
- [17] Hongfei Guo, Per-Ake Larson, Raghu Ramakrishnan and Jonathan Goldstein. Relaxed Currency and Consistency: How to Say "Good Enough" in SQL. In Proceedings of ACM International Conference on Management of Data (SIGMOD), 2004.
- [18] D. B. Terry, D. Goldberg, D. Nichols, and B. M. Oki, Continuous Queries over Append-only Databases. In Proceedings of ACM International Conference on Management of Data (SIGMOD), 1992.
- [19] J. Chen, D. Dewitt, F. Tian and Y. Wang. NiagaraCQ: A Scalable Continuous Query System for Internet Databases. In Proceedings of ACM International Conference on Management of Data (SIGMOD), 2000.
- [20] L. Liu, C. Pu, and W. Tang. Continual Queries for Internet Scale Event-Driven Information Delivery. IEEE Transactions on Knowledge and Data Engineering, 1999.
- [21] C. Olston and J. Widom. Offering a Precision Performance Tradeoff for Aggregation Queries over Replicated Data. In Proc. of Very Large Databases (VLDB) Conference, 2000.
- [22] J. Cho and H. Garcia-Molina. Cost Aware WWW Proxy Caching Algorithms. Proceedings of the USENIX Symposium on Internet Technologies and Systems, 1997.
- [23] J. Gwertzman and M. Seltzer. The Case for Geographical Push Caching. Proceedings of 5<sup>th</sup> Annual Workshop on Hot Operating Systems, 1995.
- [24] R. Motwani, J. Widom, A. Arasu, B. Babcock, S. Babu, Mayur Datar, Gurmeet Manku, Chris Olston, Justin Rosenstein, and Rohit Varma. Query processing, Approximation, and Resource Management in Data Stream Management System. Proceedings of the Conference on Innovative Data Systems Research (CIDR), 2003.
- [25] R. Srinivasan, C. Liang and K. Ramamritham. Maintaining Temporal Coherency of Virtual Warehouses. The 19<sup>th</sup> IEEE Real Time Systems Symposium (RTSS), Dec.1998.
- [26] T. Cormen, C. Leiserson, and R. Rivest. Introduction to Algorithms. MIT Press, Cambridge, USA.