

A Theory of Dynamic Evolution in Petri Net Models of Business Processes

Presynopsis presentation

by

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August, 2016



Business Processes

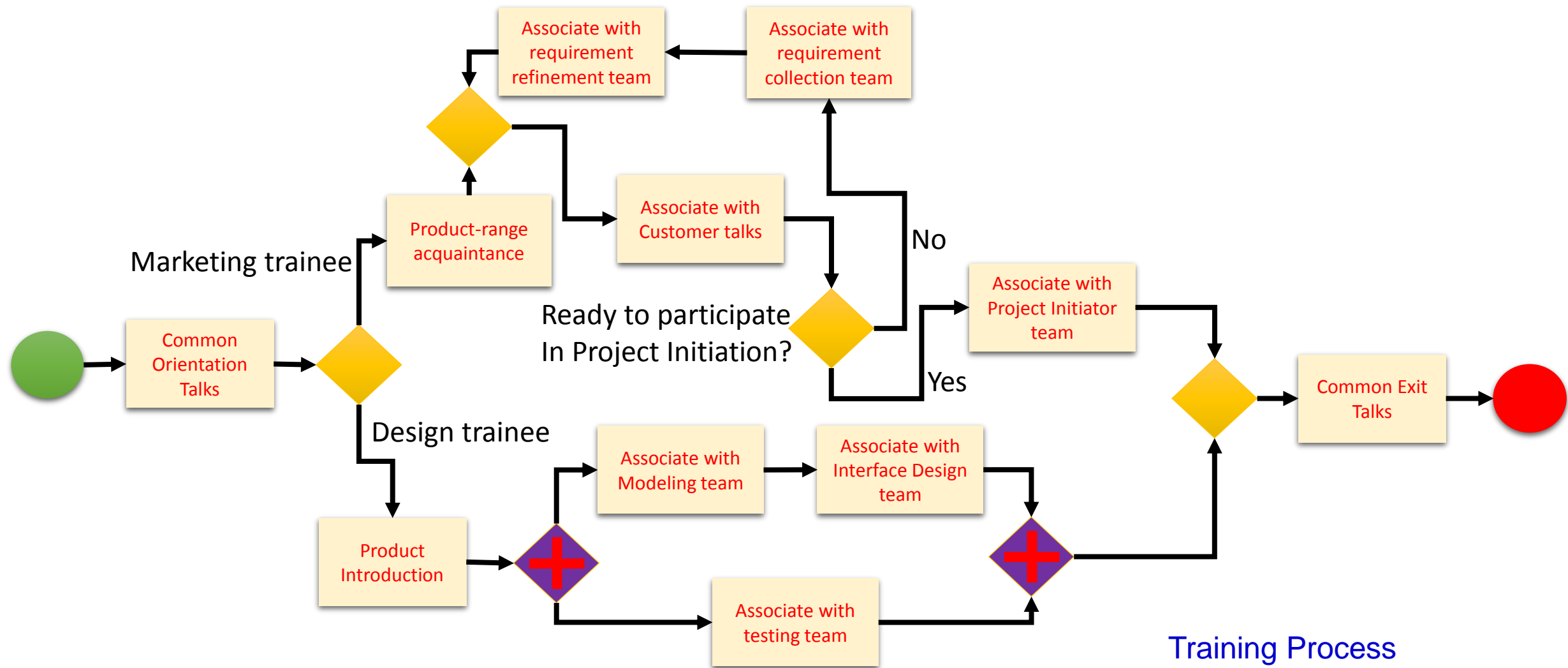
- Complex Flow of activities to achieve a business goal of an Organization

- Examples:

Domain	Business Process
Finance	Billing Process
Human Resource Management	Vacation Request/Approval Process
Banking	Account Opening Process
E-commerce	Product Delivery Process
Travel	Ticket Booking Process
Manufacturing	Product Assembly Process
Public Service	Passport Application Process
Academic	Admission Process

- Activities in business process: manual tasks, user assisted automated tasks, web-services, other business processes etc.

Business Processes Modeling

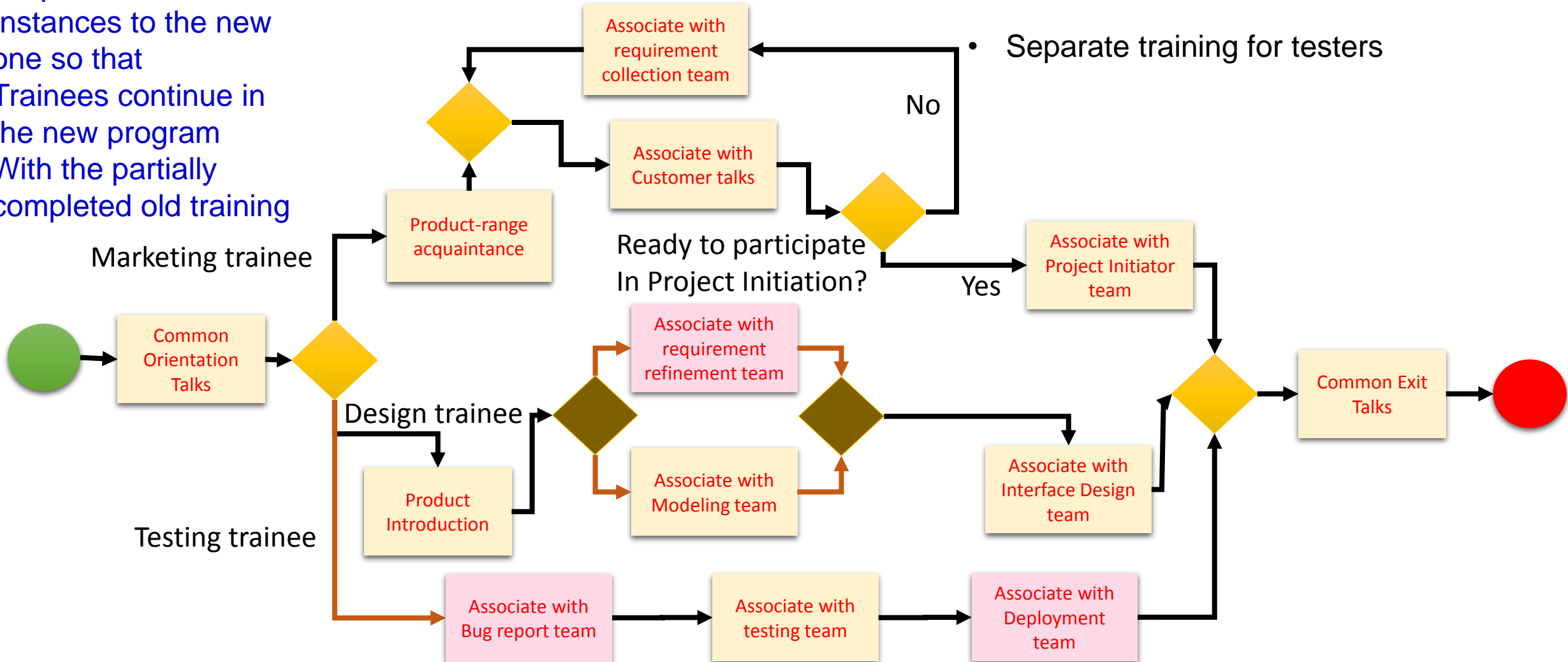


Training Process
For batch of Fresh Recruits

Dynamic Evolution in Business Processes

Requires migration of old process
 Instances to the new one so that
 Trainees continue in the new program
 With the partially completed old training

- Design trainees need to know requirement
- Separate training for testers



Evolved Training Process

Motivations

- Various approaches exist for model specific solutions
- Different situations require different notions of correctness
- Subtle interplays among notion of correctness, available algorithms and concepts not classified so far
- Requires consolidation of theoretical approaches to move forward in the research field
- Solutions not practice since theory has not developed enough
- Challenging problems in theory

Problem Statement

- Given old and new schema, explore the problem of state-transfer under different notions of correctness
- Algorithmic solution to state-transfer that avoids state-space search
- Theoretical approach general enough to adapt in different modeling approaches
- Explore properties and proofs related to the problem

Scope and Assumptions

- Control-flow structure of business processes
- Schema structures are correct
- Original and Evolved schema are provided
- Well-formed schema

Not in Scope

Access control and user perspectives, Data-flow concerns, Methodology involved in evolution, Unstructured workflows, Deployment issues

Contributions

Algorithms

- YoYo algorithm for instance migration
- Algorithm for weak lookahead
- Accept/reject branching algorithm for strong lookahead
- PSCR computation algorithm
- Change region computation algorithm
- Distributed change region computation algorithm

Taxonomy Framework for Consistency Models

- Structural equivalence
- Trail-based models
 - history equivalence
 - trace equivalence
 - purged-history equivalence
 - purged-trace equivalence
- Live model
- Lookahead models
 - strong
 - accommodative
 - weak

Proofs

- Non-migratability lemma
- Perfect Member lemma
- Overestimation lemma
- SCR & PSCR lemma
- Proof of correctness for algorithms

Workflow Specification Languages

- CWS, ECWS

Properties

- YoYo compatibility, peer patterns
- Generator of Concurrent Submarking (GCS)
- Dysfunctional C-tree and Break-off Set
- Marking Preserving Embedding (MPE)
- Change properties
- Perfect Member and Overestimation
- Perfect Structural Change Region (PSCR)
- Fragmentation

Representation Techniques for Analysis & Application

- C-tree, Derivation Tree
- Token transportation catalog
- Token transportation bridge

New Consistency Models

- Strong lookahead
- Accommodative lookahead
- Weak lookahead

Notions of Consistency

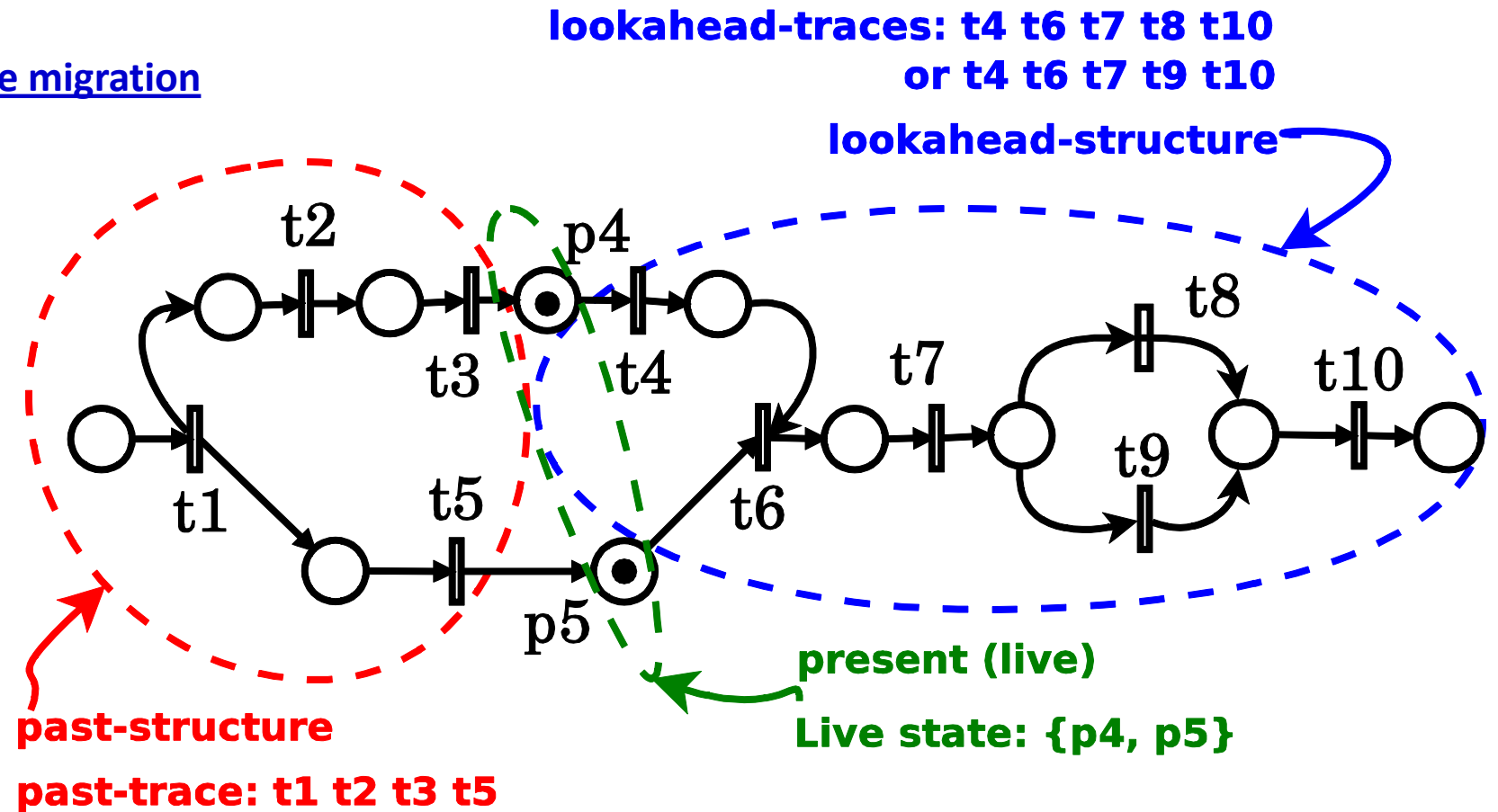
Consistency:

Formal criteria of correctness of instance migration
(state-transfer/token transportation)

State:

Marking in
Petri net models

Old and New markings
can be considered as
migration equivalent (consistent)
in various ways



Past/Present/Future of a State

Taxonomy and New Models of Consistency

Consistency Models	Parameters									
	Past based	Present based	Future based			Trace based			Structure based	
			equal	subset	superset	Set based	Sequence based	purged		
Structural equivalence	✓	✗	✗	✗	✗	✗	✗	✗	✗	✓
Trace equivalence	✓	✗	✗	✗	✗	✗	✓	✗	✗	✗
History equivalence	✓	✗	✗	✗	✗	✓	✗	✗	✗	✗
Purged-trace eq.	✓	✗	✗	✗	✗		✓	✓		✗
Purged-history eq.	✓	✗	✗	✗	✗	✓	✗	✓		✗
Live	✗	✓	✗	✗	✗	✗	✗	✗	✗	✓
Strong lookahead	✗	✗	✓	✗	✗	✗	✓	✗	✗	✗
Accommodative lookahead	✗	✗	✗	✗	✓	✗	✓	✗	✗	✗
Weak lookahead	✗	✗	✗	✓	✗	✗	✓	✗	✗	✗

Dynamic Instance Migration

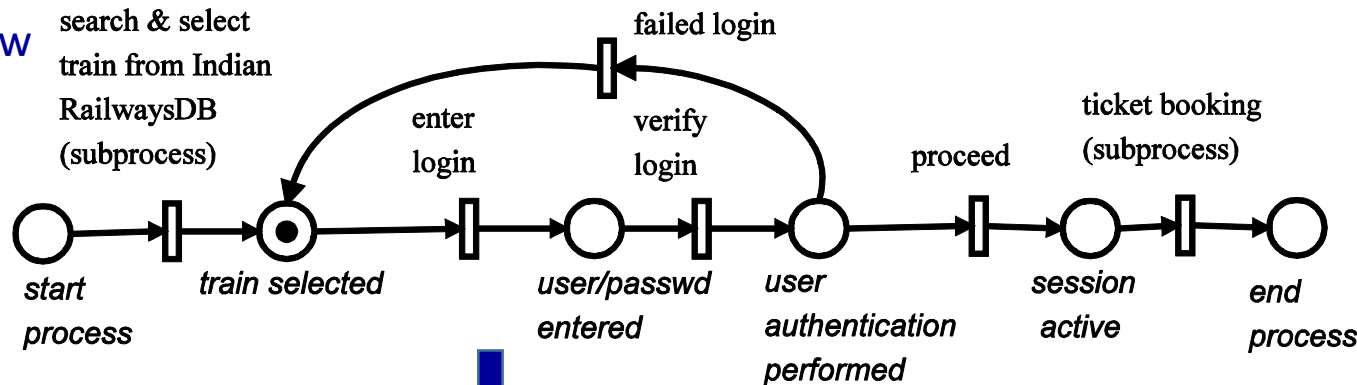
State-transfer Approach

Vs.

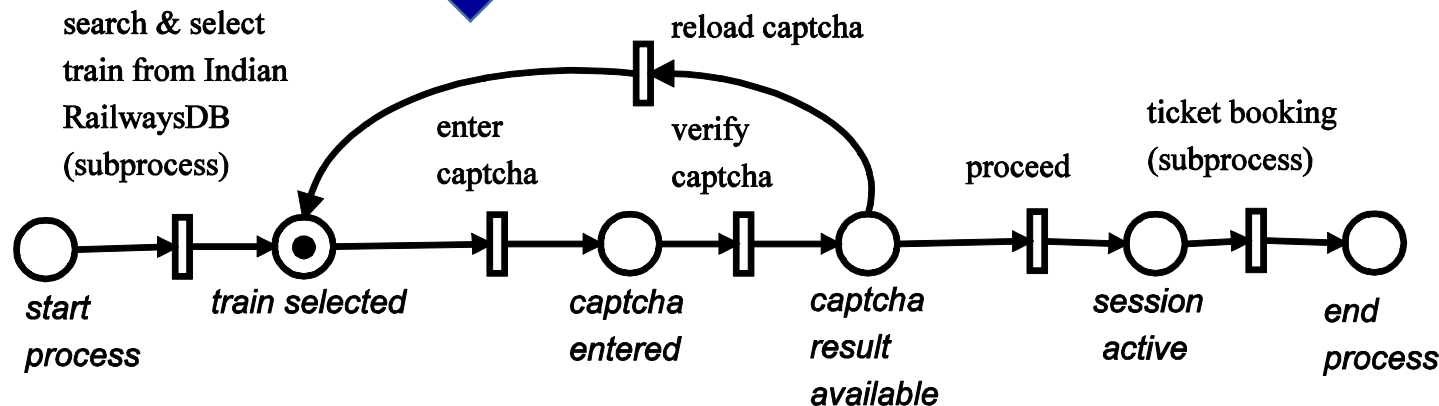
Change Region Approach

Marking
Transfers
From old to new
Net explicitly
as per the
Chosen
Consistency
model

Marking
Transfers **as it is**
Outside change region,
No consistent migration
Inside change region
(no explicit state-transfer)



Old ticket booking process



New ticket booking process

Dynamic Instance Migration

Citation to the Literature	Consistency	State-transfer	Change Region
Ellis et al. 1995, ACM COCS	Trace Equivalence	Some marking to Some marking	Inside: non-migratable/ migration to different marking Outside: migration as it is Construction: Not specified (intuition given for SESE region)
Van der Aalst, 2001, Info. Sys. Frontiers (Springer)	Live Consistency	Some marking to Same marking	Inside: non-migratable/migration as it is Outside: migration as it is Construction: minimal SESE region covering structural changes (modified SESE reg. black box, same state-space outside)
Sun et al., 2009, Info. Soft. Tech. (Elsevier)	Purged History Equivalence	Some marking to Some marking	Inside: non-migratable/ migration to different marking Outside: <u>migration as it is if every marking inside change region is migratable</u> Construction: minimal SESE region covering structural changes
Cicirelli et al., 2010, J. Sys. Soft. (Elsevier)	History Equivalence	Some marking to Same marking	Van der Aalst, 2001
Zou et al., 2010, IEEE Advanced. Serv. Comp.	Trace Equivalence	Some marking to Some marking	Inside: non-migratable/ migration to different marking Outside: migration as it is Construction: Van der Aalst, 2001
Hens et al., 2014, J. Sys. Soft. (Elsevier)	Live Consistency	Some marking to Same marking	Van der Aalst, 2001

Migration to same marking is Live Consistency

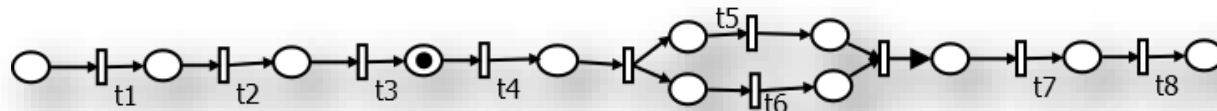
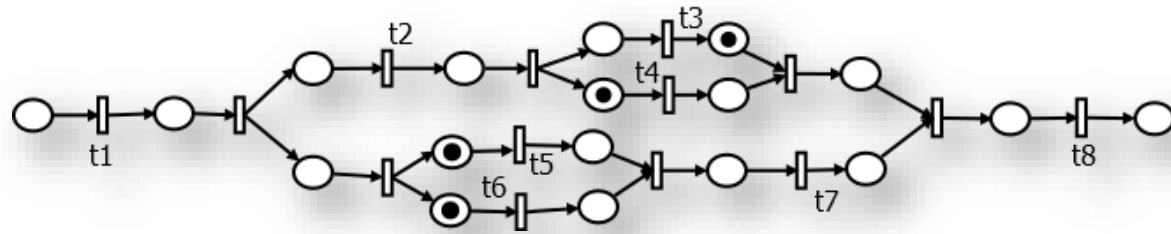
migration to different marking inside Change region violates Live consistency

Structural changes may retain state-reachability, e.g. loop to xor

For SESE change region, Migration as it is outside Change region may violate Trace/history based consistency e.g. downstream the change region

State-transfer Approach

History Equivalence Consistency Model



History: t1, t2, t3

Consistency

preservation of history (done tasks in old \leftrightarrow done tasks in new)

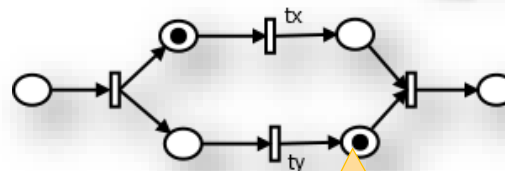
Validity

reachability of marking in the new net



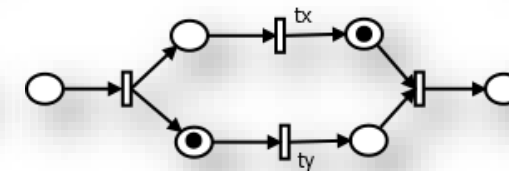
Done task tx

Inconsistent!

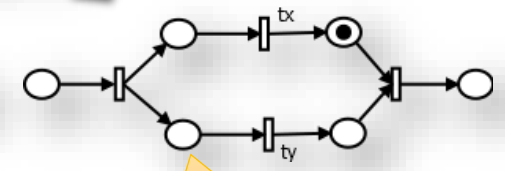


Done task ty

Correct



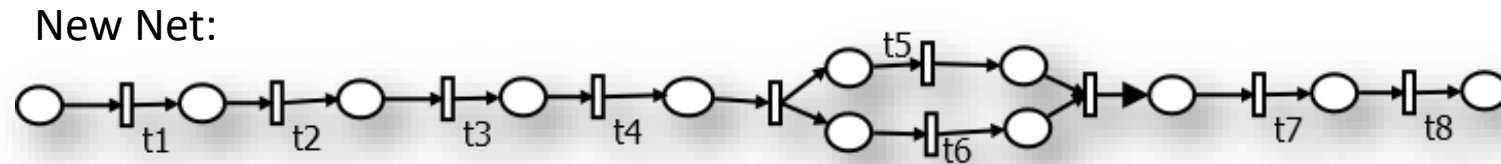
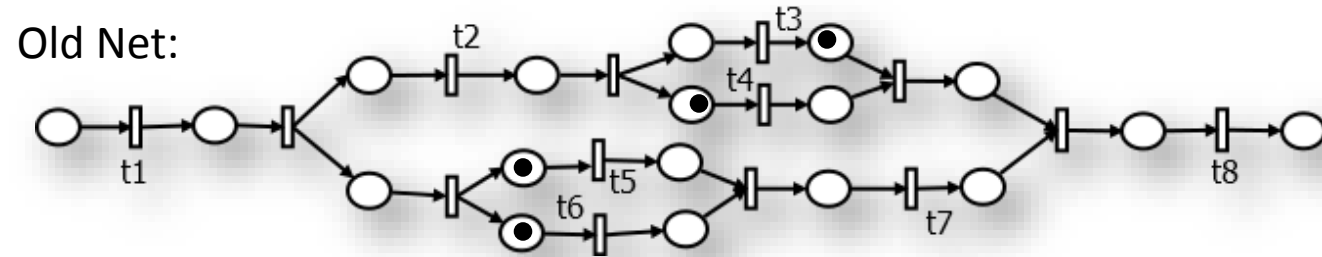
Invalid!



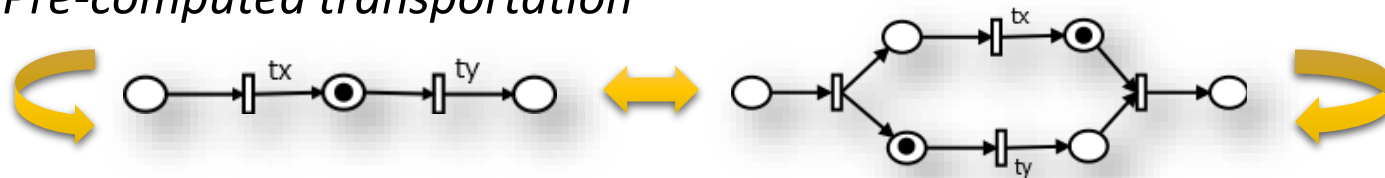
Missing token in parallel branch

YoYo Approach

Token transportation by: Folding, transport, Unfolding

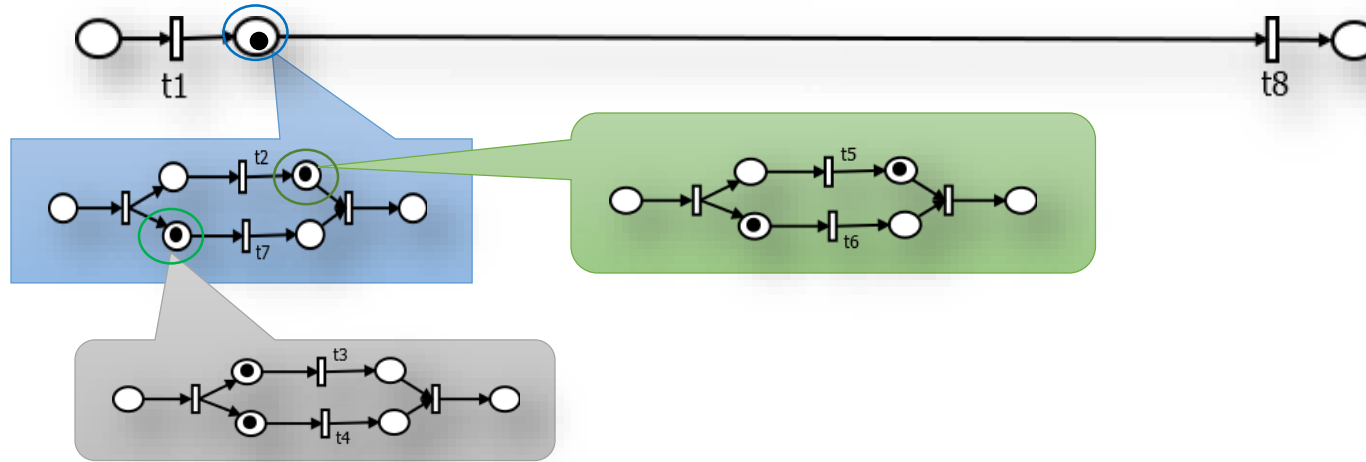


Pre-computed transportation

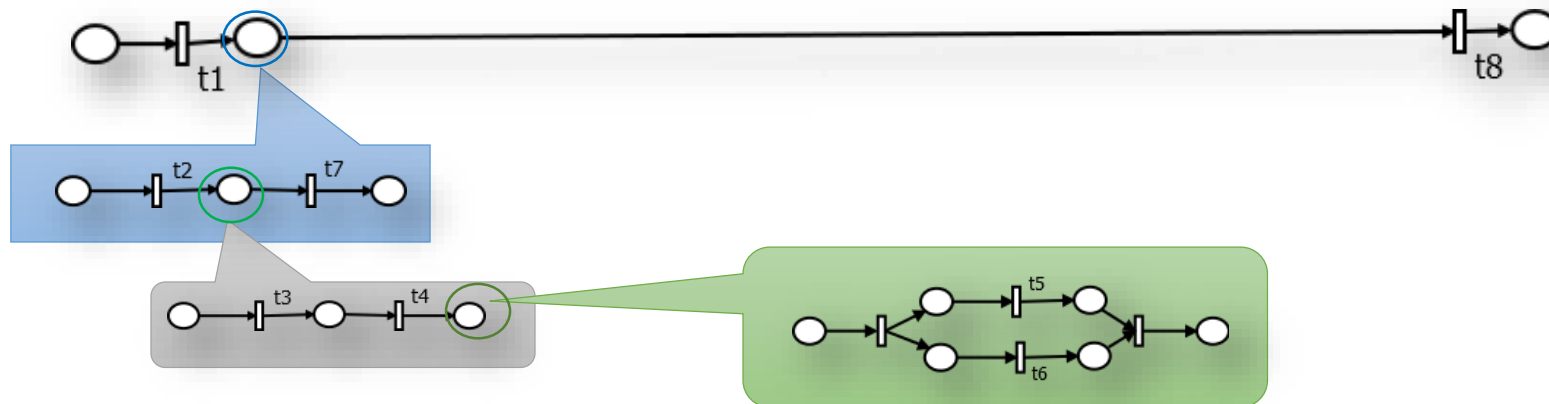


Folding

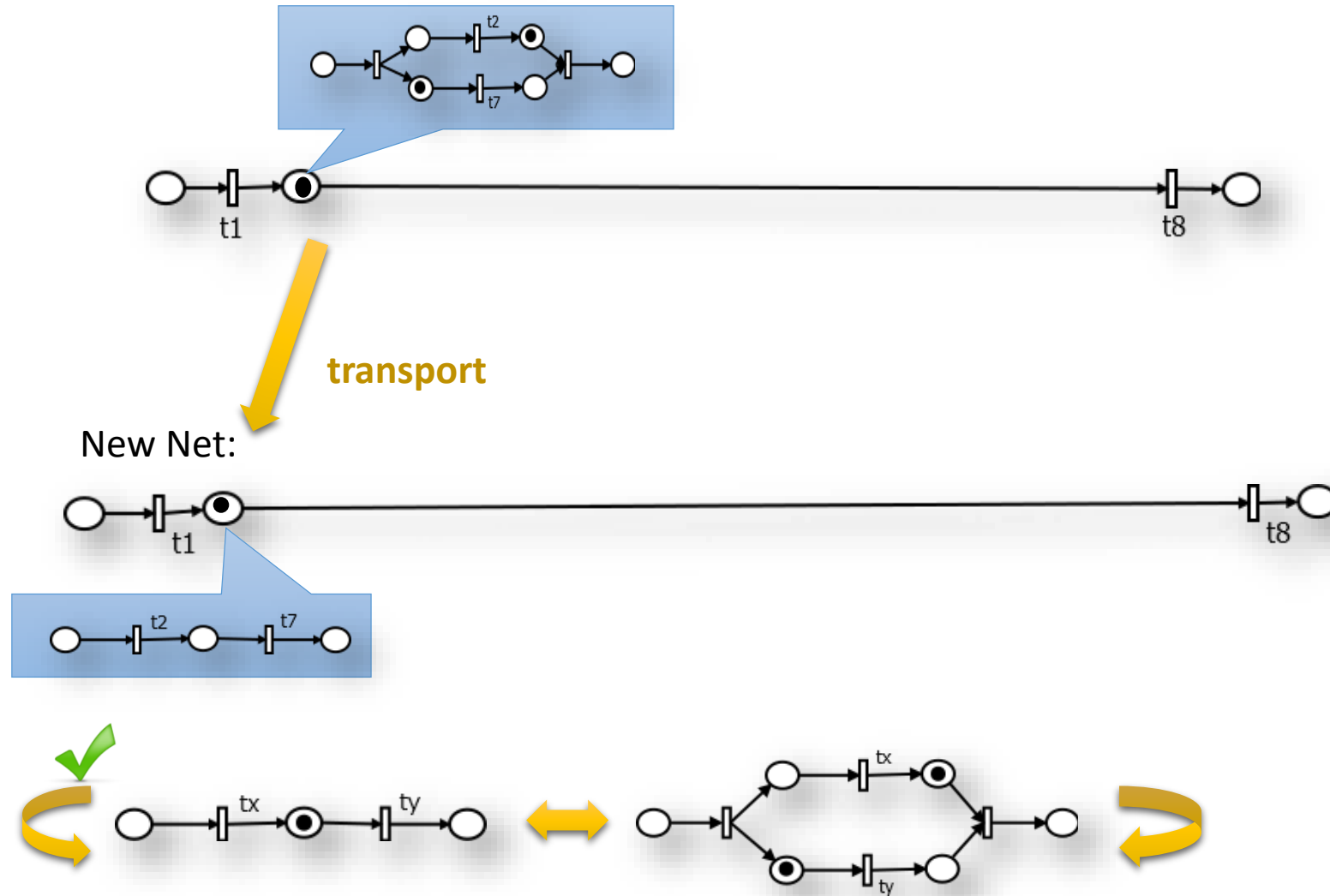
Old Net:



New Net:



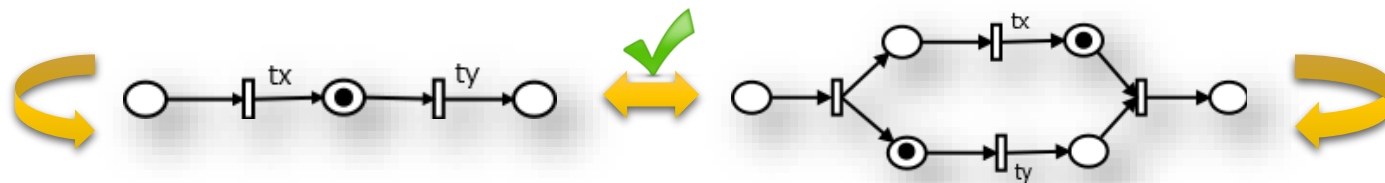
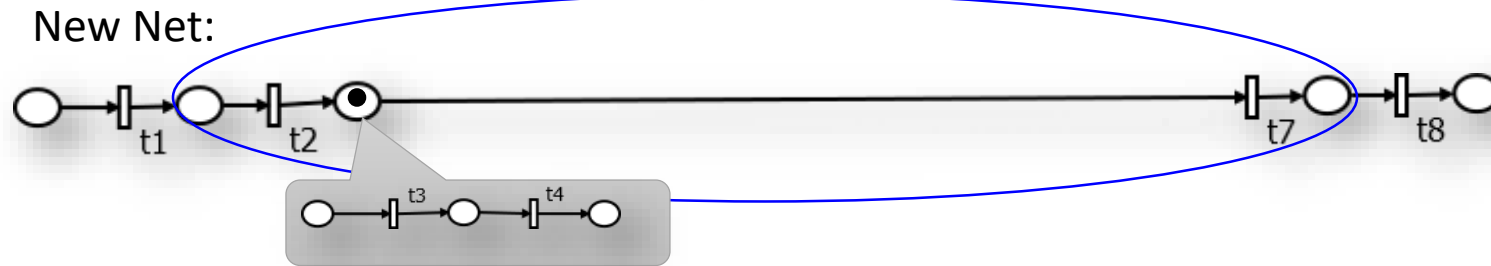
Transport & Unfolding



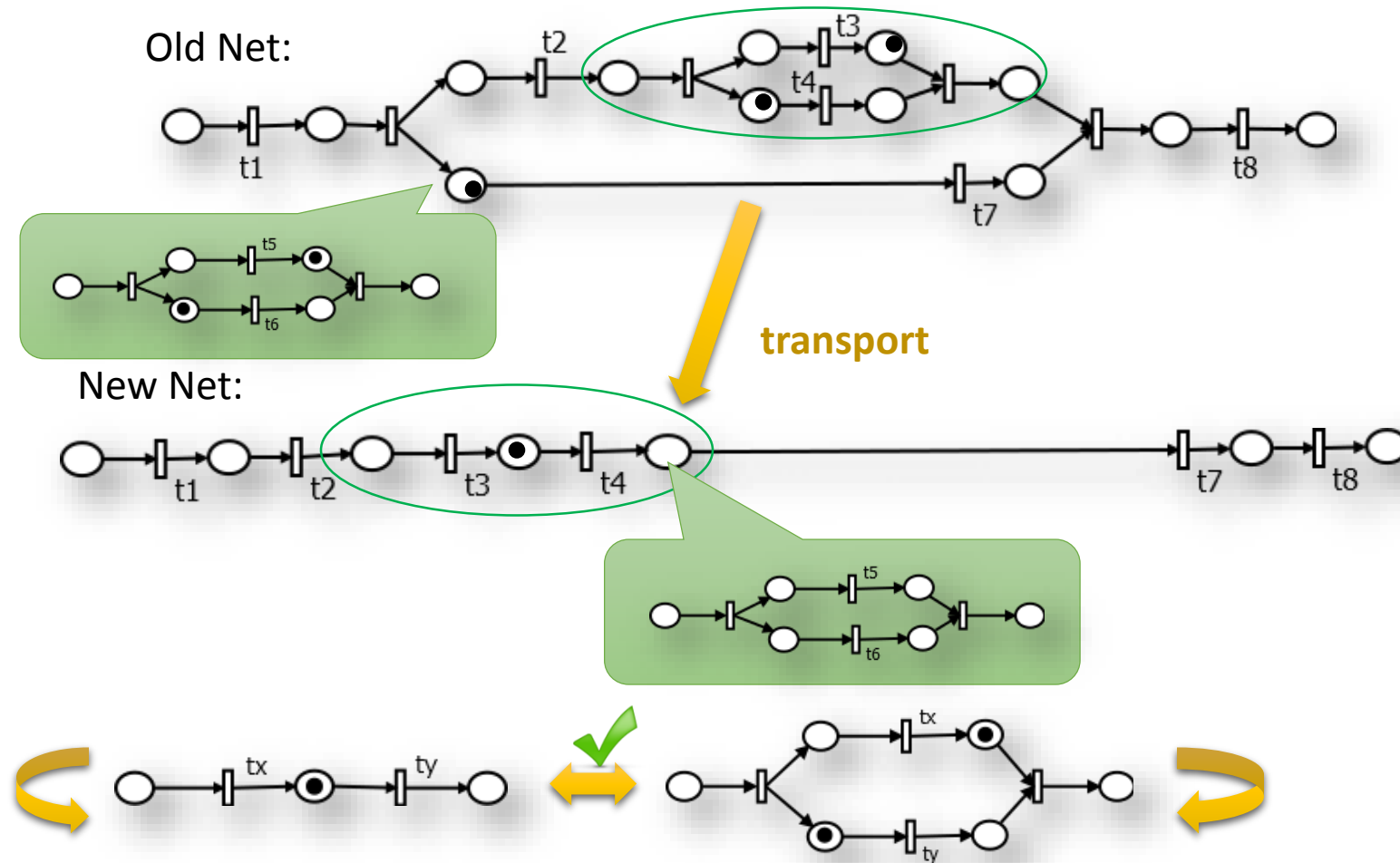
Transport & Unfolding



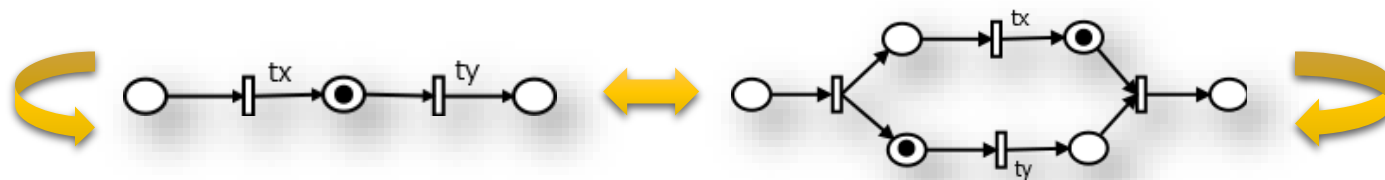
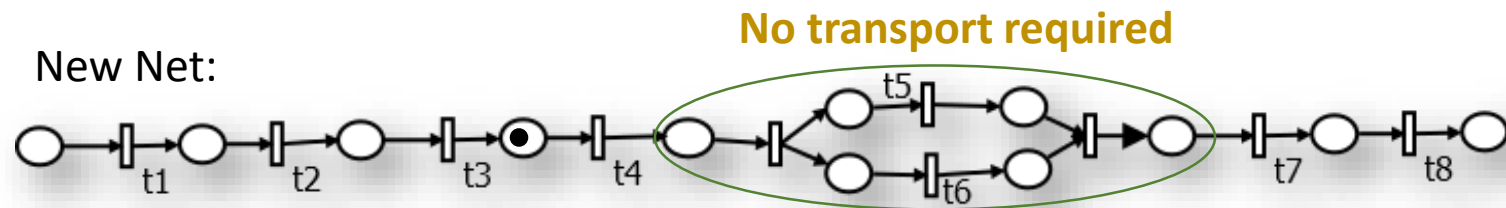
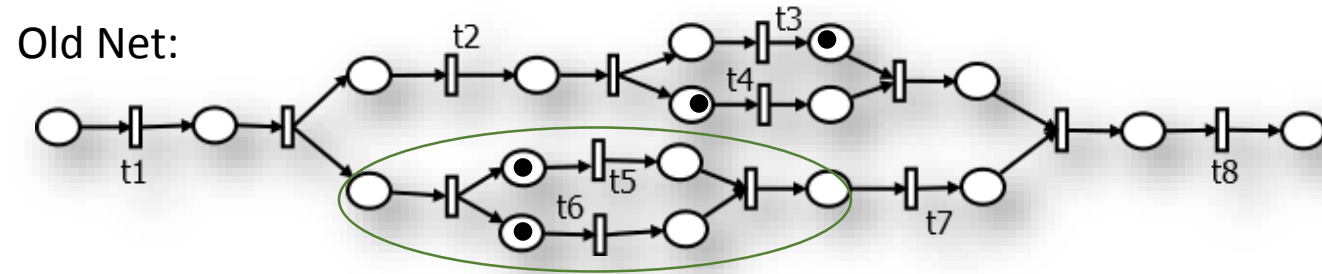
transport



Transport & Unfolding

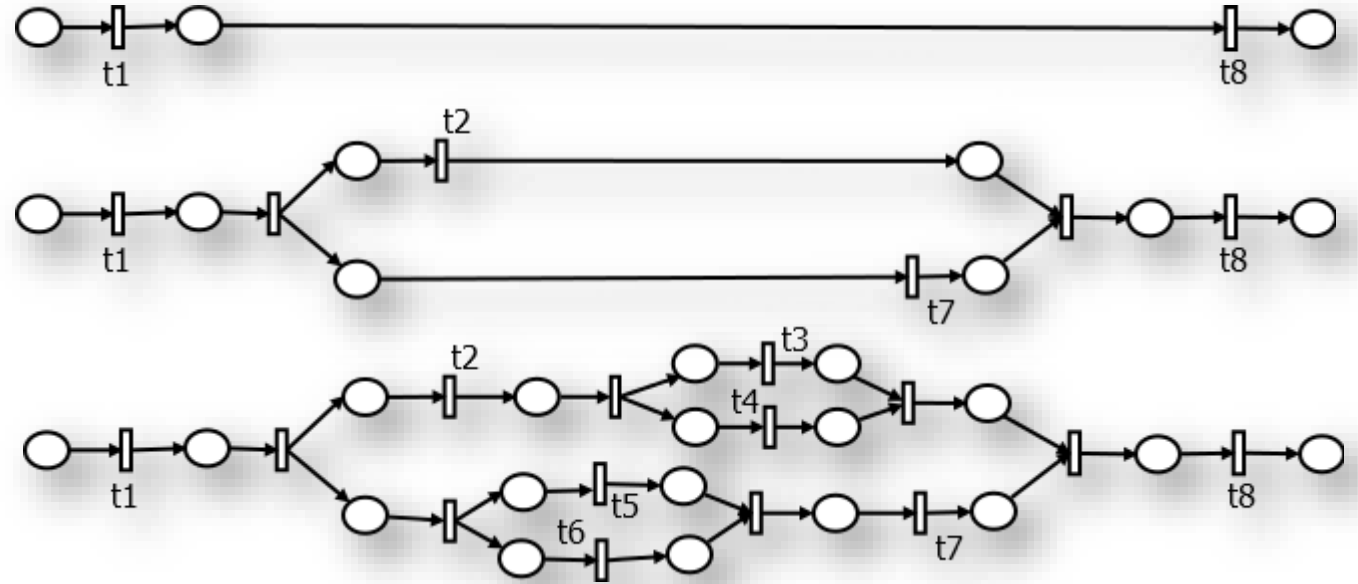


Transport & Unfolding



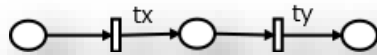
CWS Grammar

Example:

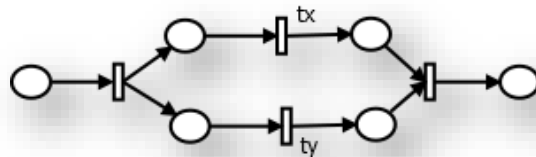


Pattern Specification Net Model

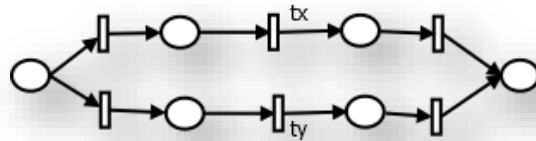
SEQ: tx ty



AND: (tx) (ty)



XOR: [tx] [ty]



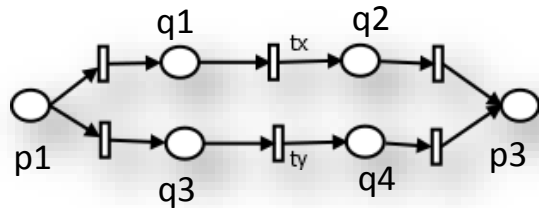
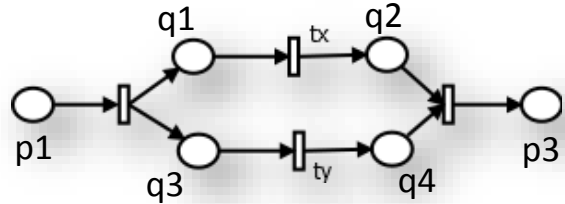
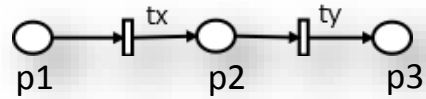
Folding steps follow such order of derivation..

Start \rightarrow SEQ;
 SEQ \rightarrow SEQ t SEQ t SEQ
 | SEQ AND SEQ
 | SEQ XOR SEQ | e
 AND \rightarrow (SEQ t SEQ) (SEQ t SEQ)
 XOR \rightarrow [SEQ t SEQ] [SEQ t SEQ]

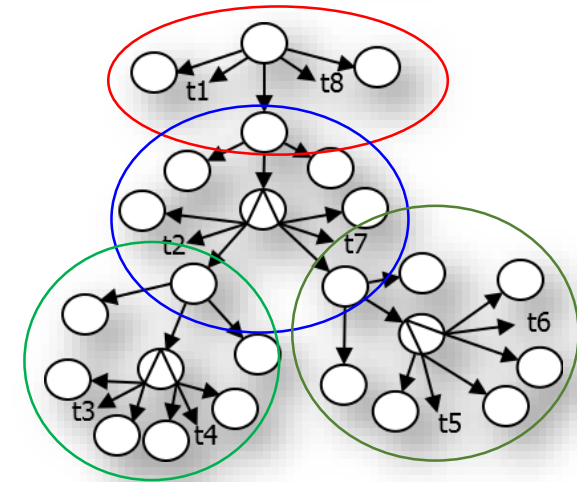
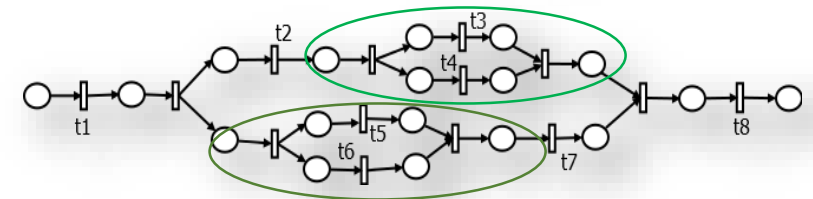
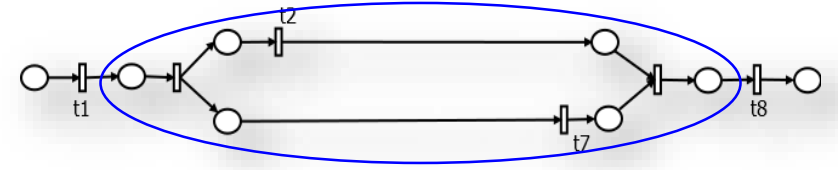
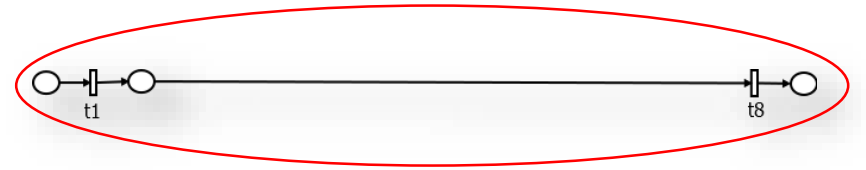
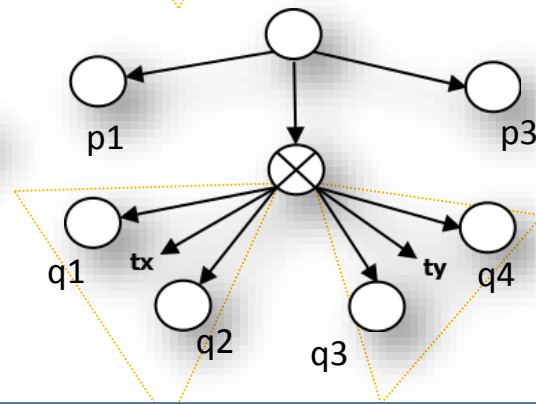
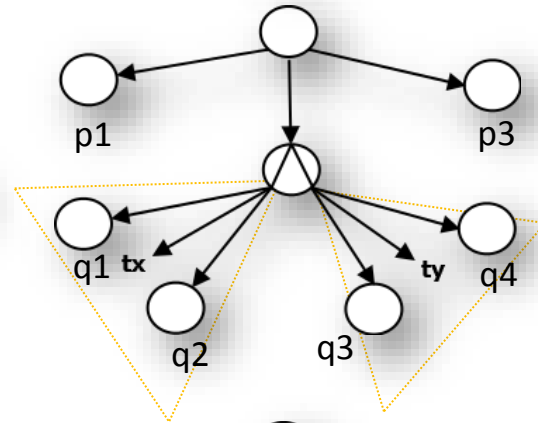
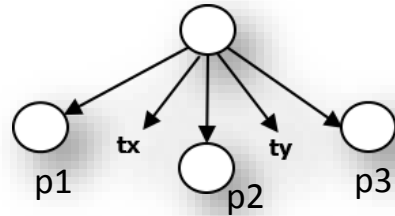
Acyclic Workflow nets
 Even no. of transitions

Derivation Tree

Primitive Block



Derivation Tree

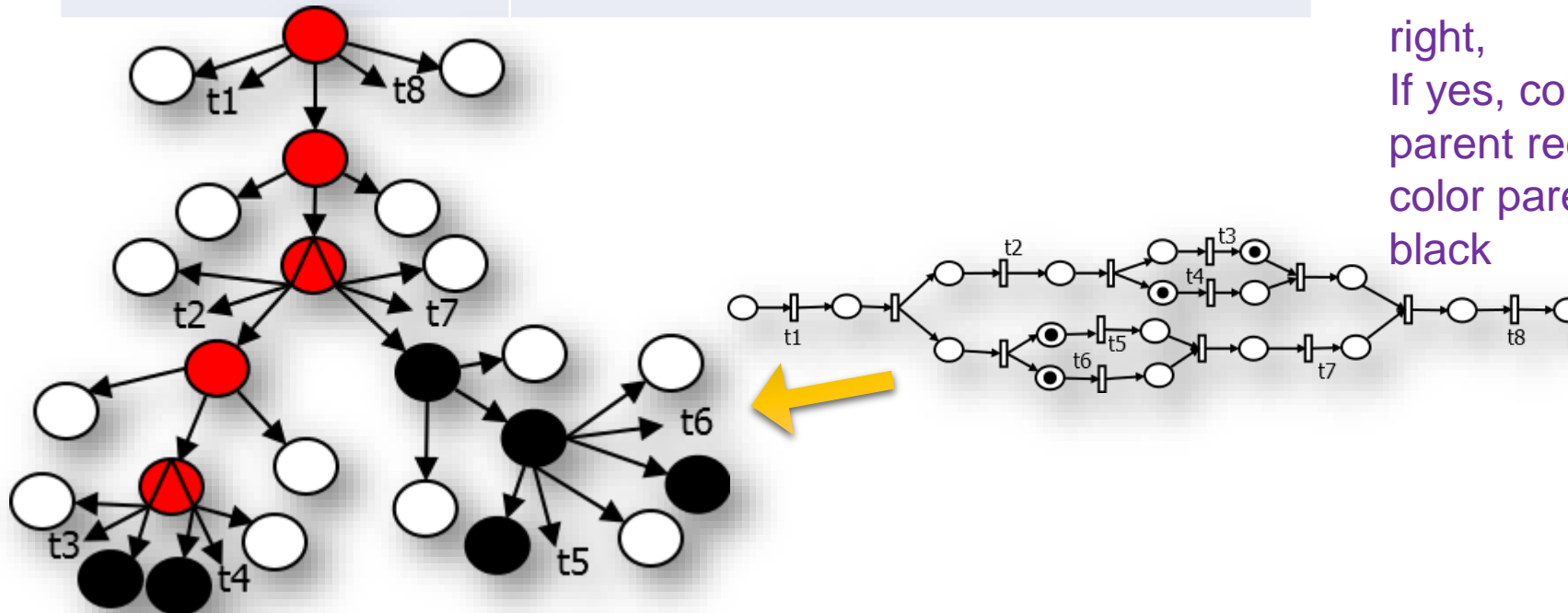


Colored Derivation Tree

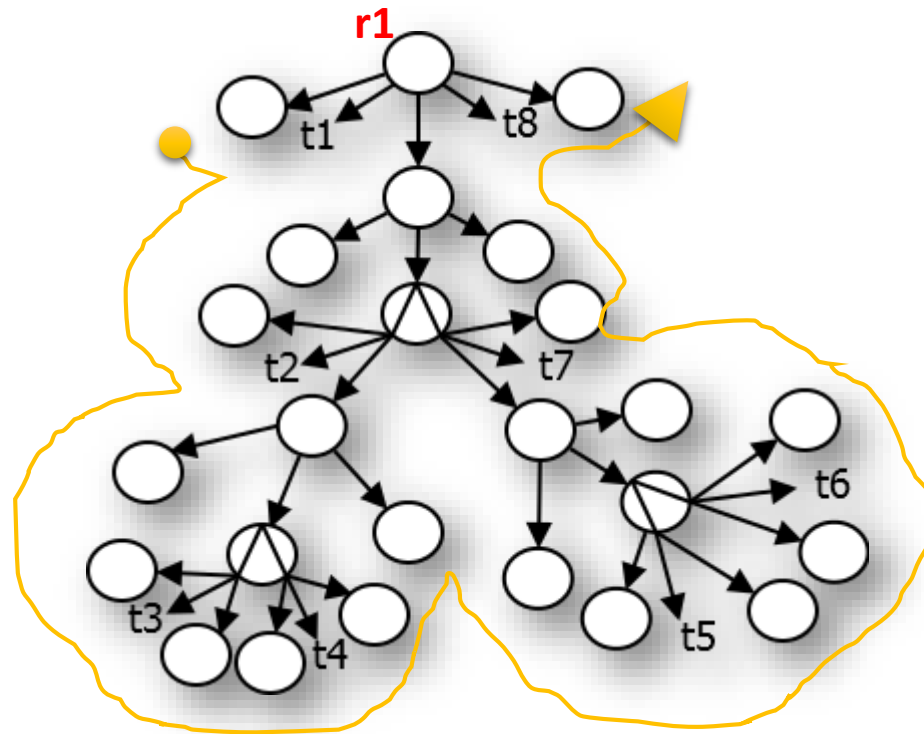
Node Type		Description
Leaf/Non-leaf	○	Unmarked folded/unfolded place
Leaf	●	marked place in net
Non-leaf	●	abstraction of null-executed subnet
Non-leaf	●	abstraction of subnets where at least one labeled transition has been fired

Red node:
Color parent red

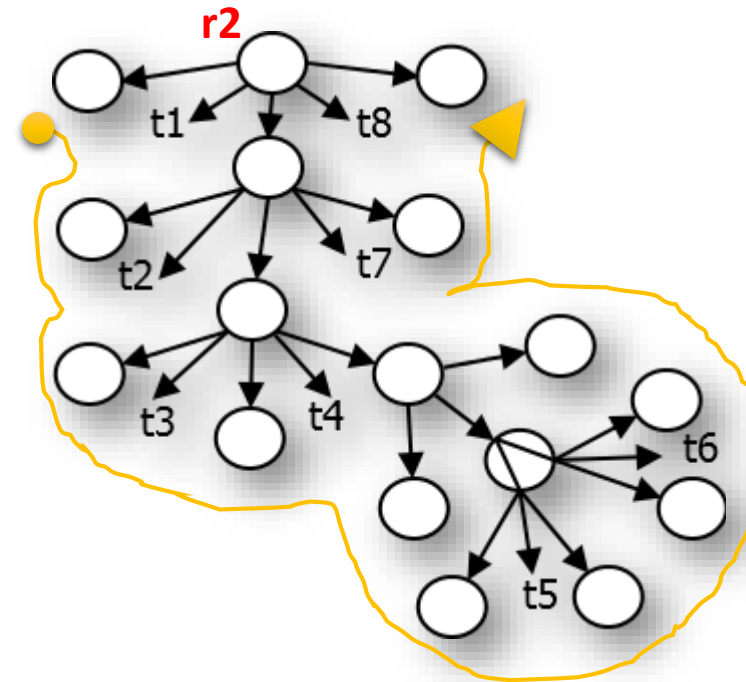
Black node:
Check if any transition Sibling has color at right,
If yes, color parent red; Else color parent black



YoYo Compatibility



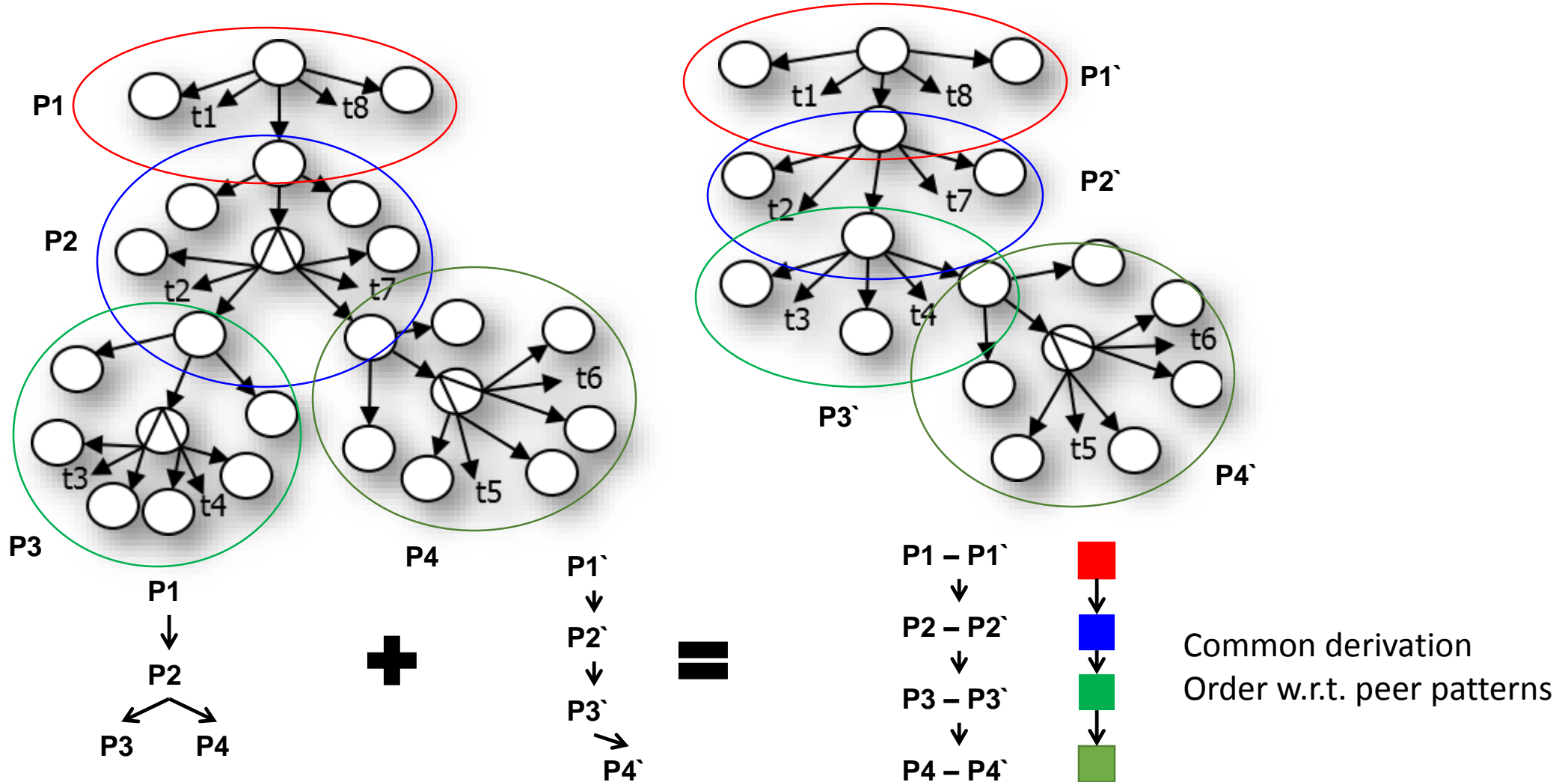
Yield of r1 =
 $t1 \{ t2 \{ t3, t4 \}, \{ t5, t6 \} t7 \} t8$



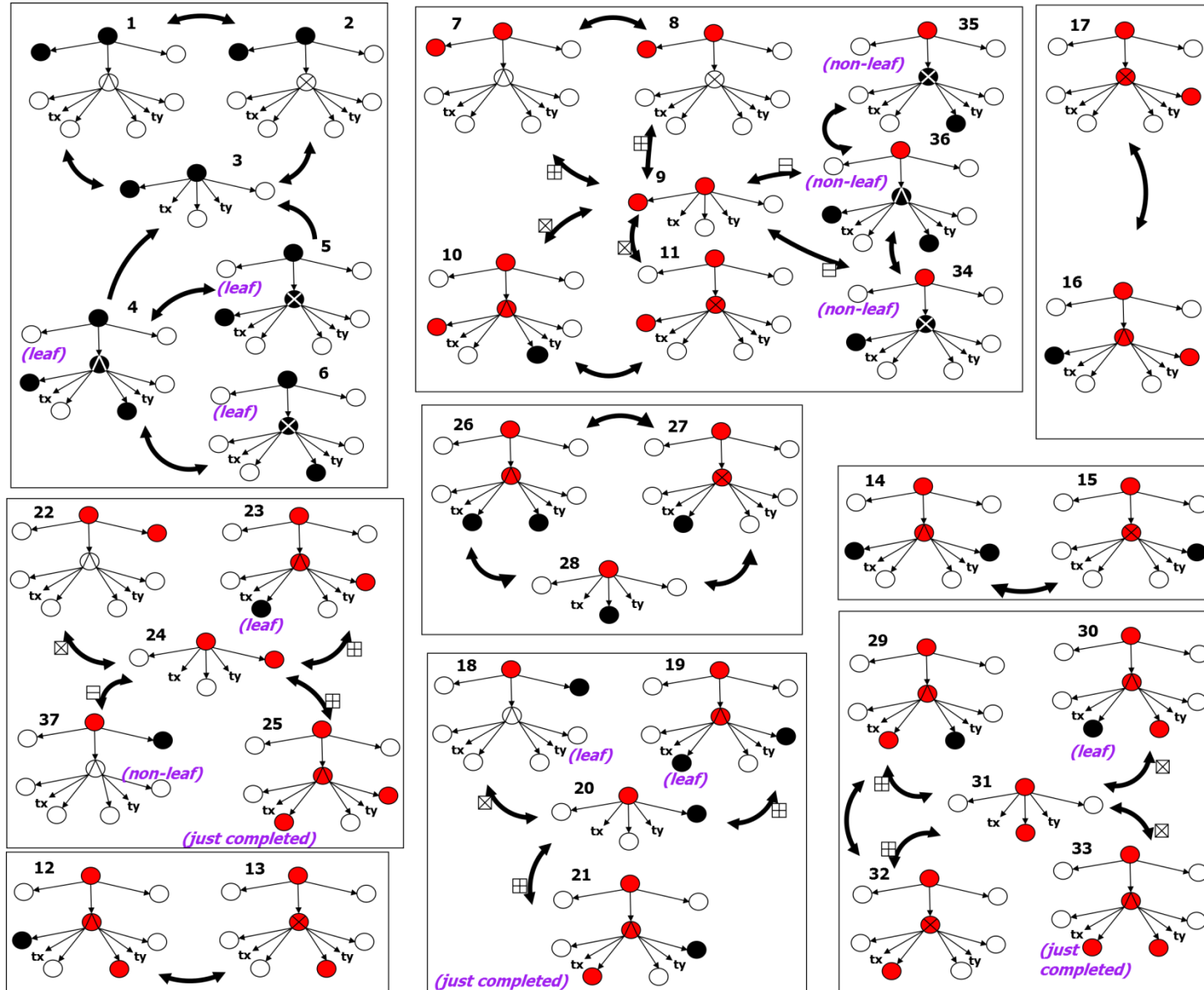
Yield of r2 =
 $t1 t2 t3 t4 \{ t5, t6 \} t7 t8$

Both can generate the same sequence $t1 t2 t3 t4 t5 t6 t7 t8 \rightarrow$ *Folding order exists*

Folding Order

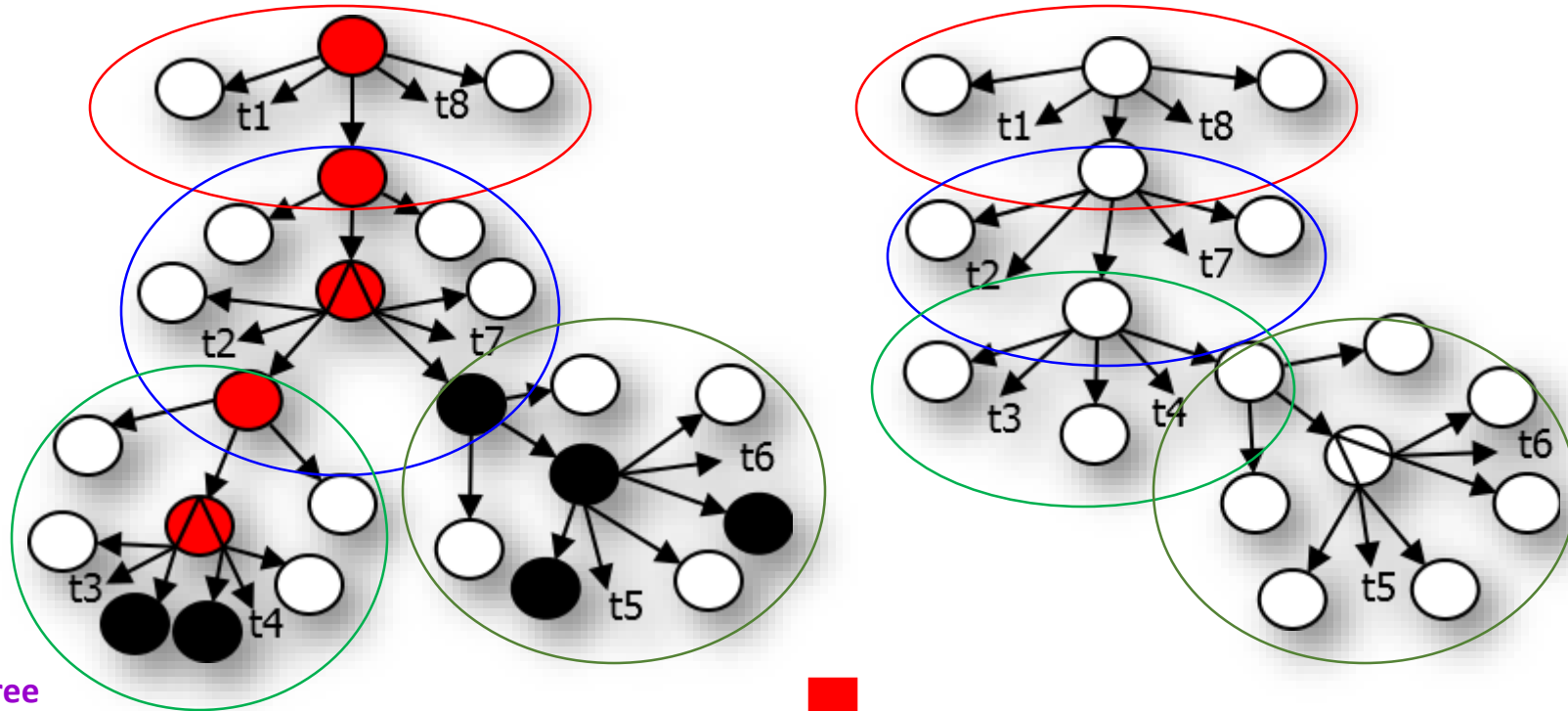


Token Transportation Catalog



Every possible
Color-mapping
Between peer patterns

YoYo Algorithm

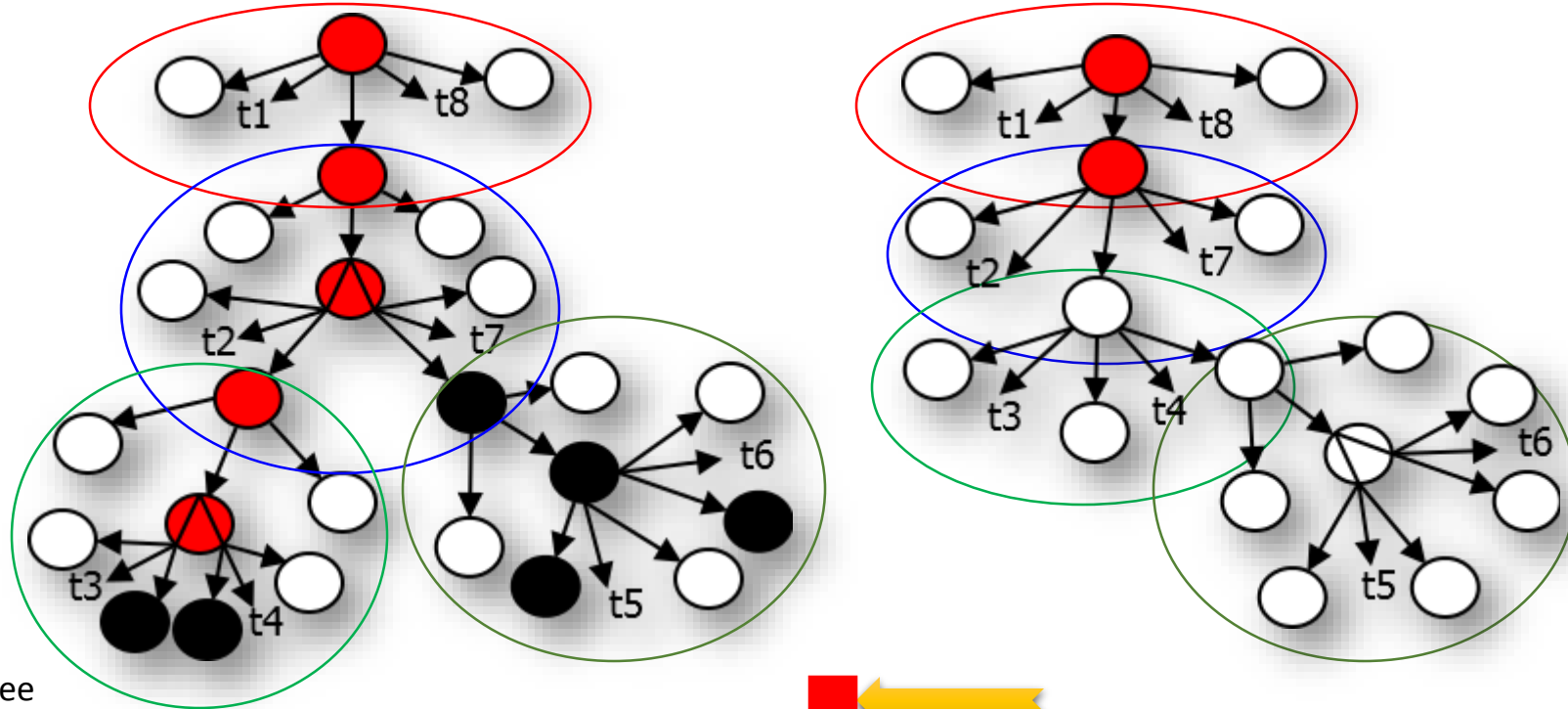


1. Color old tree

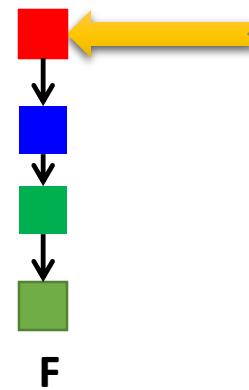
2. $\langle p-q \rangle$ be 1st peer patterns to appear in folding order F
3. Color transfer between p , q
4. for each next $\langle p-q \rangle$ in F ,
if q has colored root,
if p is colored,
color transfer between p , q
else
localPropagation(q)



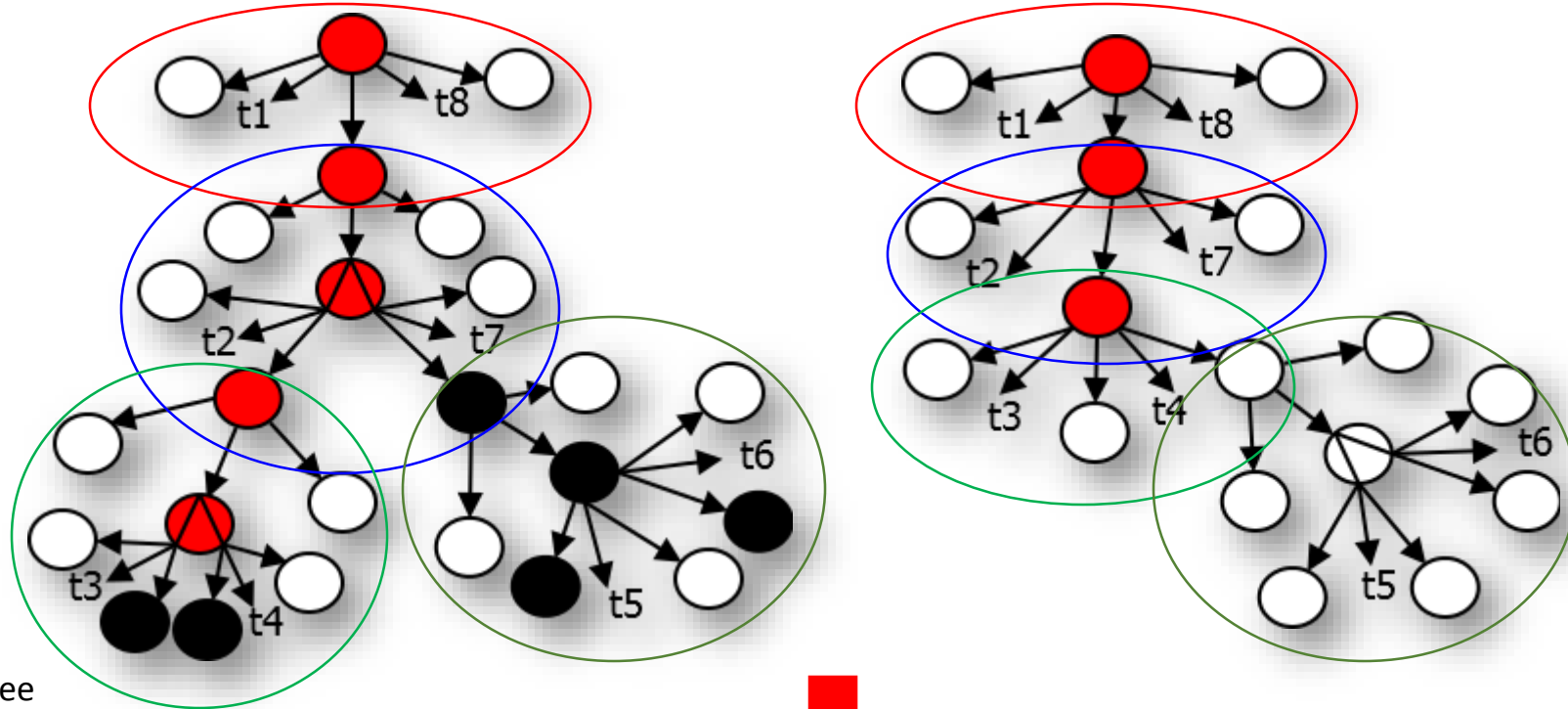
YoYo Algorithm



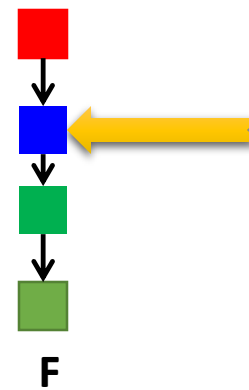
1. Color old tree
2. $\langle p-q \rangle$ be 1st peer patterns to appear in folding order F
3. Color transfer between p, q
4. for each next $\langle p-q \rangle$ in F ,
 - if q has colored root,
 - if p is colored,
 - color transfer between p, q
 - else
 - localPropagation(q)



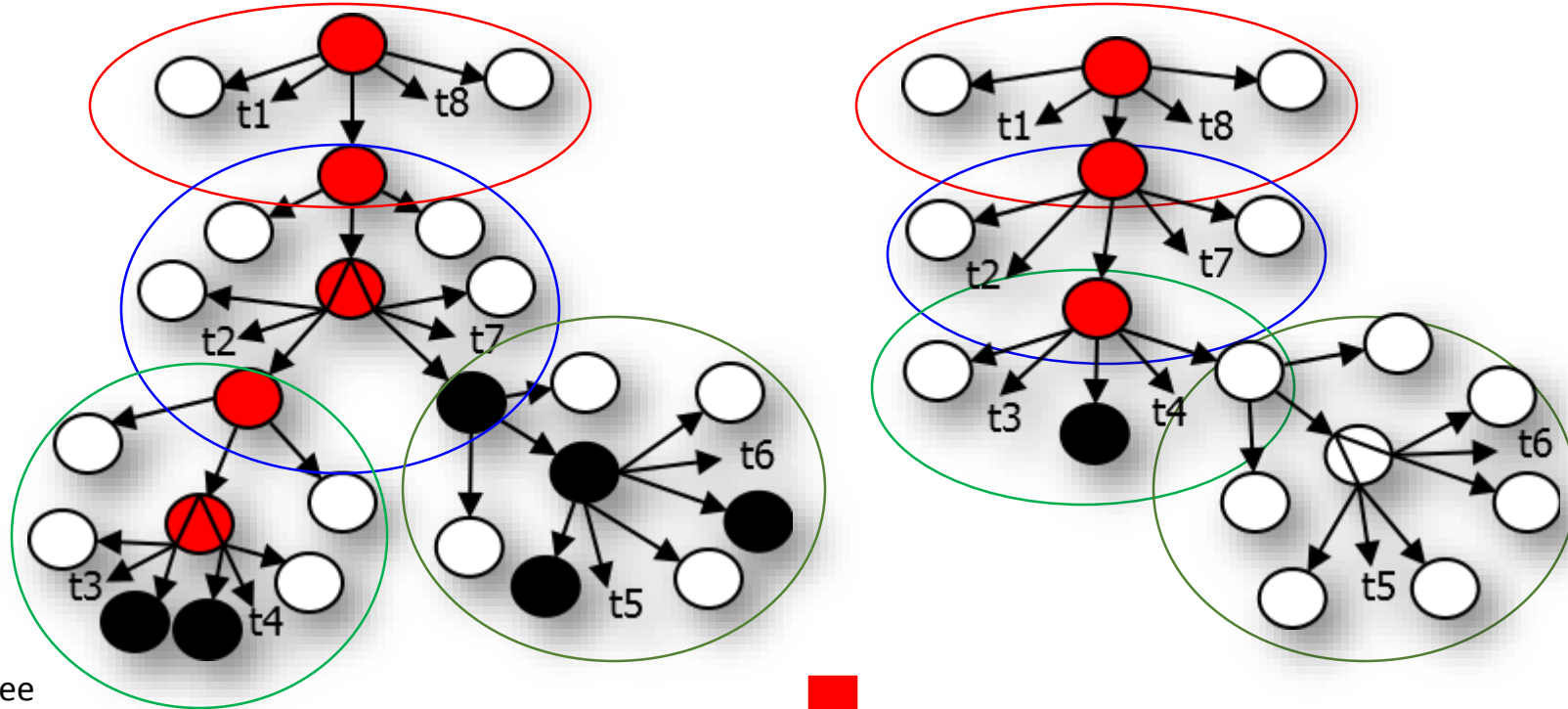
YoYo Algorithm



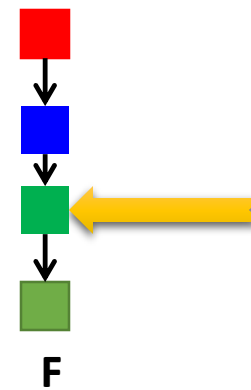
1. Color old tree
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 else
 localPropagation(q)



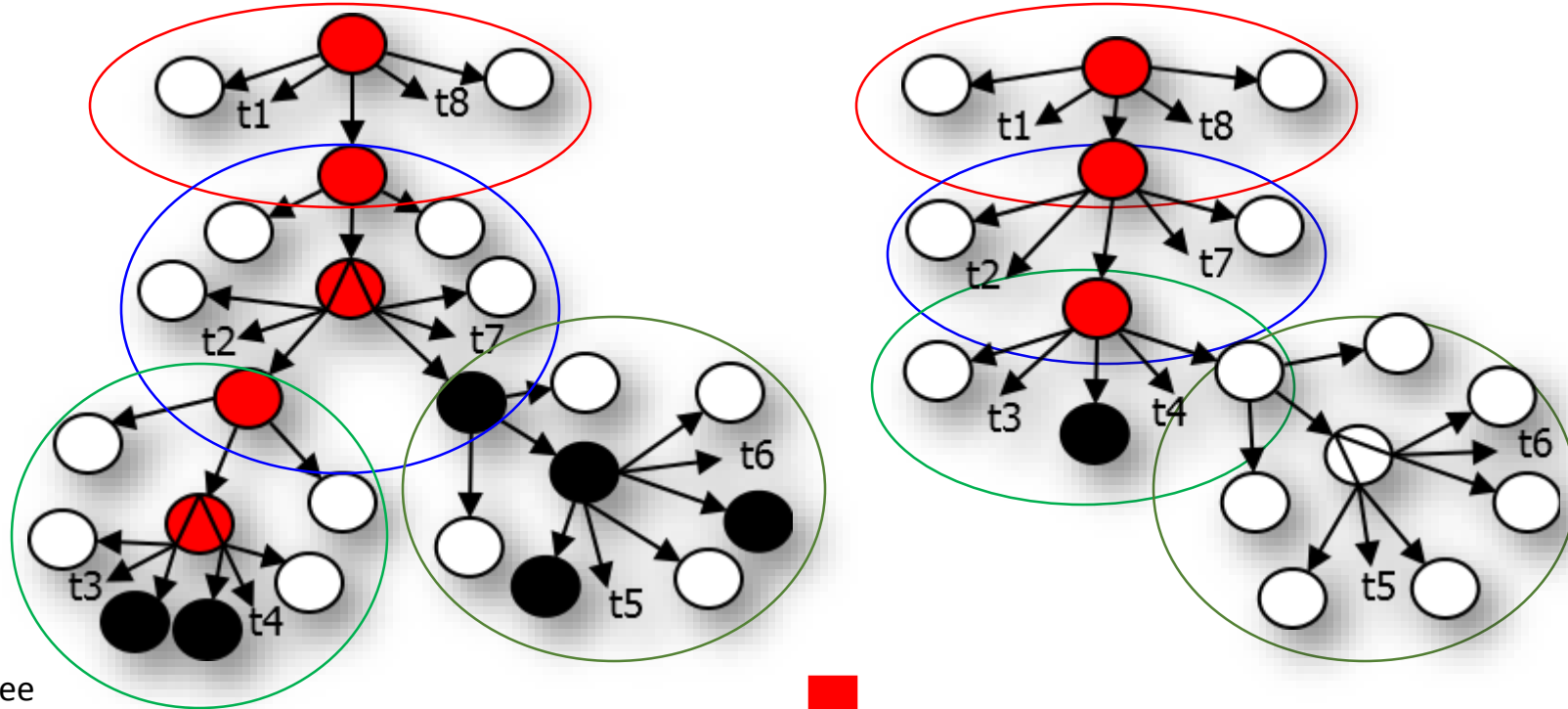
YoYo Algorithm



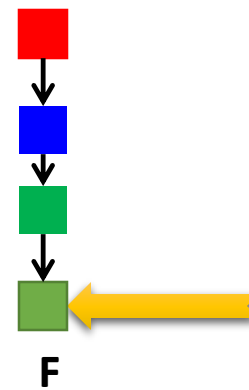
1. Color old tree
2. $\langle p-q \rangle$ be 1st peer patterns to appear in folding order F
3. Color transfer between p, q
4. for each next $\langle p-q \rangle$ in F ,
 if q has colored root,
 if p is colored,
 color transfer between p, q
 else
 localPropagation(q)



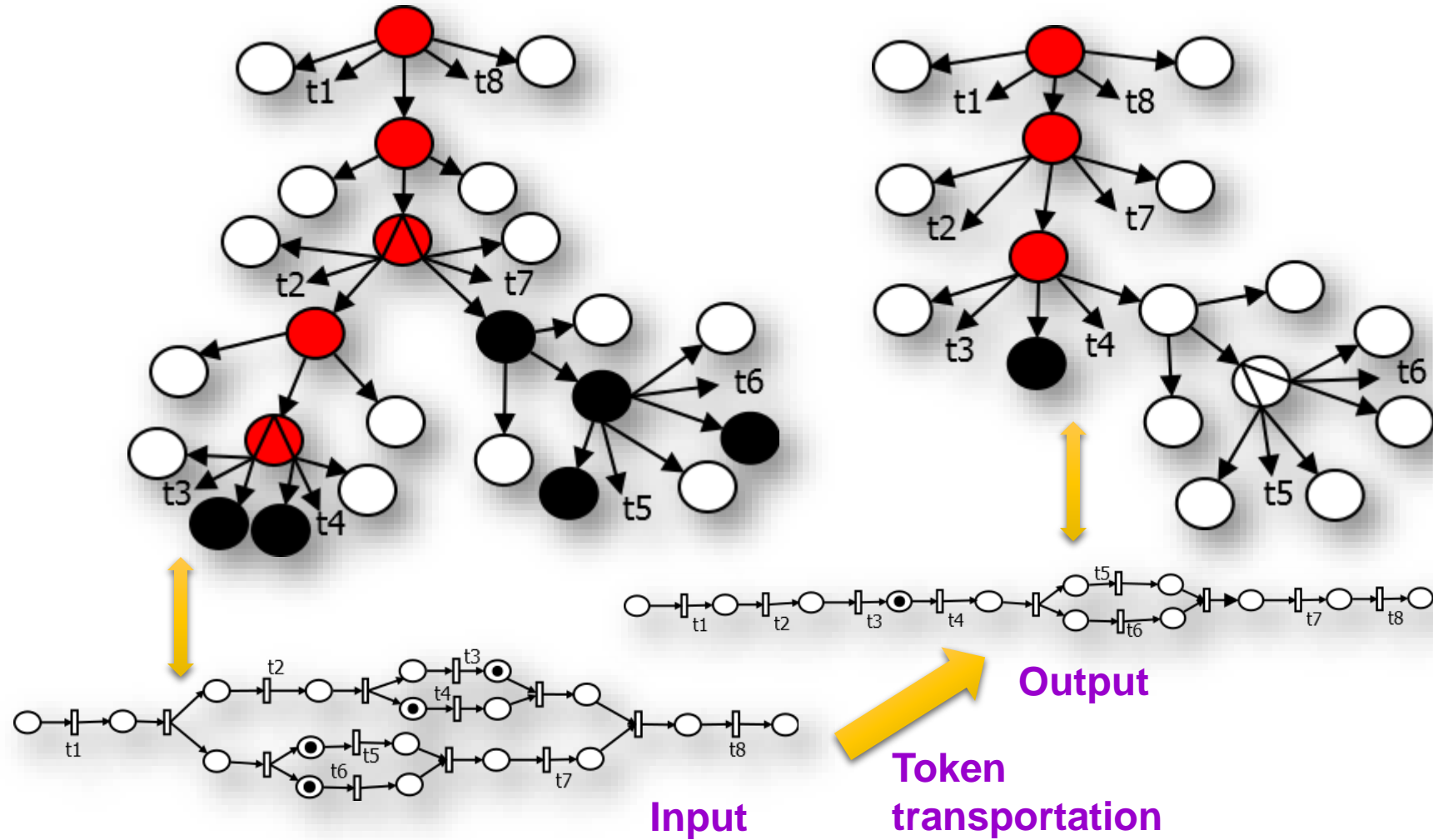
YoYo Algorithm



1. Color old tree
2. $\langle p-q \rangle$ be 1st peer patterns to appear in folding order F
3. Color transfer between p, q
4. for each next $\langle p-q \rangle$ in F ,
if q has colored root, false
 if p is colored, color transfer between p, q
 else localPropagation(q)



YoYo Algorithm



Max. no. of Transportation Steps = no. of patterns (linear time complexity)

Correctness Proof

Catalog Completeness:

Token transportation catalog is complete w.r.t. the 6 change patterns

Lemma 1:

For two Yo-Yo compatible derivation trees, consistent coloring between the top peer patterns guarantees consistent coloring between their immediate child peer patterns

Lemma 2:

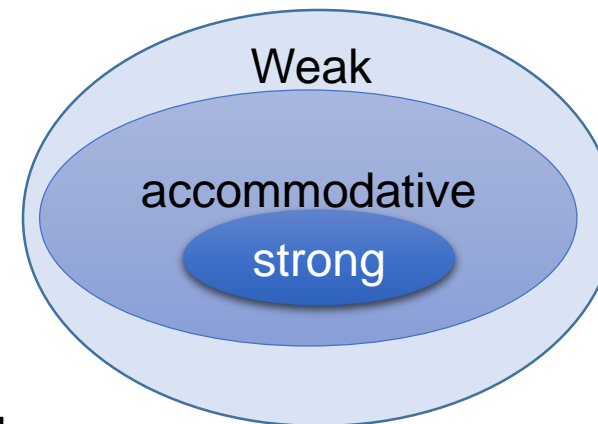
Lemma 1 can be repeated for all parent-child peer pairs across two Yo-Yo compatible derivation trees

Lookahead Consistency Models

Consistency Model Name	Description
Strong Lookahead	same lookahead trace sets of consistent marking
Accommodative Lookahead	old lookahead trace set preserved in new
Weak Lookahead	at least one old lookahead trace preserved in new

State-transfer Algorithms:

1. Determine existence of Weak Lookahead
2. Inferences about Strong/Accommodative Lookahead
3. Given Accommodative Lookahead, enforce Strong Lookahead



Gist of State-transfer Approaches

Petri Net is not trace-accumulative model, needs some kind of trace-replay in order to obtain trace-based consistent migrations

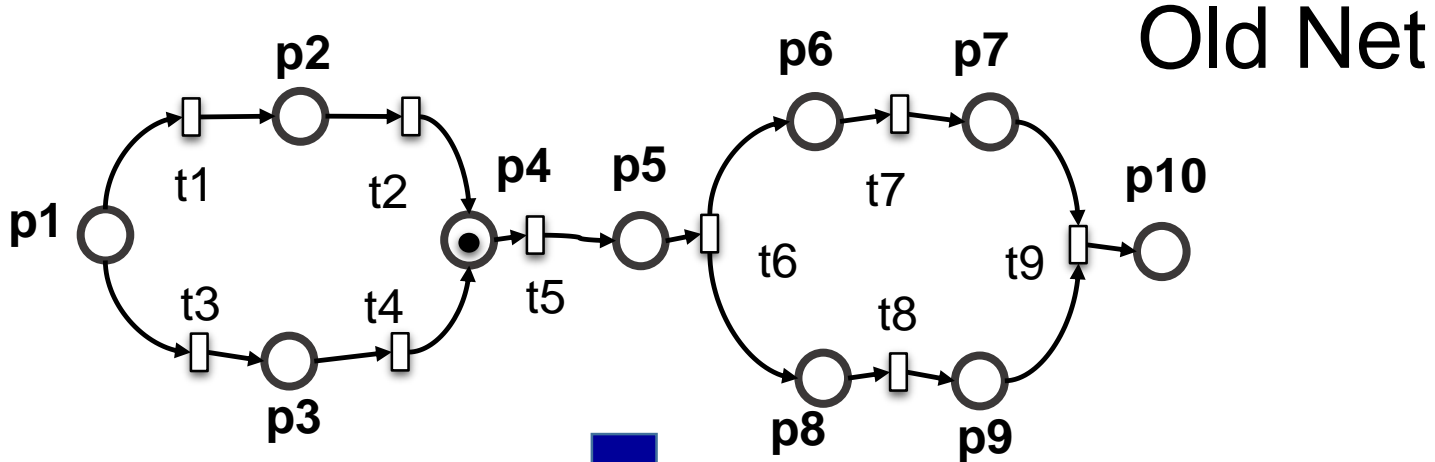
YoYo algorithm (for existing model of consistency)

- Vertical trace-reply (through hierarchy of derivation tree) in comparison to traditional horizontal trace-replay (token game)
- Efficient due to ready-made solutions (catalog)
- Restricted scope to CWS-nets and pattern changes

Lookahead algorithms (for new models of consistency) based on trace-reply

Change Region Approach

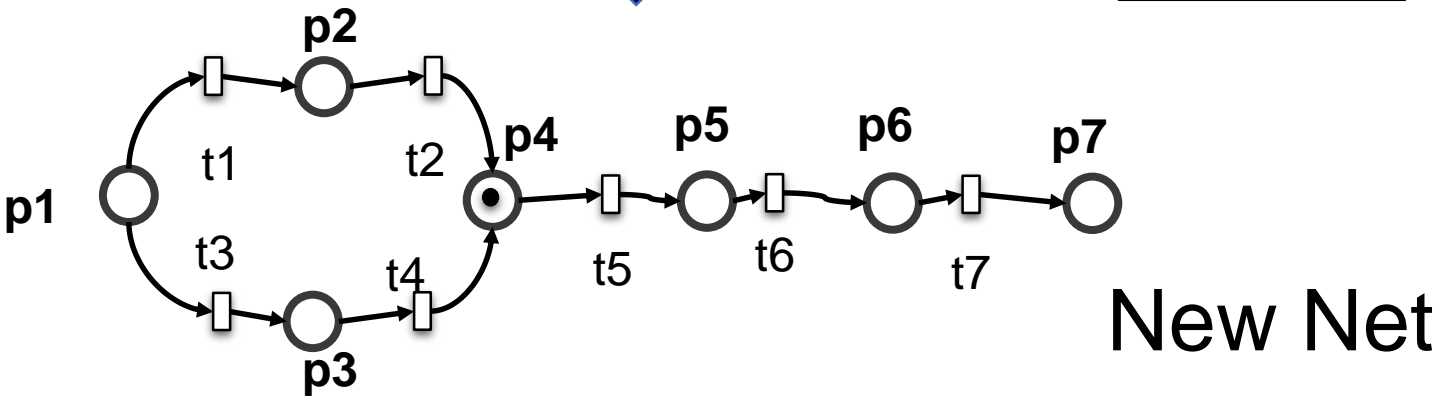
Live Consistency Model



Old Net



Two consistent markings have the Same set of Marked places

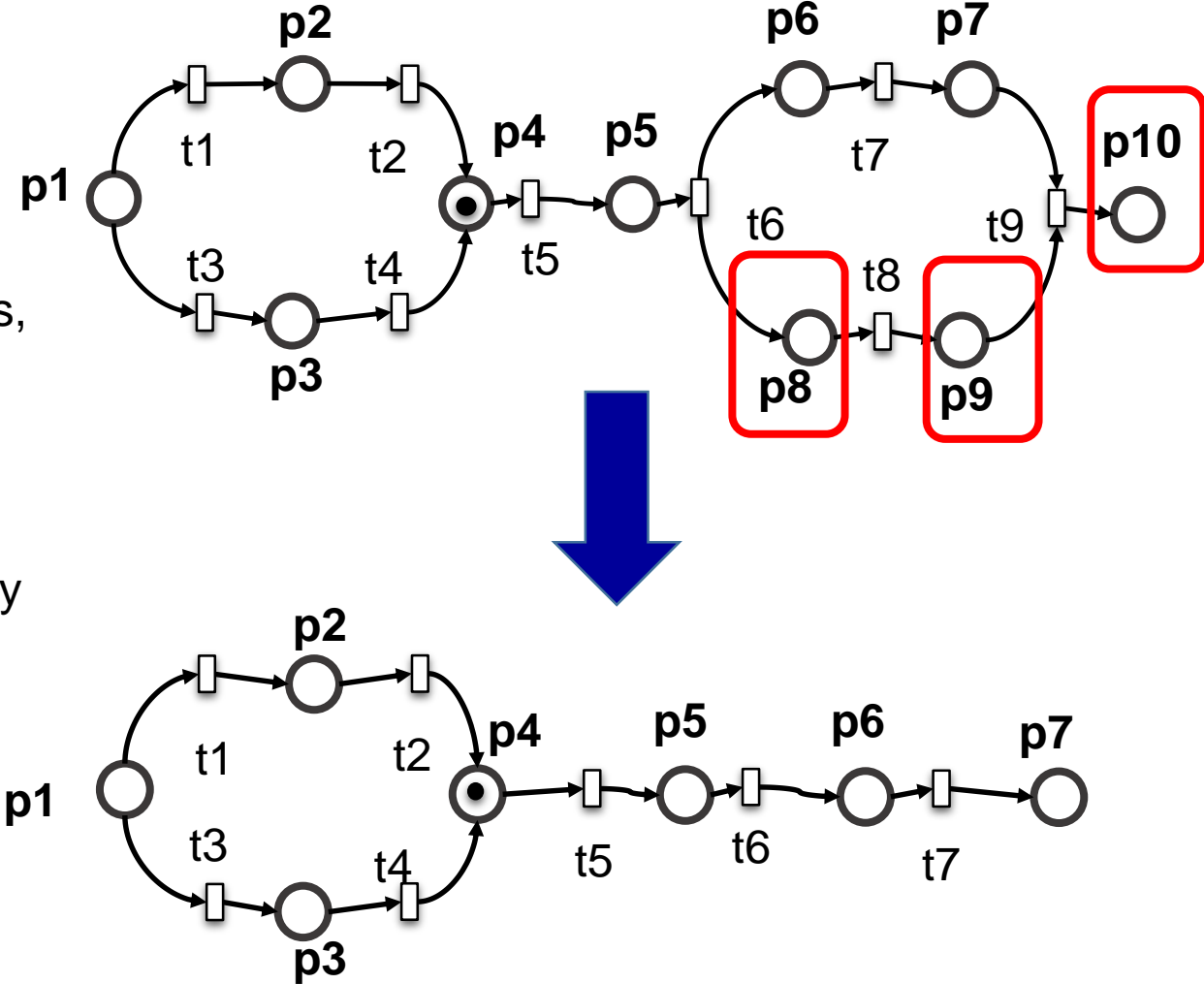


New Net

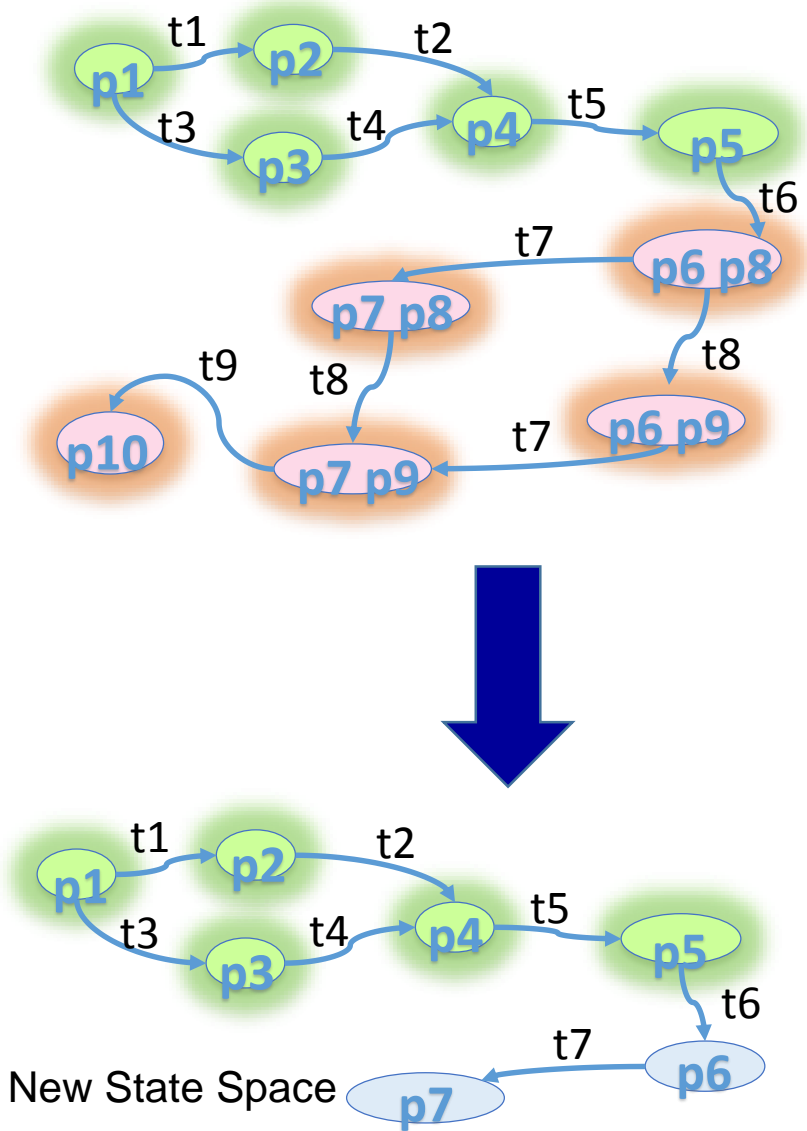
Change Region

Set of places that causes non-migratable markings

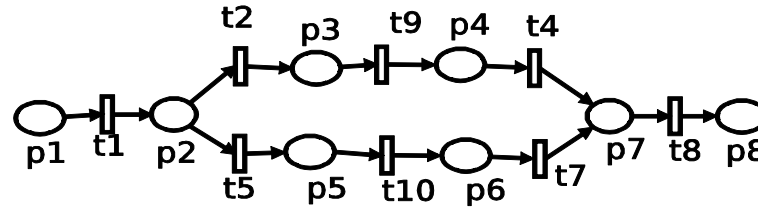
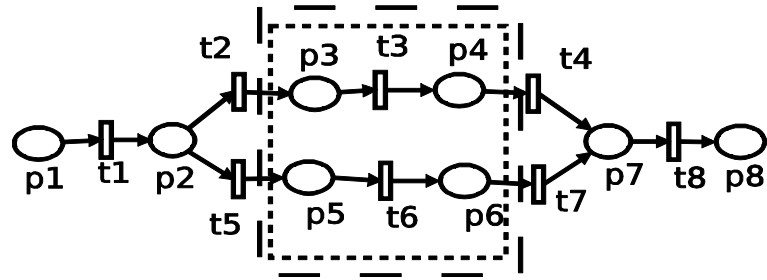
When available before
Migration of hundreds of active instances,
One can know which of them can be
Migrated safely and immediately
Without consulting the state space!



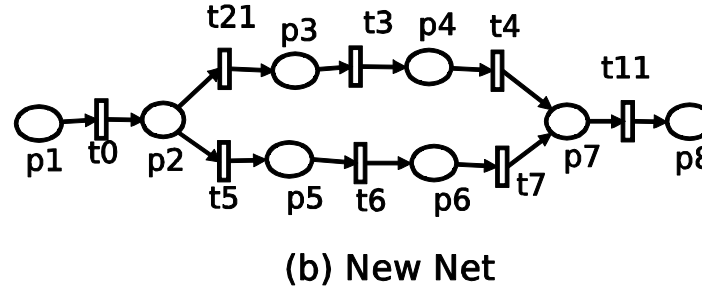
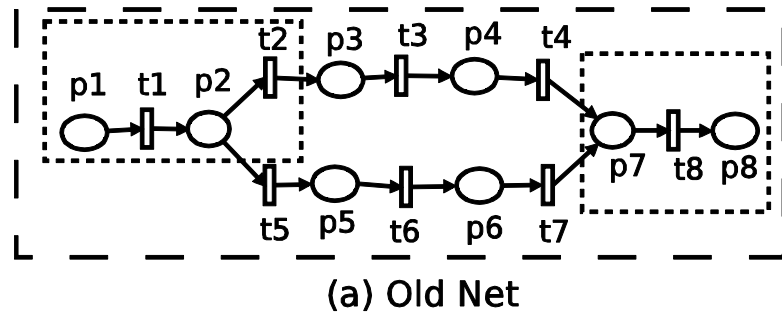
Old State Space
(green states are immediately migratable, i.e. have consistency mappings)



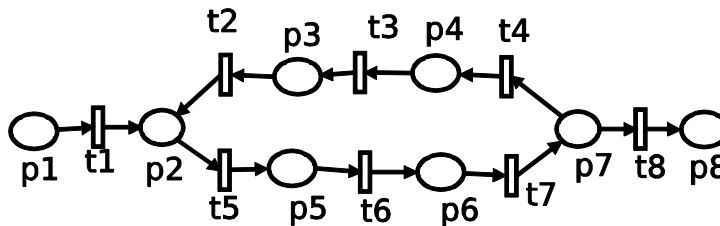
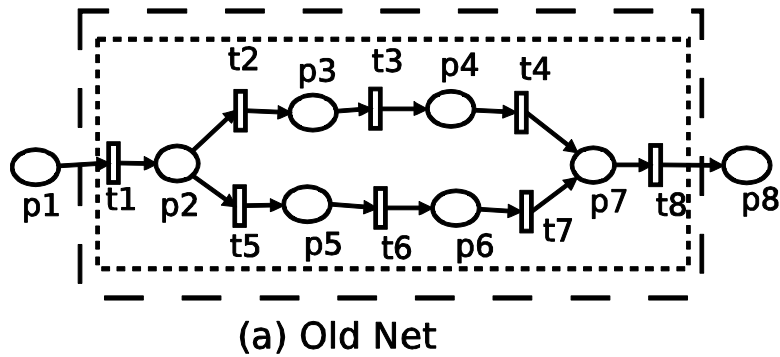
Existing Approach



Change Region:
Smallest SESE region covering
 Structural changes
 (Reasoning:
 Whatever change in happens to
 State-space, remains confined in
 This region)



(b) New Net



(b) New Net

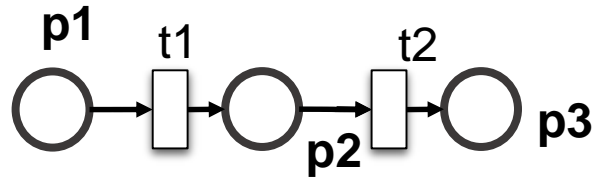
No change in
 Reachable states
 In the state-space

False-negatives!

Our Approach

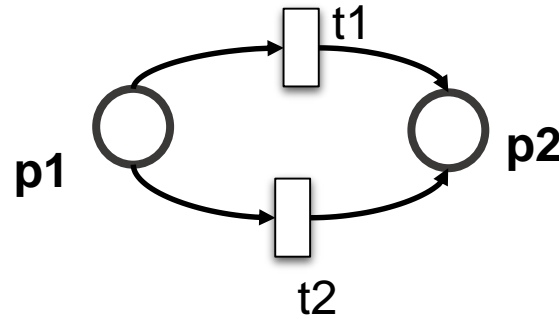
- Structural Model of all possible markings – C-tree
- Analyze causes of non-migratability – Change Properties
- When false-negatives are unavoidable? – overestimation
- Change region devoid of overestimation – PSCR
- Computation of PSCR through change properties

ECWS Grammar for Workflow Nets



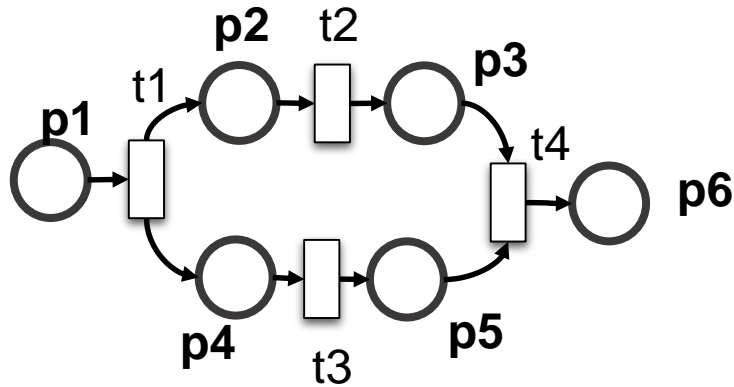
Sequence

p1 t1 p2 t2 p3



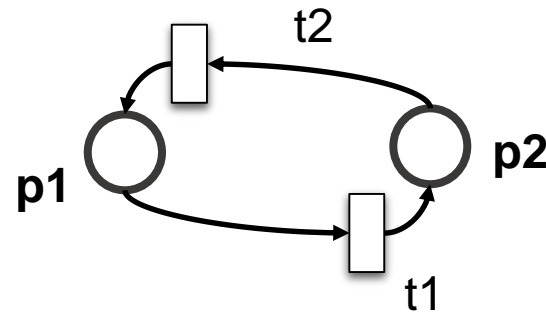
Choice (XOR)

p1 [t1] [t2] p2



Parallel (AND)

p1 t1 (p2 t2 p3) (p4 t3 p5) t4 p6



Loop

{ p1 t1 p2 } { t2 }

Net \rightarrow Pnet

Pnet \rightarrow PLACE

| Pnet TRANS PLACE

| Pnet TRANS loop TRANS Pnet

| Pnet TRANS and TRANS Pnet

| Pnet xor Pnet

Tnet \rightarrow TRANS | TRANS Pnet TRANS

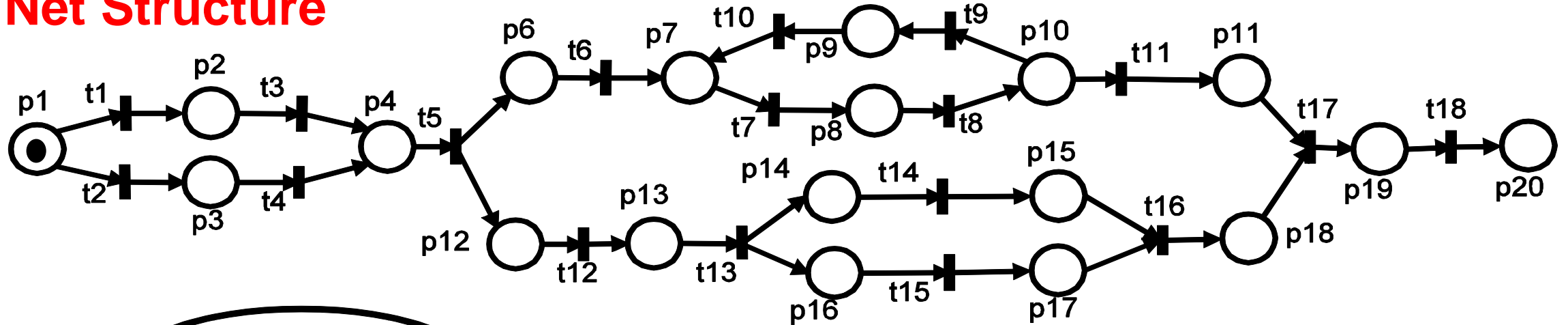
loop \rightarrow { Pnet } { Pnet }

xor \rightarrow [Tnet] [Tnet] | [Tnet] xor

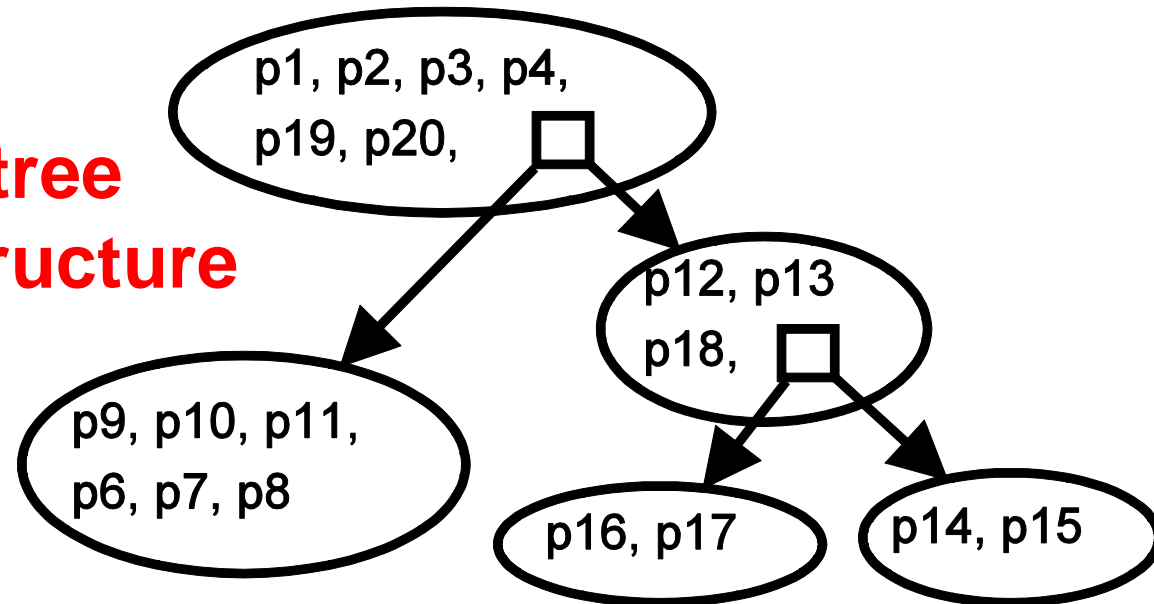
and \rightarrow (Pnet) (Pnet) | (Pnet) and

Conjoint Tree (C-tree) abstracts all markings structurally: efficient to compare the old and the new set of markings

Net Structure



C-tree Structure

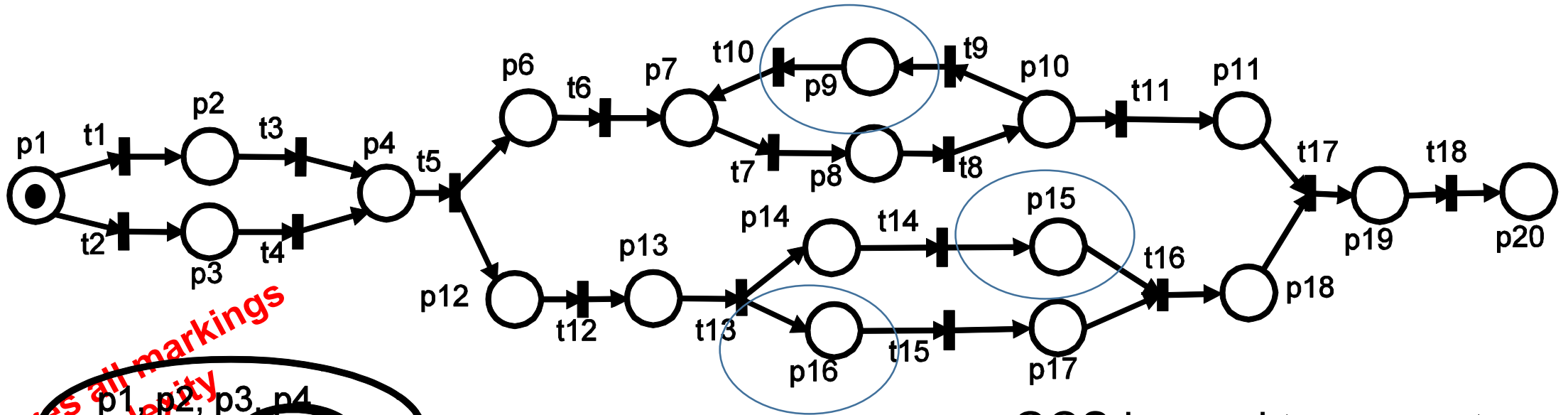


Hierarchy of Nested Concurrency

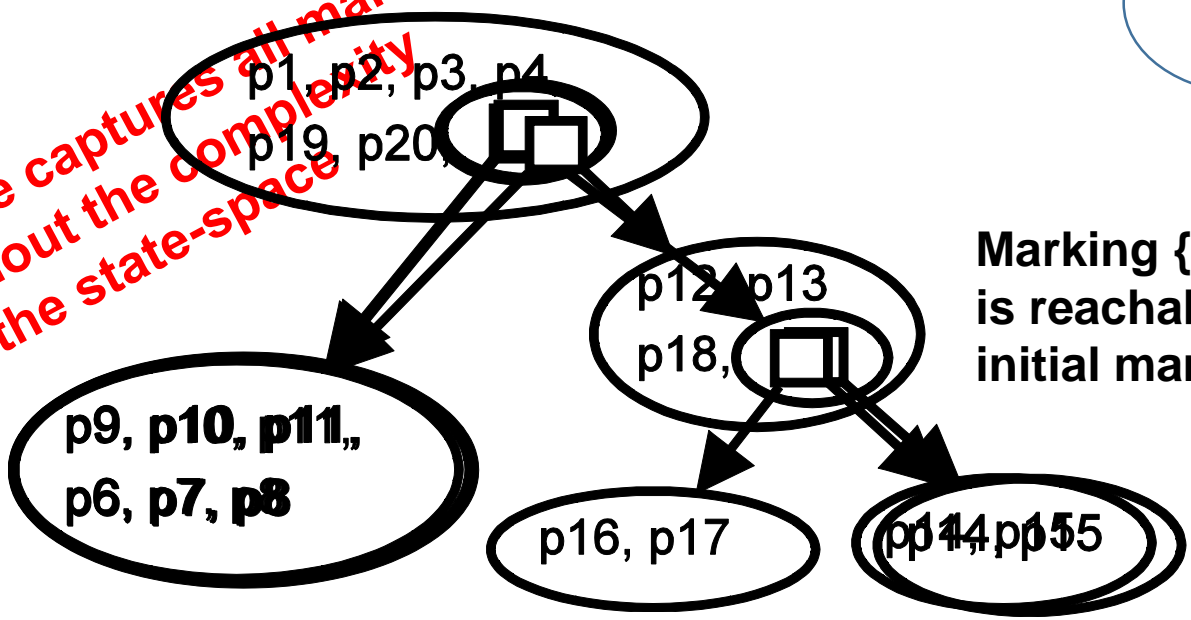
1. sequential places at root
2. Concurrent places at non-root
3. C-block (□) for every AND-block
4. Children of a C-block are AND-branches
5. Recursive structure for nested-AND
6. Places (and C-blocks) in parent-child nodes are non-concurrent to each other
(also places in same node are non-concurrent)

Generator of Concurrent Submarking (GCS):

captures the concurrent part of the net w.r.t. a place



C-tree captures all markings without the complexity of the state-space



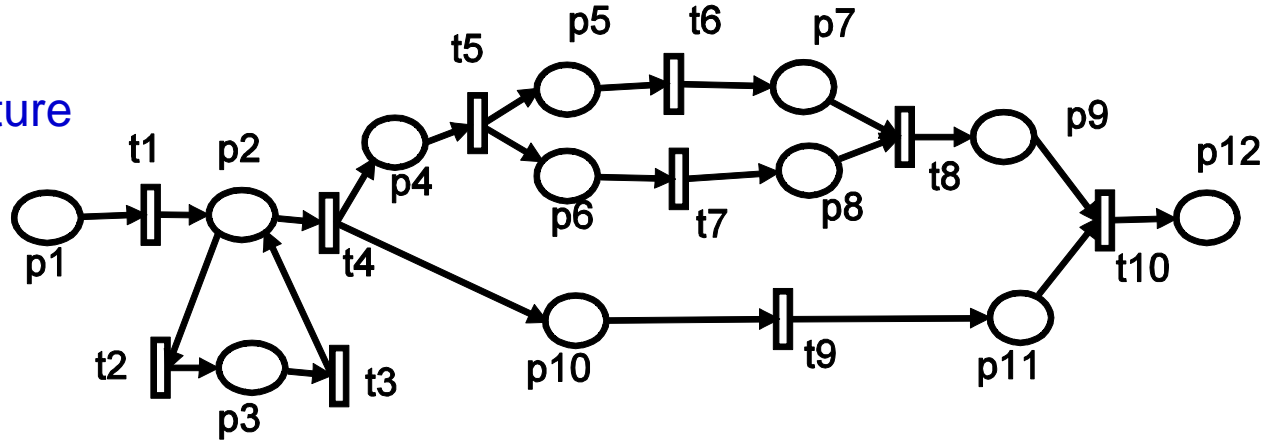
Marking { p16, p15, p9 } is reachable from initial marking { p1 }

GCS is used to generate Reachable Markings

GCS is the key to identify any change happened in the Concurrency when two nets are considered

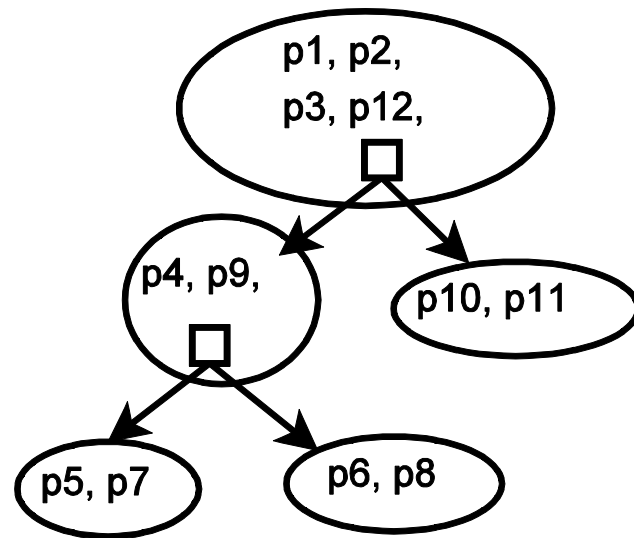
Dysfunctional C-tree & Break-off Set

Net Structure



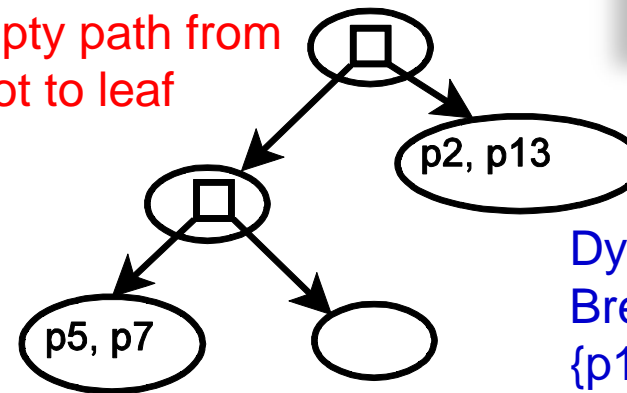
ECWS spec

$p_1 \ t_1 \ \{p_2\} \{t_2 \ p_3 \ t_3\} \ t_4 \ (p_4 \ t_5 \ (p_5 \ t_6 \ p_7) \ (p_6 \ t_7 \ p_8) \ t_8 \ p_9) \ (p_{10} \ t_9 \ p_{11}) \ t_{10} \ p_{12}$



C-tree

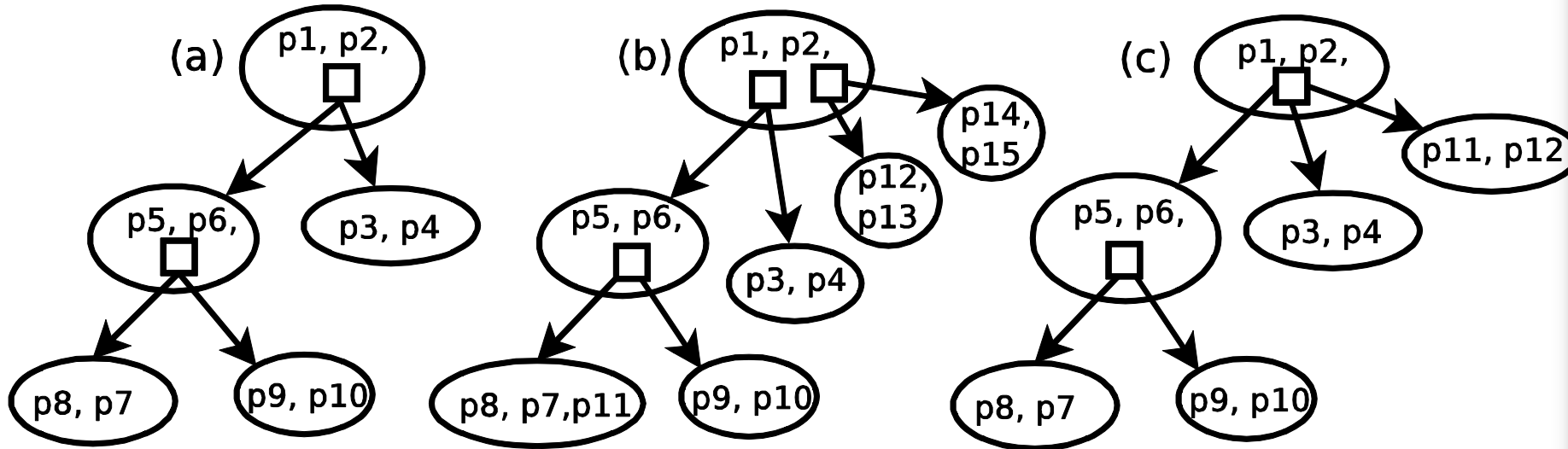
Empty path from Root to leaf



Dysfunctional C-tree,
Break-off set:
 $\{p_1, p_2, p_3, p_4, p_6, p_8, p_9, p_{12}\}$

If after removal of some places from a C-tree, the mutated C-tree cannot generate a marking that can be generated from the original C-tree, the mutated C-tree is called dysfunctional, and the set of places removal of which renders the tree dysfunctional is called as a break-off set for that C-tree.

Marking Preserving Embedding (MPE)



Definition:

An MPE of C in C' is a mapping from C to C' defined recursively: (i) $\text{places}(\text{root}(C))$ is subset of $\text{places}(\text{root}(C'))$, and (ii) C -blocks in $\text{root}(C)$ are *injectively* mapped to C -blocks in $\text{root}(C')$ such that within each C -block to C -block mapping pair (b, b') , there is a *bijective* MPE of the children C -trees of b to those of b' .

Non-migratability Lemma:

Given two C -trees C and C' , if an MPE of C in C' does not exist, then at least one marking constructible from C cannot be constructed from C' . The converse is also true.

Effect of Concurrency of a place on Migratability

Case id	Concurrent in Old Net	Concurrent in New Net	Migratability
C1	✓	✓	Conditionally Migratable
C2	✓	✗	Non-migratable
C3	✗	✓	Non-migratable
C4	✗	✗	Migratable
C5	Don't care	Absent	Non-migratable

Example:

C1: $\{p1,p2\} \rightarrow \{p1,p2\}; \{p1,p2\} \rightarrow \{p1,p2,p3\}....$

C2: $\{p1,p2\} \rightarrow \{p1\}$

C3: $\{p1\} \rightarrow \{p1,p2\}$

C4: $\{p1\} \rightarrow \{p1\}$

C5: $\{p1\}$ or $\{p1,p2\} \rightarrow$ no marking with p1 available

A concurrent place has more than one marking in an ECWS-net

A non-concurrent place has only one marking in an ECWS-net

Change Properties

Old net N , New net N' ,

Old C-tree C , New C-tree C'

p is the place to be inspected for its effect on non-migratability

(C5) Removal

No marking involving p is reachable in N' . (p is present in C , p is absent in C').

(C2) Lost Concurrency

Markings involving p are concurrent in N but not in N' (p in a non-root node in C but in the root node in C').

(C3) Acquired Concurrency

Only one standalone marking involving p in N , but concurrent markings in N' (p is in root node of C but in a non-root node in C').

(C1.1) Weak Reformed Concurrency

(i) p is in concurrent markings in both N and N' (p in non-root nodes in both C and C')

(ii) at least one concurrent marking involving p in N is not reachable in N' due to addition or reduction of concurrency of p ($GCS(p,C)$ does not have an MPE in $GCS(p,C')$.)

(C1.2) Strong Reformed Concurrency

(i) p is in concurrent markings in N and N' (p in non-root nodes both in C and C')

(ii) all concurrent markings involving p in N are not reachable in C' . (either the set of places $\{places(GCS(p,C)) - places(GCS(p,C'))\}$ is a break-off set w.r.t. C-tree $GCS(p,C)$, or the set of places $\{places(GCS(p,C')) - places(GCS(p,C))\}$ is a break-off set w.r.t. C-tree $GCS(p,C')$.)

Justification: p in non-root nodes implies involvement in concurrency. When condition is satisfied, it means that the places which are concurrent to p in both nets are not capable of generating any common valid marking involving p .

Characterization of Change Region

Structural Change Region (SCR)

Given a migration net pair N and N' , $SCR(N, N')$ is a subset of places in N s.t.
for every non-migratable marking M from N to N' , M includes a member from $SCR(N, N')$.

Perfect Structural Change Region (PSCR)

Given a migration net pair N and N' , $PSCR(N, N')$ is a subset of places in N s.t.

- i. for every place p in $PSCR(N, N')$, there exists a non-migratable marking from N to N' involving p ,
- ii. for every non-migratable marking M from N to N' , M includes a member from $PSCR(N, N')$.

Perfect Member

A place p in the old net N is a perfect member in N , w.r.t. the new net N' iff all markings in N involving p are non-migratable.

Overestimation

A place p in the old net N is an overestimation w.r.t. the new net N' , iff there exists a migratable marking and also a non-migratable marking involving p in N .

Safe Member

A place p in the old net N is a safe member w.r.t. the new net N' , iff every marking involving p in N is migratable.

Change Region Lemmas

SCR Lemma

The union of all overestimations and all perfect members in old net N w.r.t. new net N' is SCR in N w.r.t. N' .

PSCR Lemma

PSCR exists in a given old net N w.r.t. new net N'
iff every non-migratable marking in N includes at least one perfect member.
(the proof constructs the set of perfect members as the PSCR)

Perfect Member Lemma

If a place p in old net N satisfies one of Removal, Lost Concurrency, Acquired Concurrency and Strong Reformed Concurrency w.r.t. new net N' , then the place is a perfect member and vice-versa.

Overestimation Lemma

If a place p in old net N satisfies Weak Reformed Concurrency but not Strong Reformed Concurrency w.r.t. new net N' , it is an overestimation w.r.t. N' and the vice-versa.

Computation of PSCR

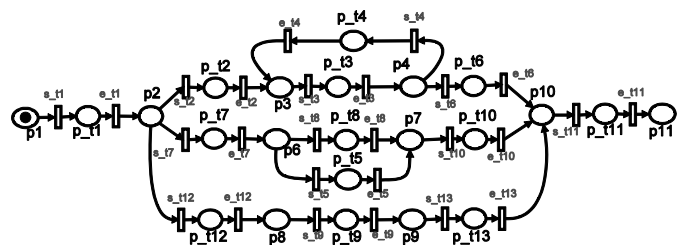
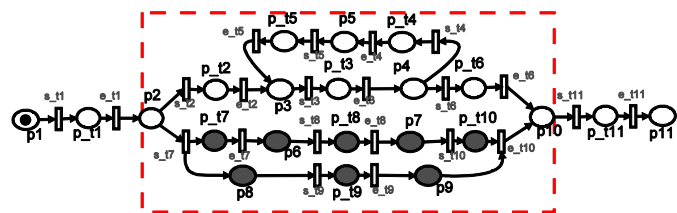
Old C-tree C , New C-tree C' , set of Perfect Members in C w.r.t. C' be $Perf$.

If there is no overestimation in C , $PSCR \leftarrow Perf$.

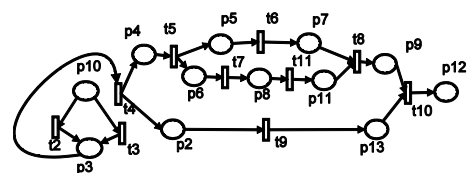
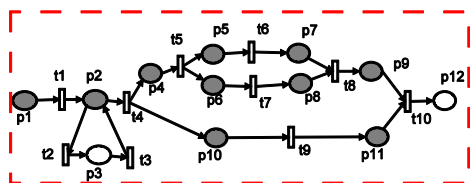
Else if PSCR exists as per the following table, $PSCR \leftarrow Perf$.

C has markings without Perfect Members	C' has markings without Perfect Members	All markings without Perfect Members in C can be generated from C'	PSCR Exists
✗ Perf is break-off set for C	Don't care	Don't care	✓
✓ Perf is not break-off set for C	✗ Perf is break-off set for C'	Don't care	✗
✓ Perf is not break-off set for C	✓ Perf is not break-off set for C'	✗ delete(C,Perf) doesn't have MPE in delete(C',Perf)	✗
✓ Perf is not break-off set for C	✓ Perf is not break-off set for C'	✓ delete(C,Perf) has a MPE in delete(C',Perf)	✓

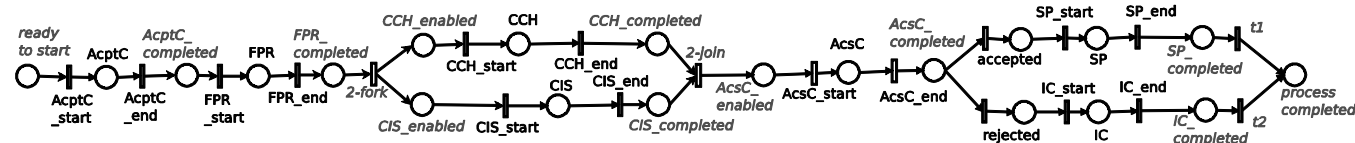
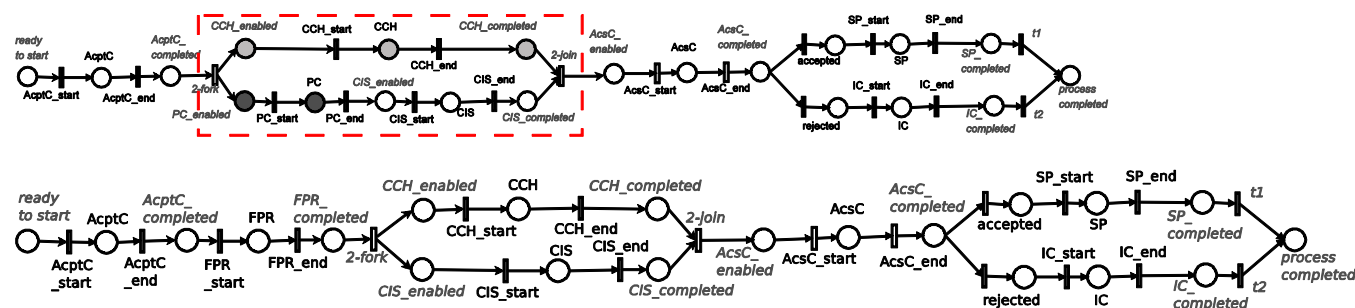
Experimental Results



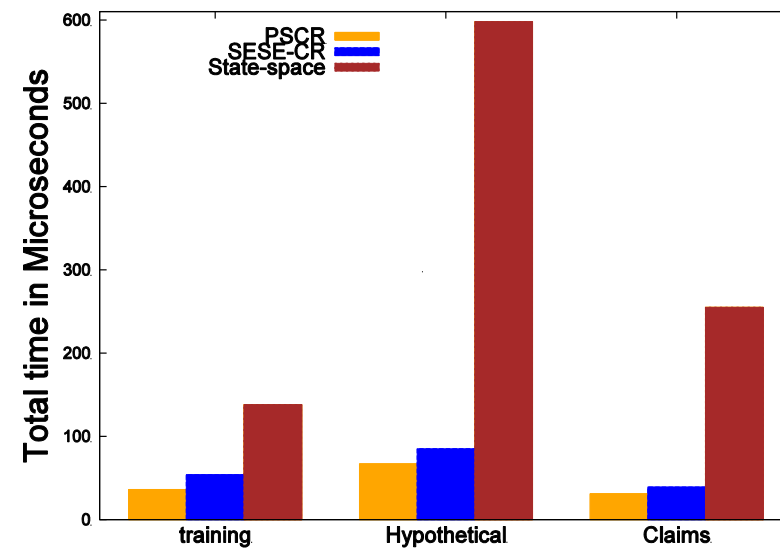
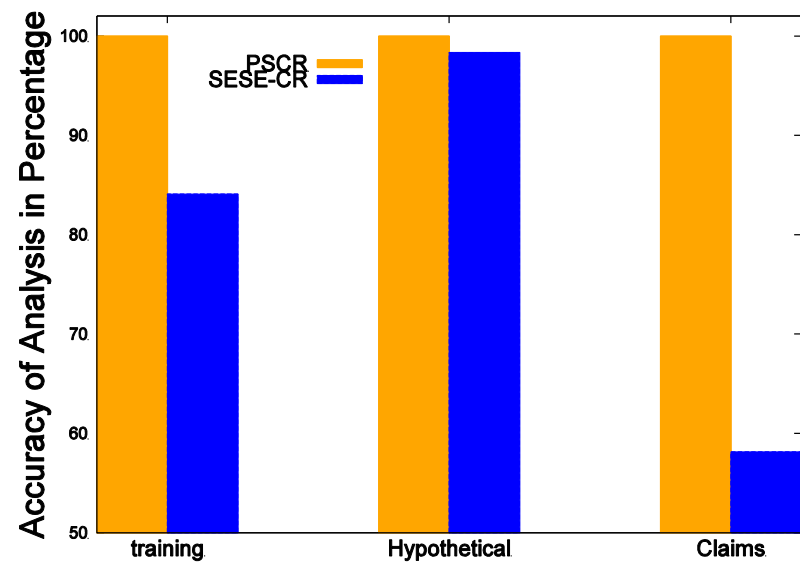
Training Process



Hypothetical Process

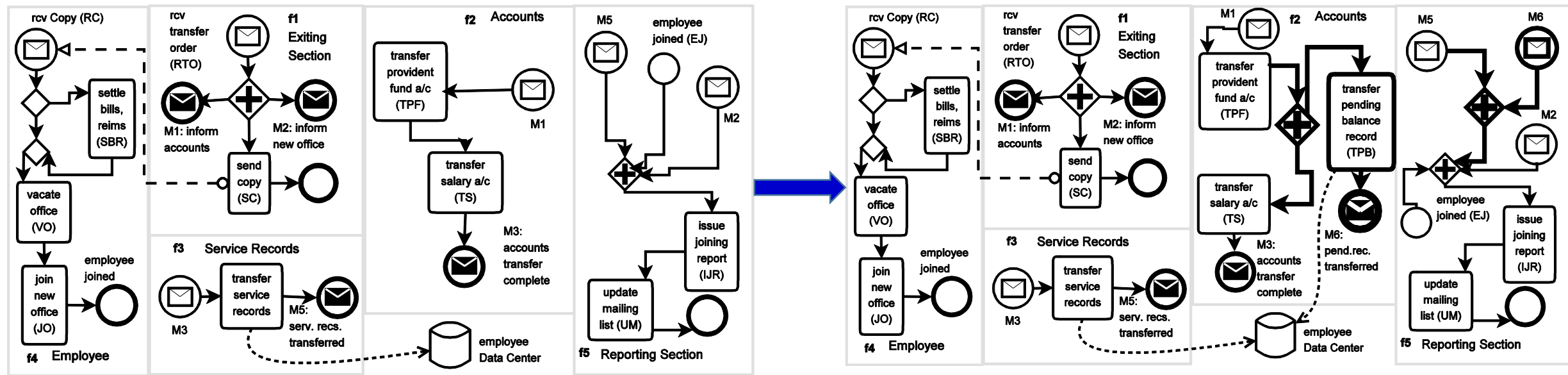


Claims Process



Distributed Business Processes

- Business processes often cross departments, organizations
- Distributed deployments lack centralized view
- Individual process-fragments may evolve independently
- Individual change regions can be globally conflicting

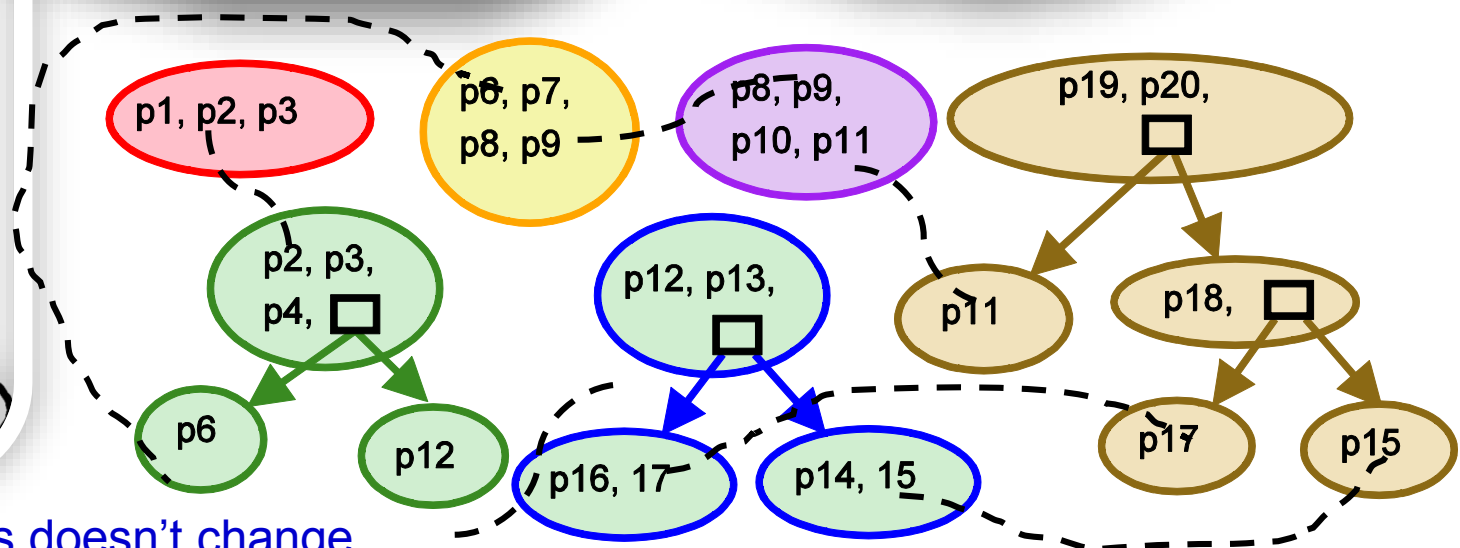
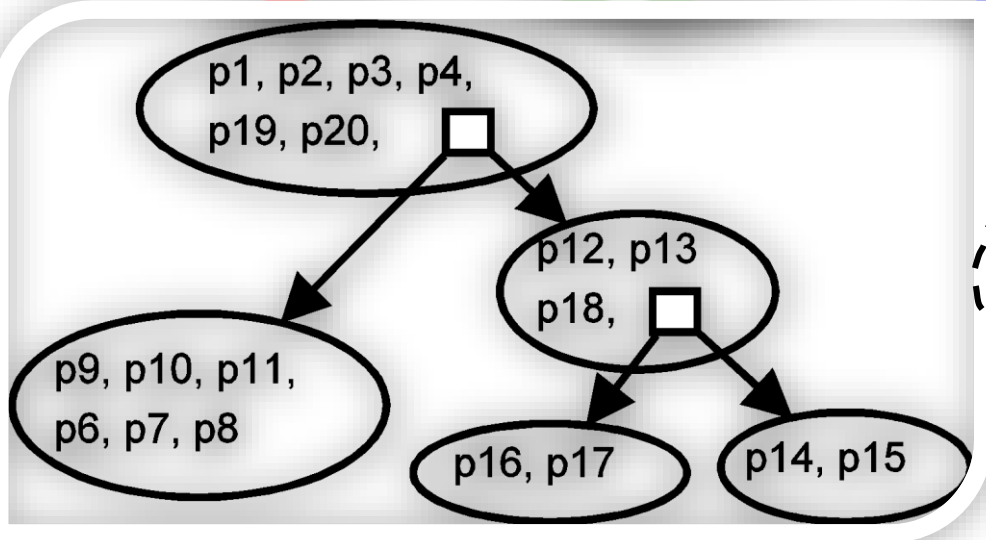
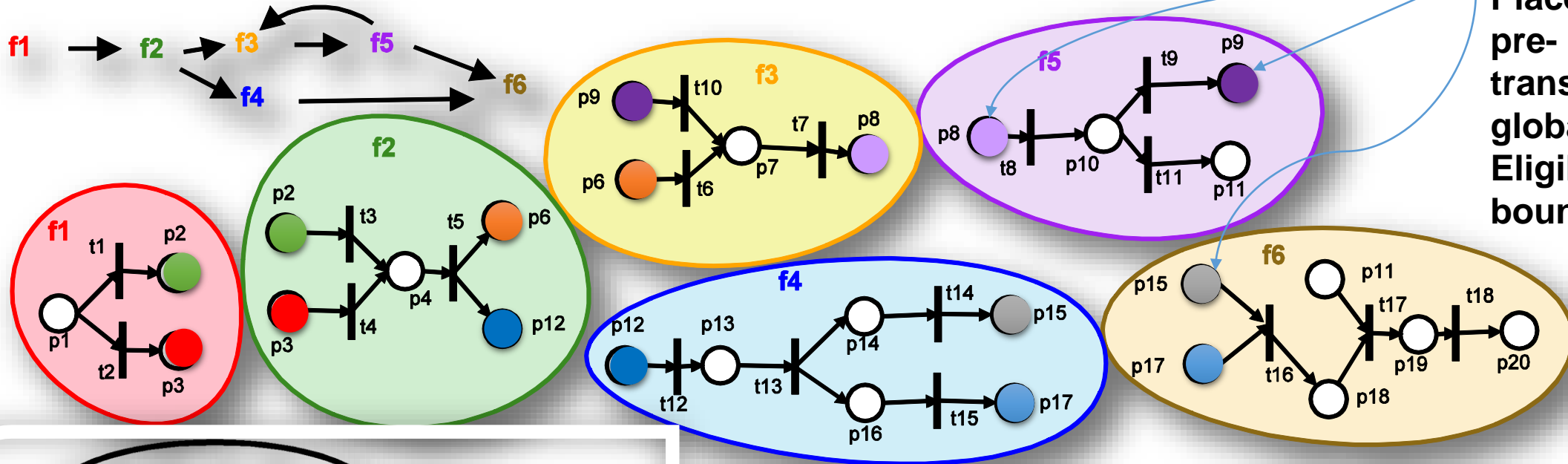


Employee Transfer Process

Fragmented Net has no Global View

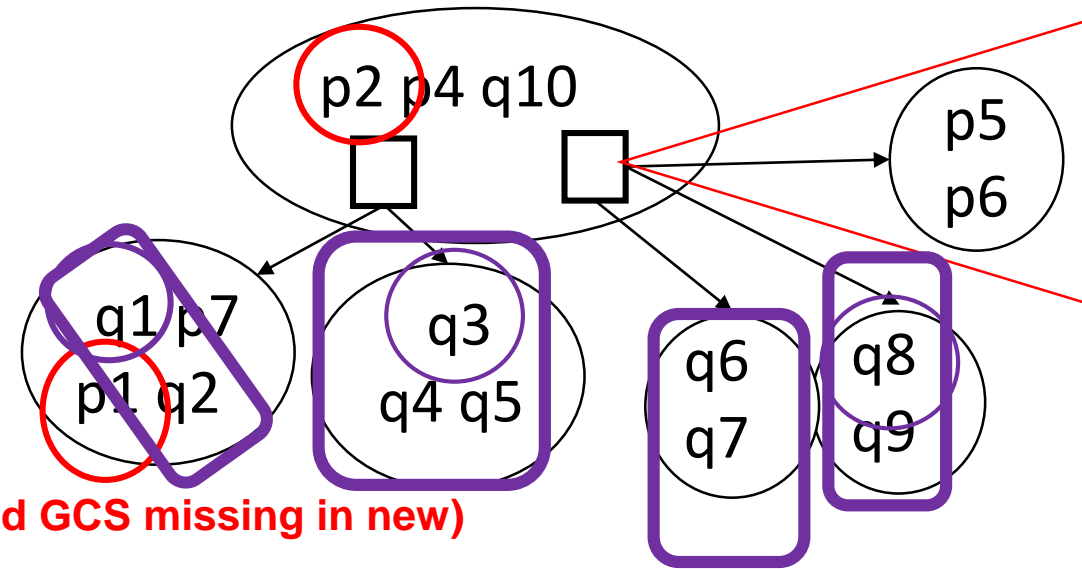
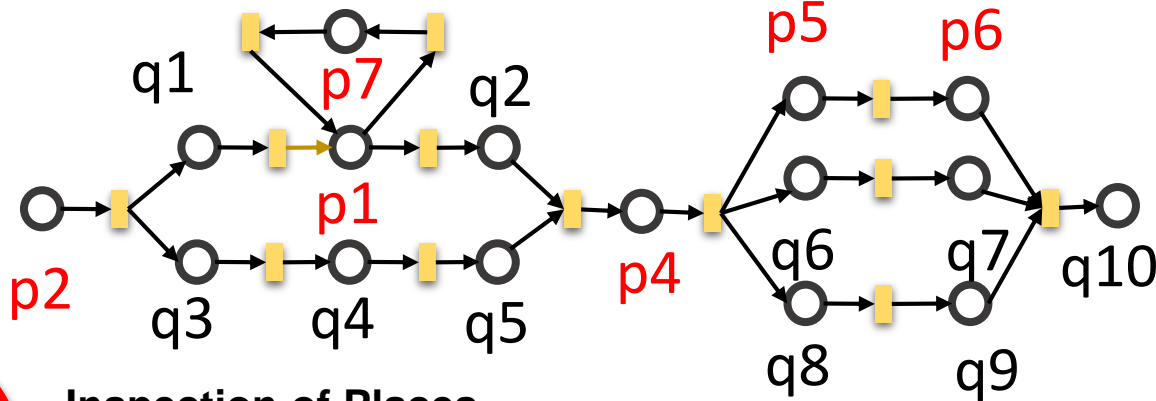
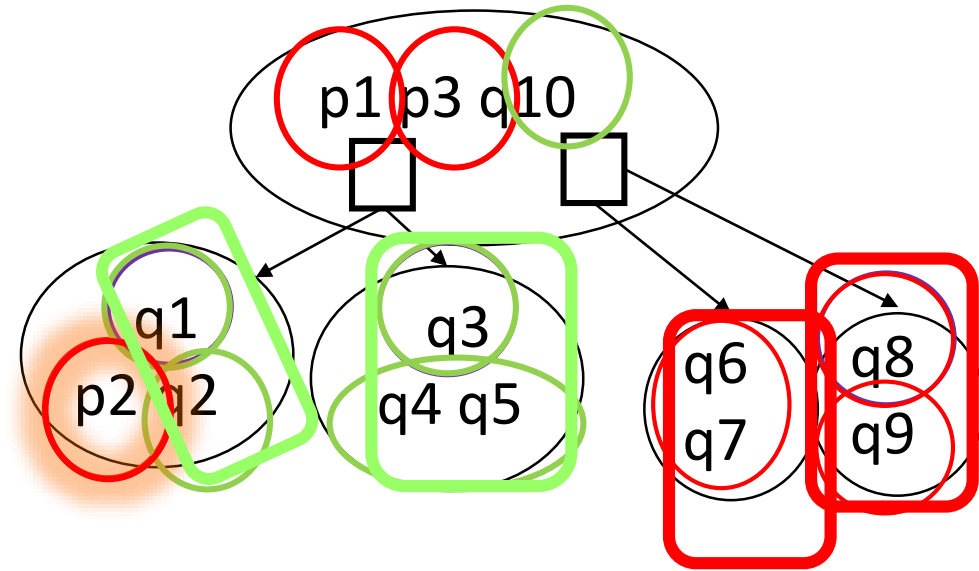
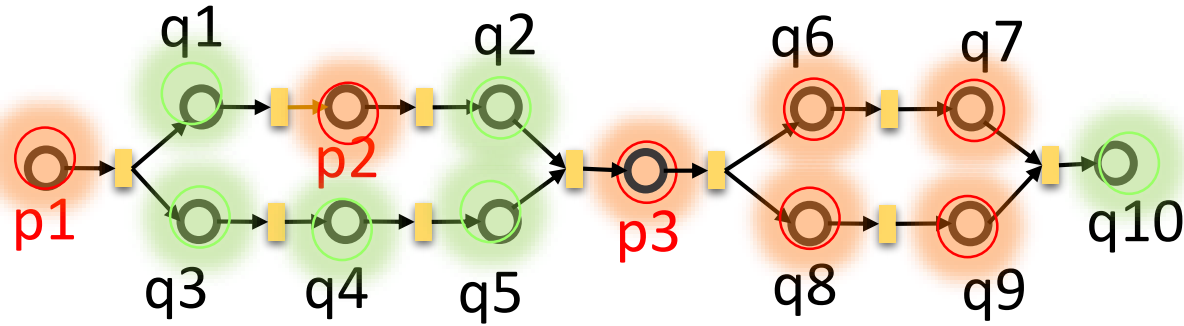
Boundaries

Places with one pre- and post-transitions in the global net are Eligible to be boundaries



C-tree nodes are split, but fan-out of C-blocks doesn't change

Change Region Computation when centralized view is available (includes overestimates)

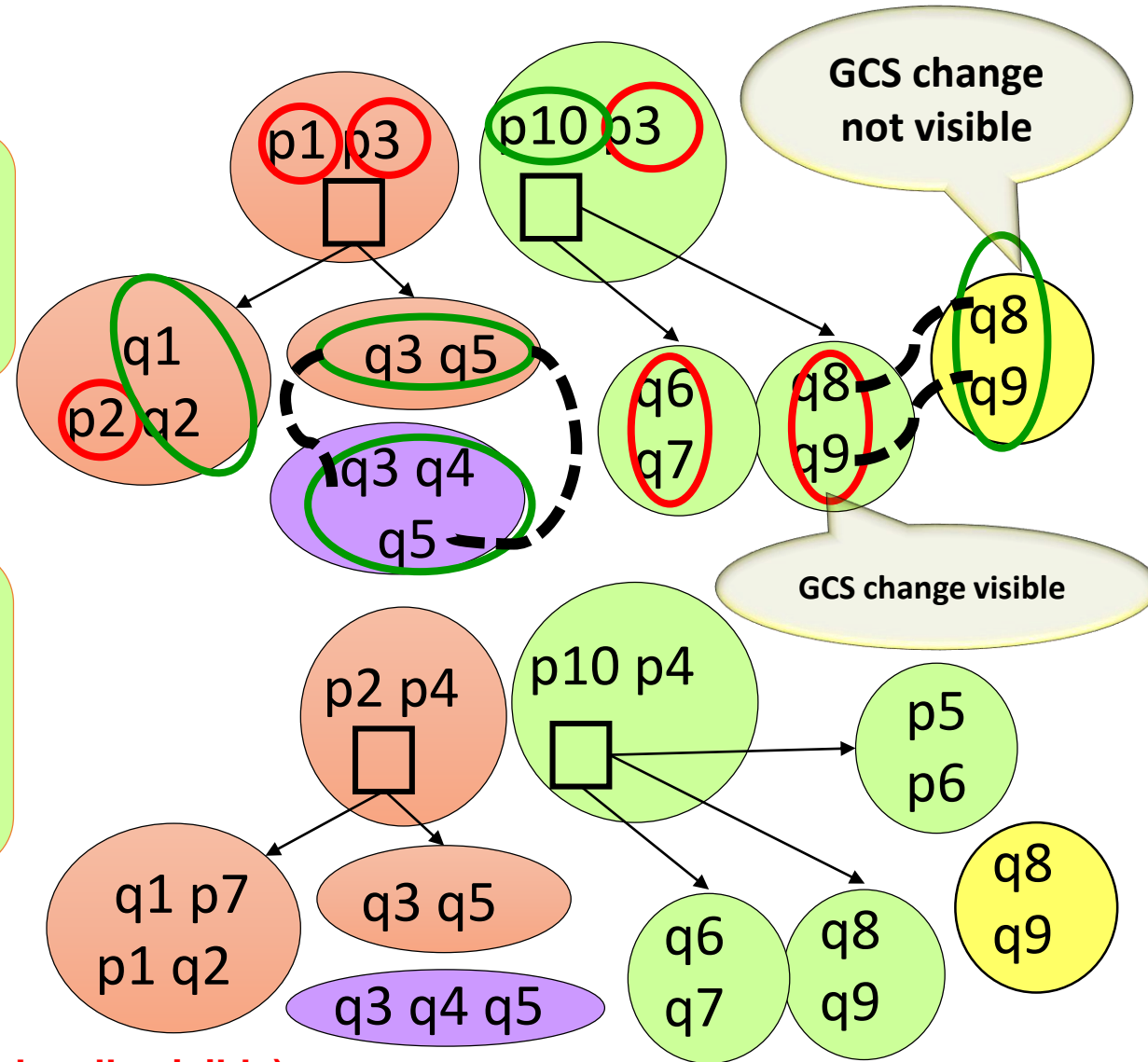
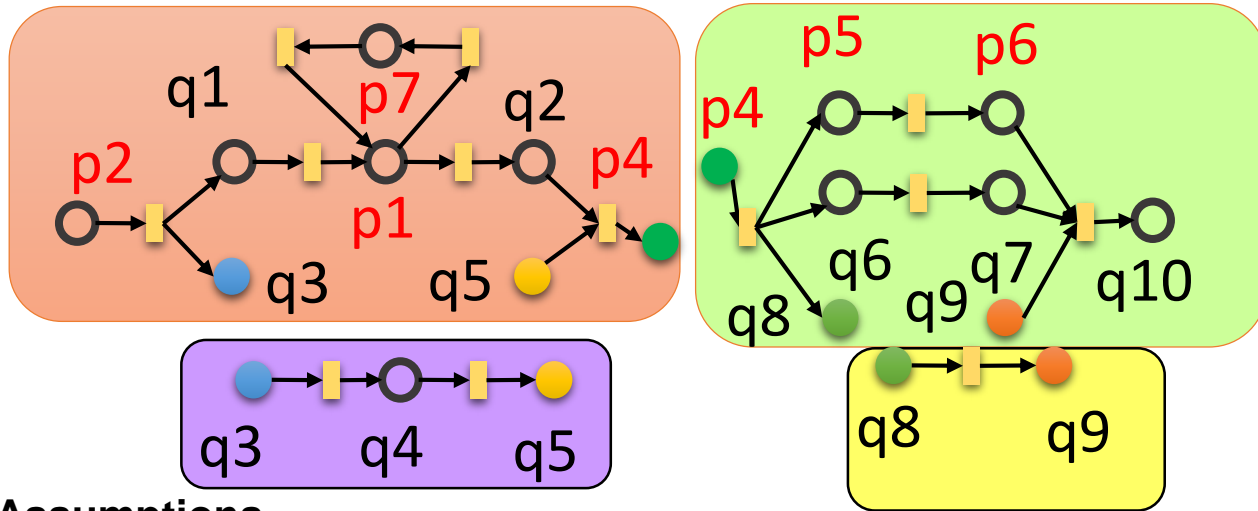
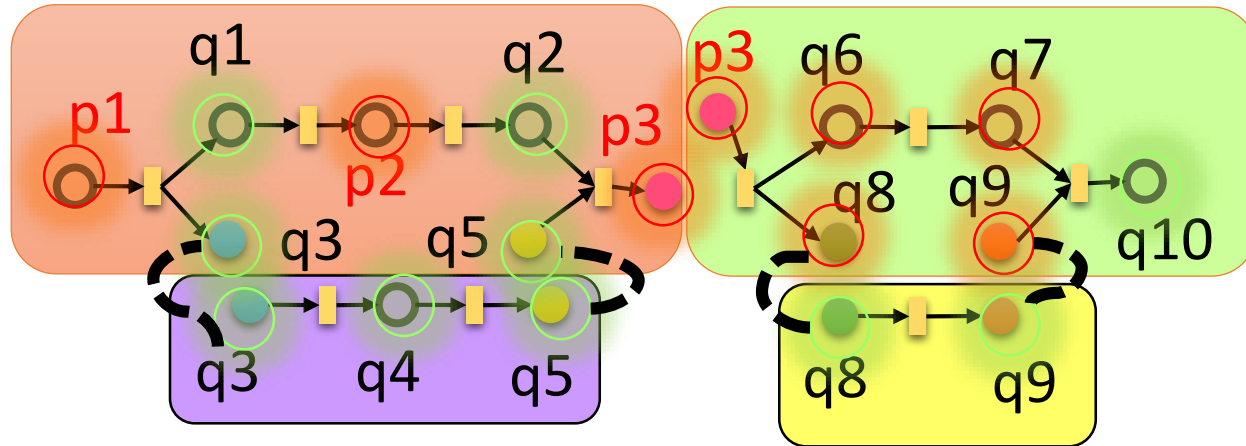


Inspection of Places

1. $\{ p3 \} \rightarrow$ no marking with p3 available (**deleted**)
2. $\{ p1 \} \rightarrow \{ p1, _ \}$ (**root \rightarrow non-root**)
3. $\{ p2, _ \} \rightarrow \{ p2 \}$ (**non-root \rightarrow root**)
4. $\{ q3, _ \} \rightarrow \{ q3, _ \}$, but $\{ q3, p2 \}$ not available (**places of old GCS missing in new**)
5. $\{ q8, _ \} \rightarrow \{ q8, _ , _ \}$ (**new branches in GCS**)

Change in GCS

Effect of Fragmentation



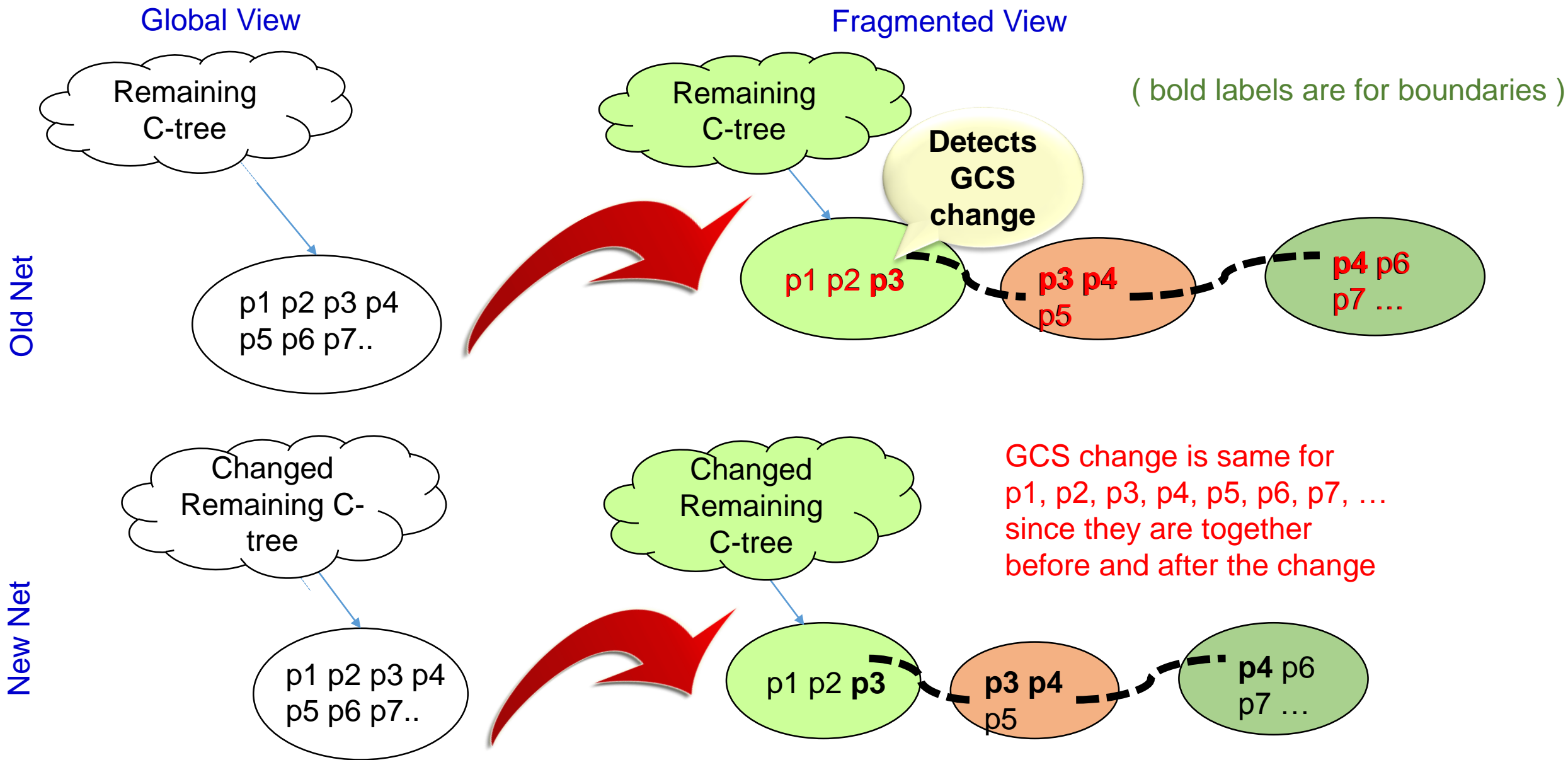
Assumptions

A place does not jump to another fragment (**root \leftrightarrow non-root locally visible**)

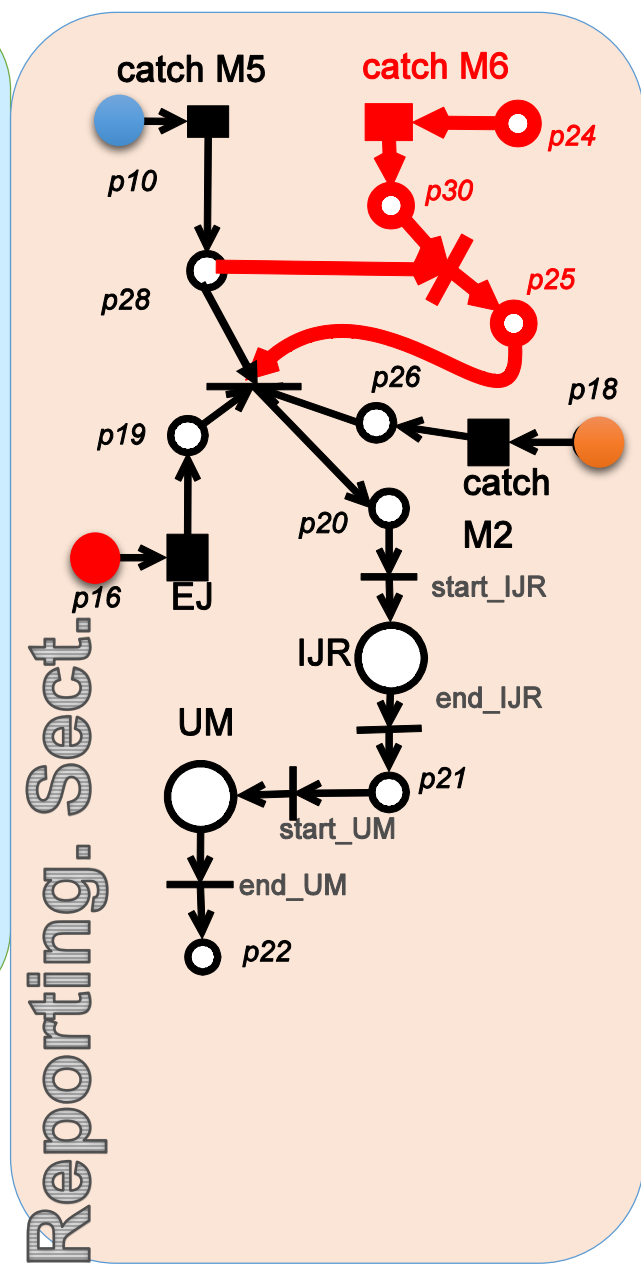
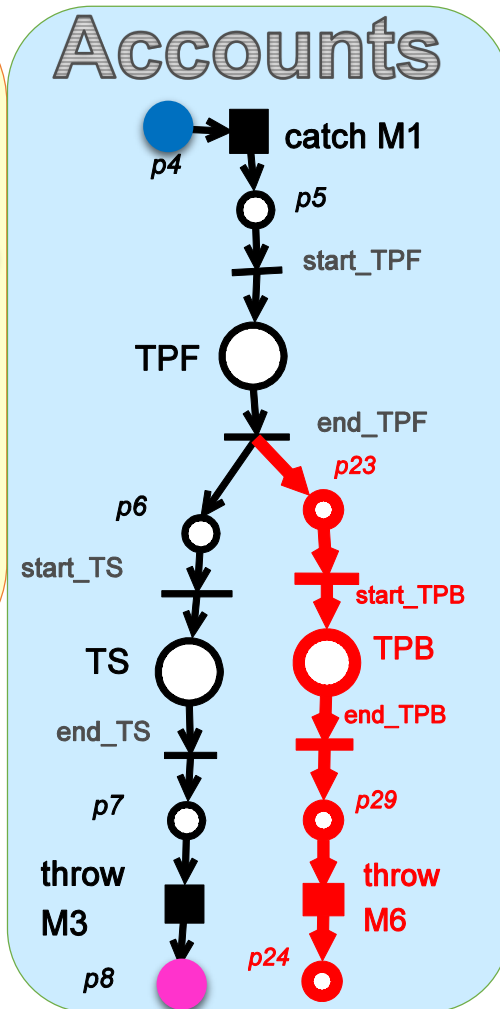
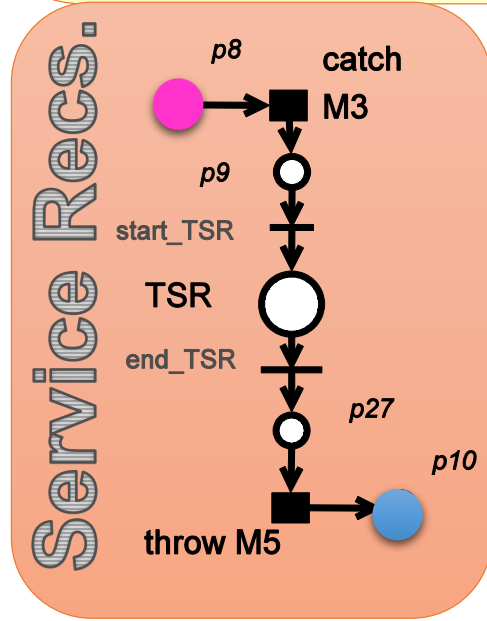
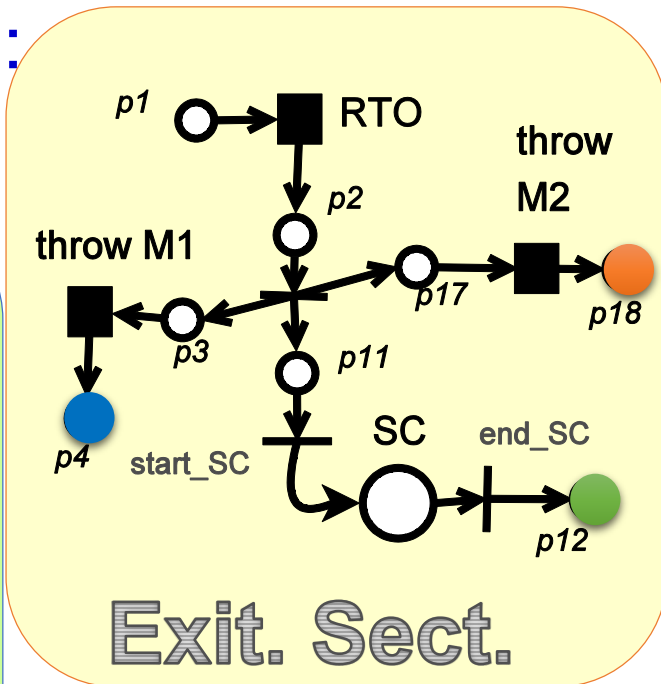
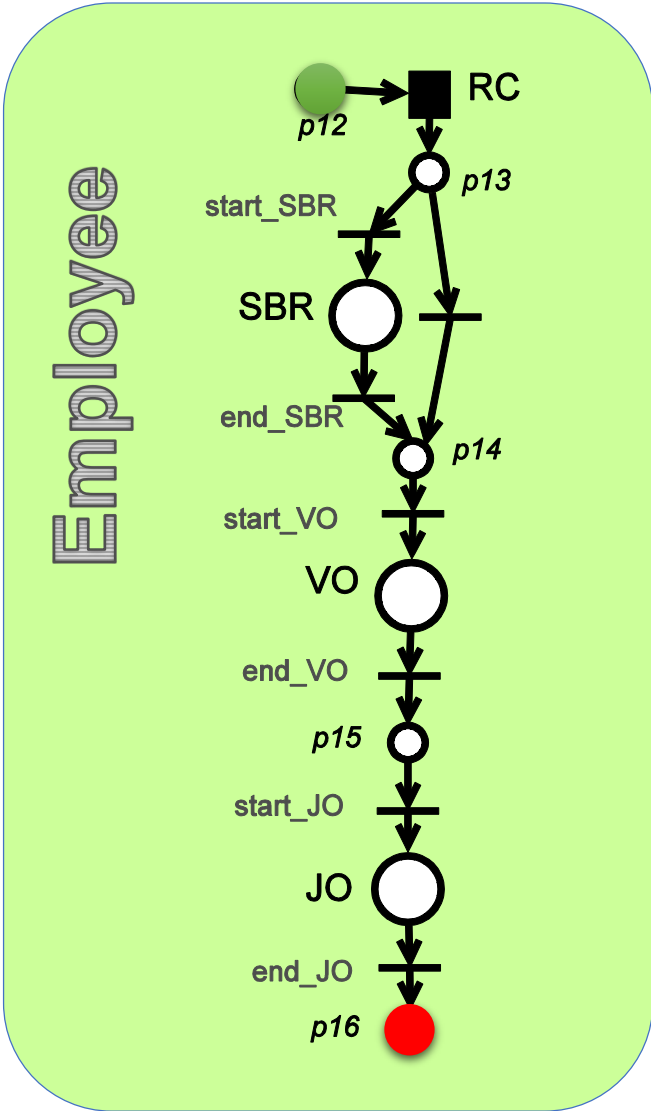
No boundary place becomes internal

Deletion of boundary is consistent between peer fragments } (**place deletion locally visible**)

Conflict resolution between fragments using boundaries

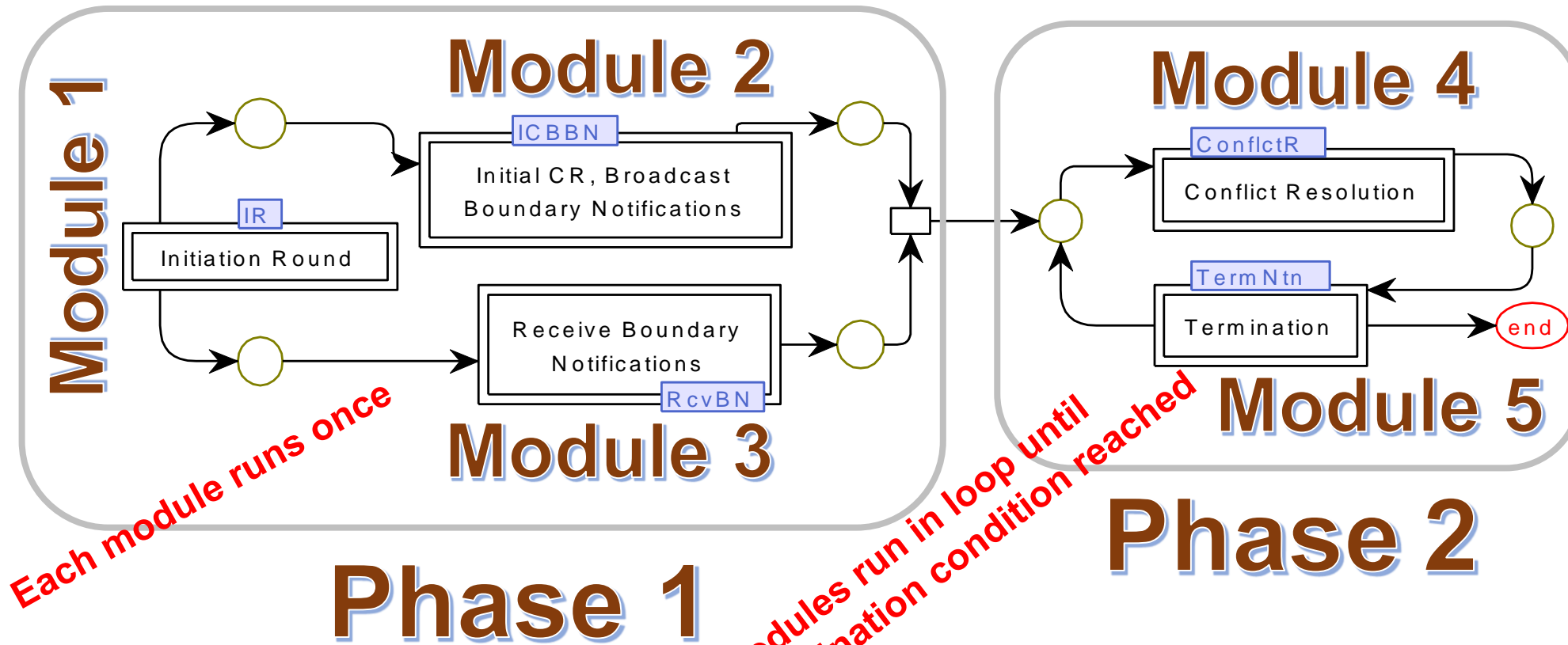


Fragmented Process: Employee Transfer

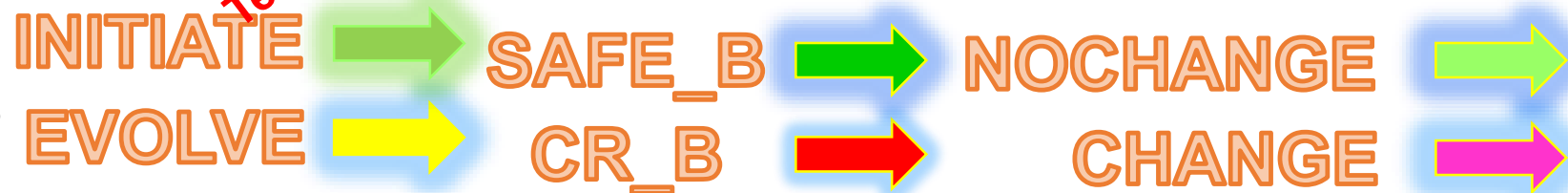


Only **Accounts** and **Reporting Section** Receives change spec.

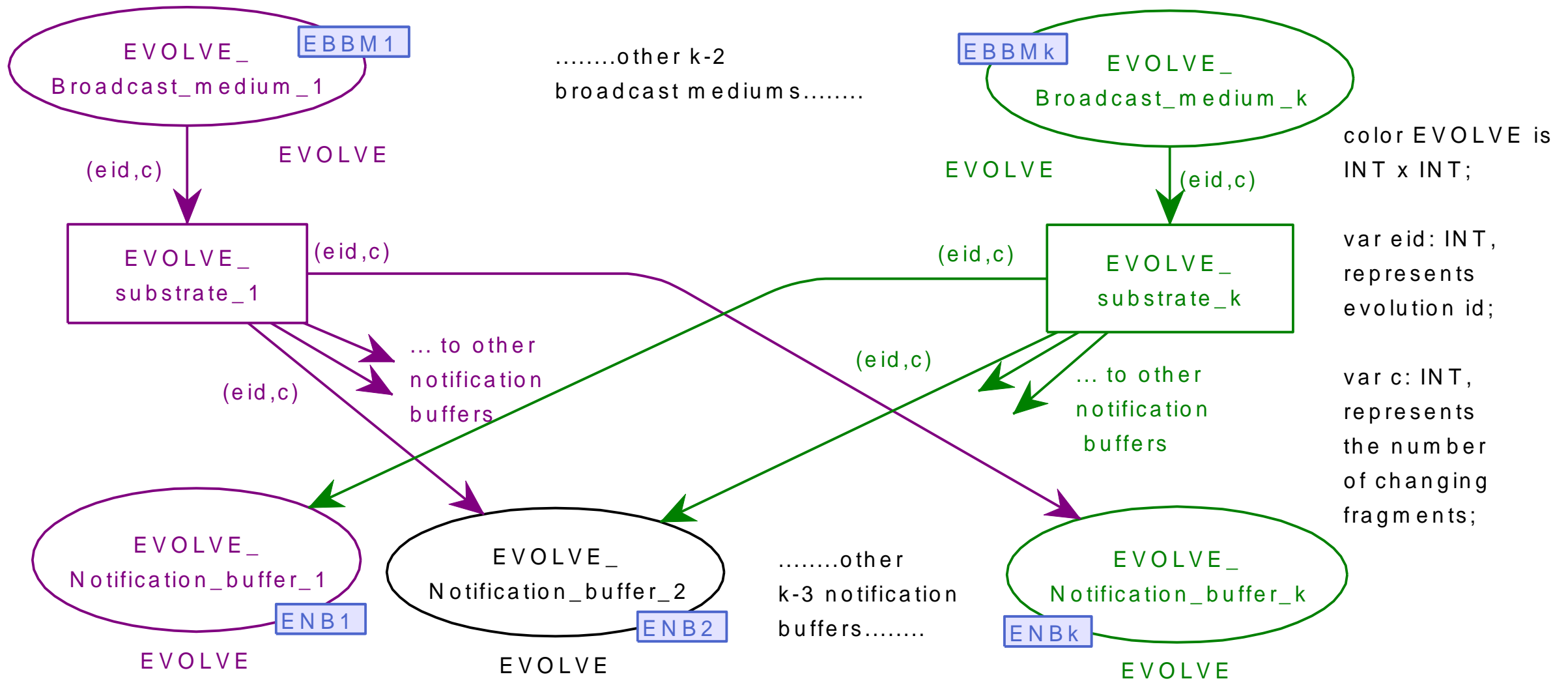
The Distributed Algorithm using Asynchronous Events: Hierarchical CPN based description



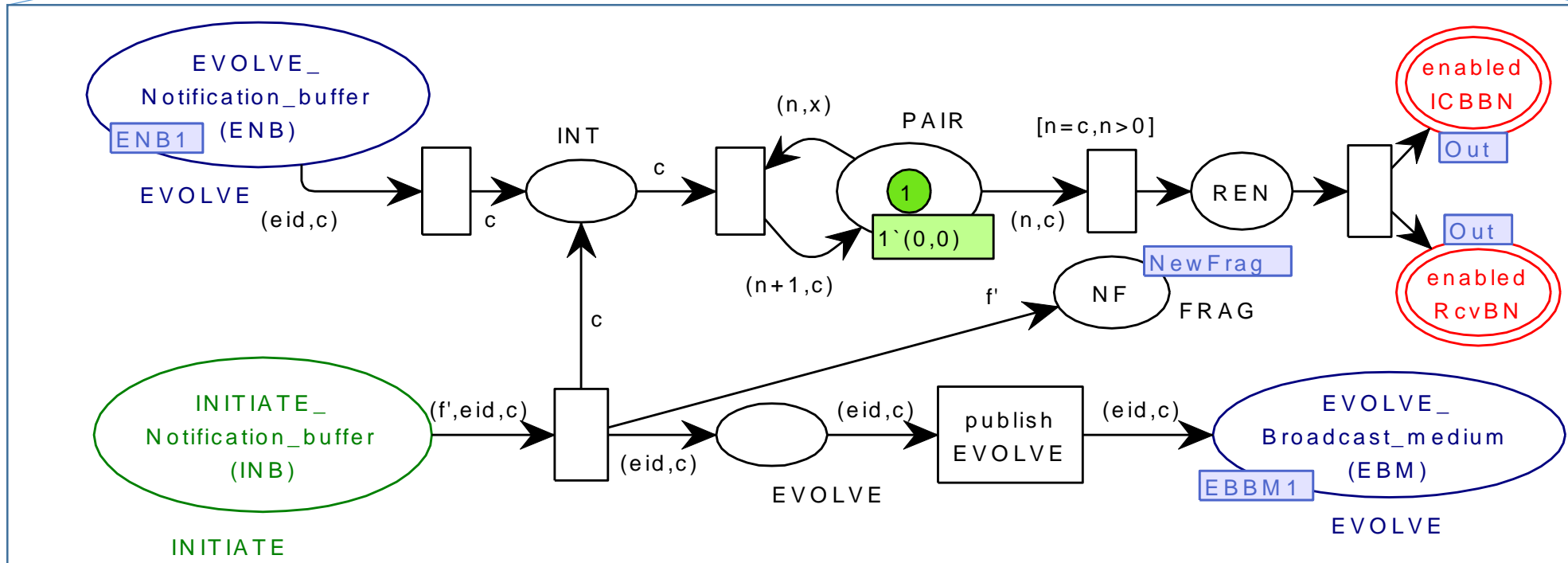
EVENT TYPES → Color definitions.
Event parameters → values in tokens



Event Substrate: example for EVOLVE event type

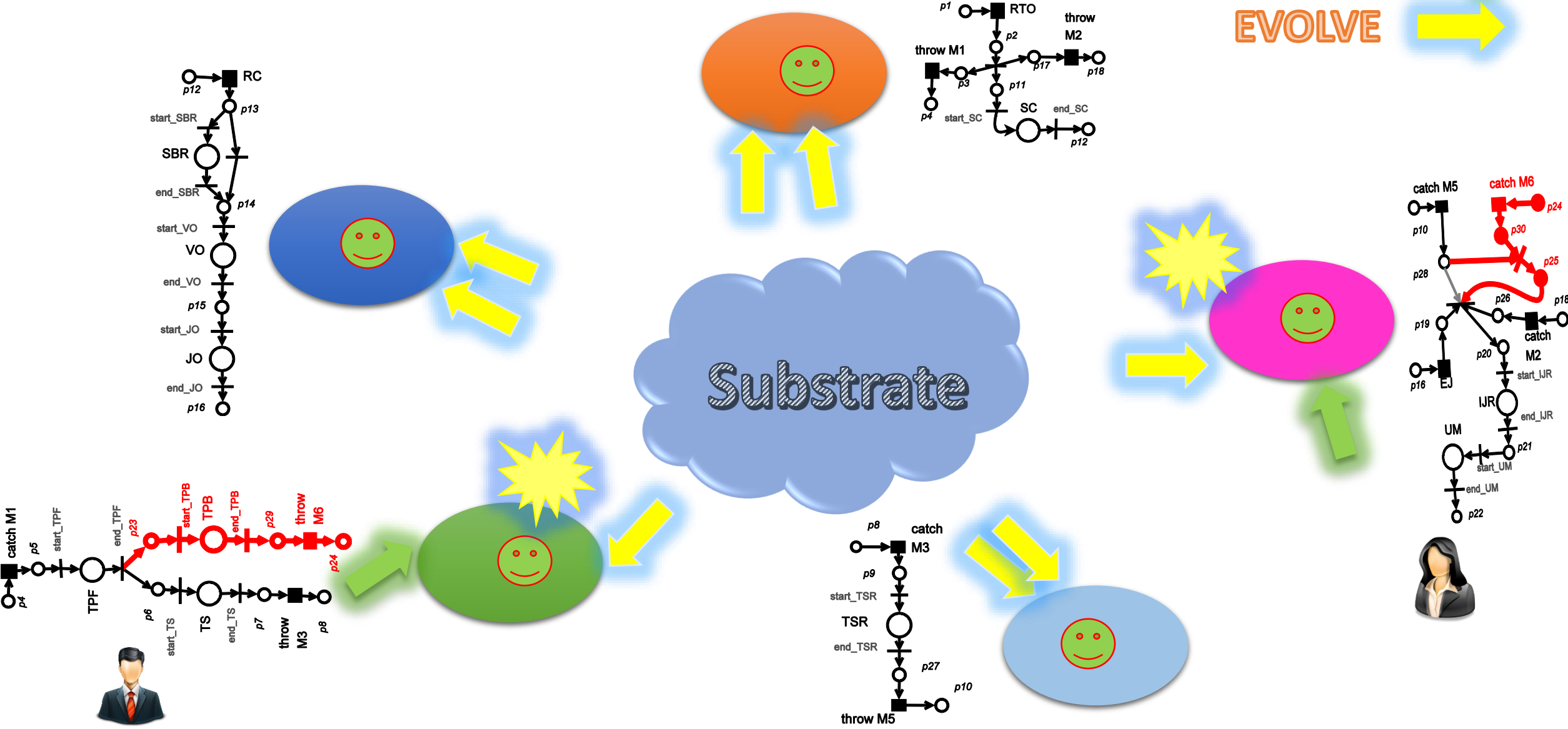


Initiation Round (Module 1)

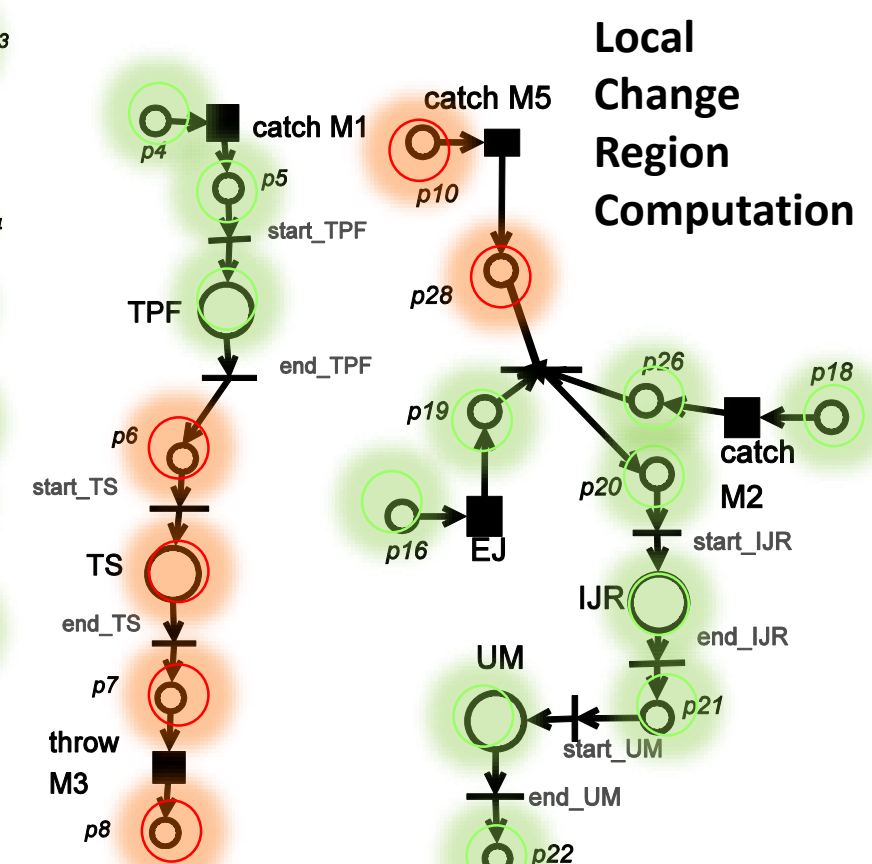
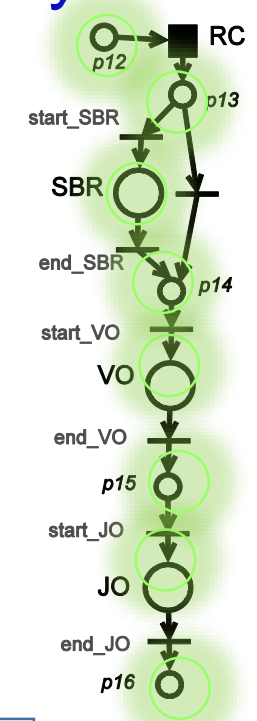
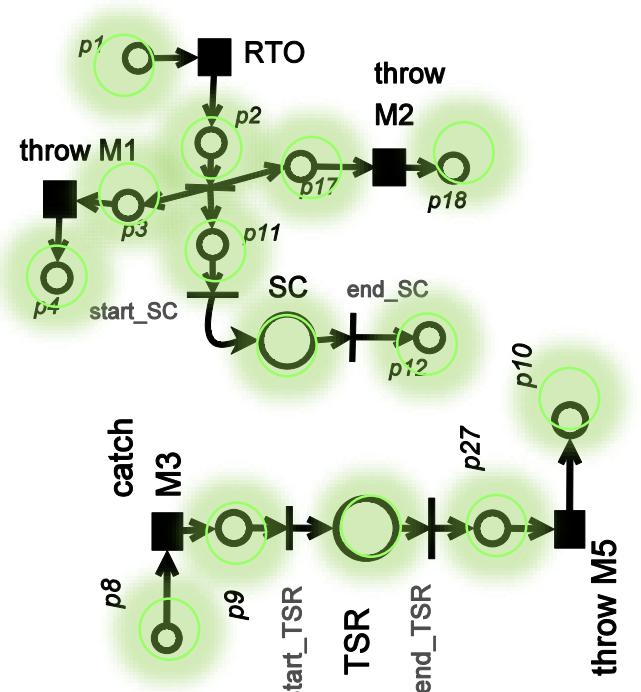
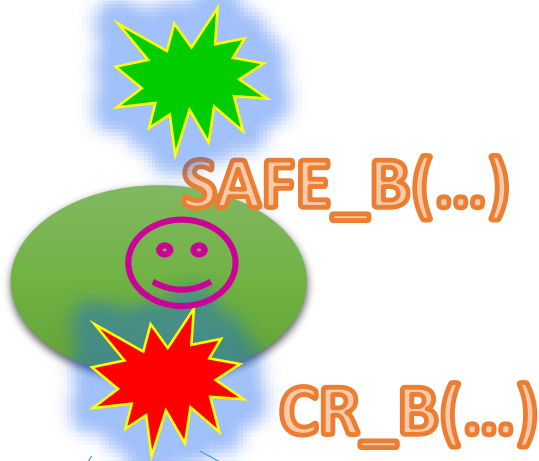


Initiation Round (Module 1)

INITIATE 
 EVOLVE 



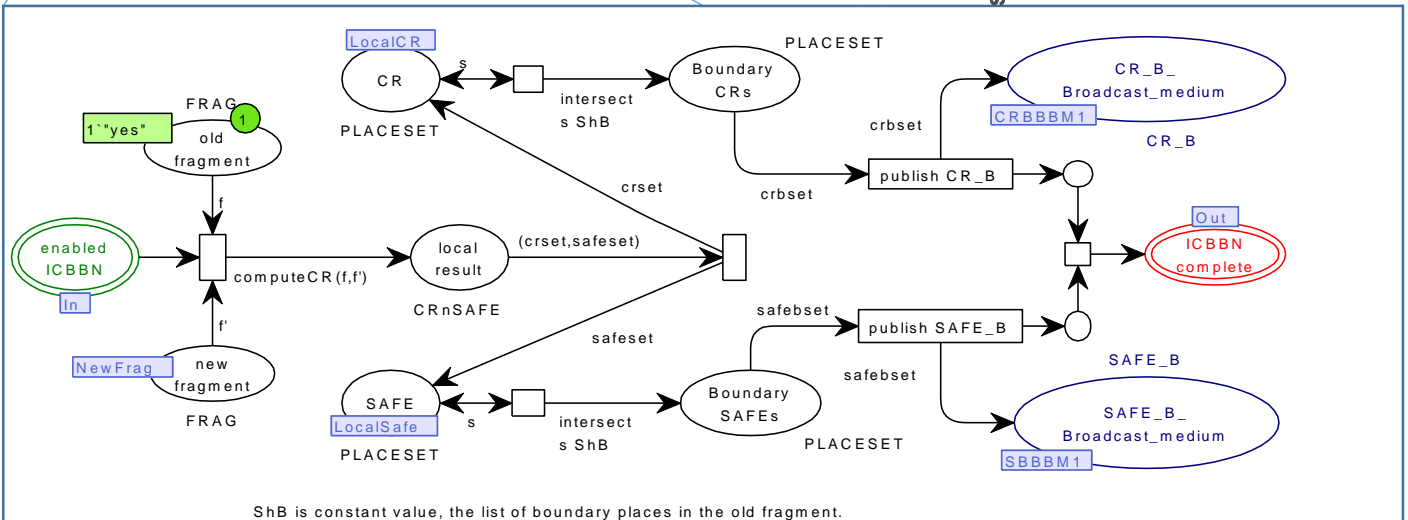
Initial Change Region, Broadcast Boundary Notifications (Module 2)



Local Change Region Computation

Can be empty set

SAFE_B(<set of places>)
CR_B(<set of places>)



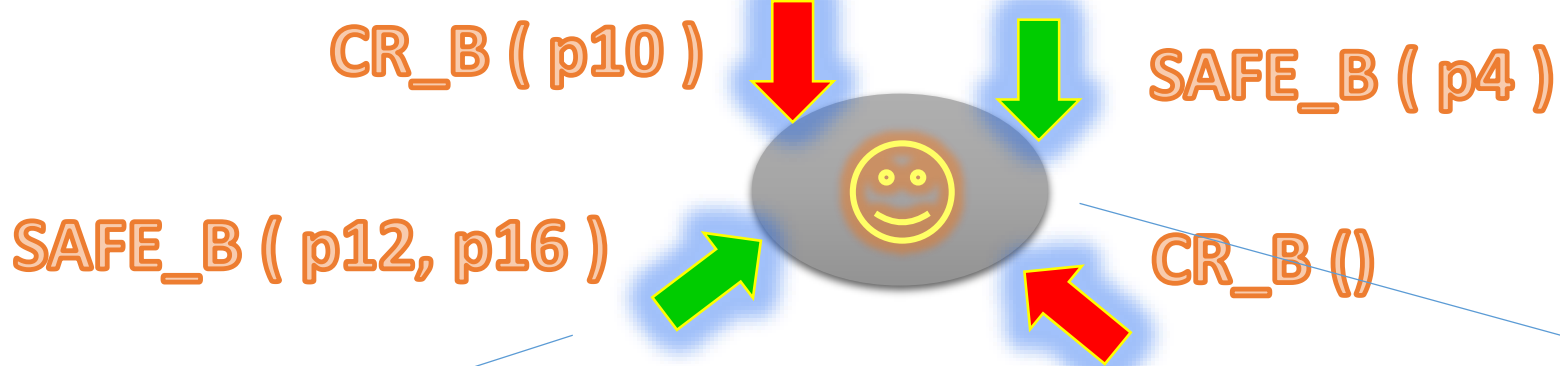
ShB is constant value, the list of boundary places in the old fragment.

Receive Boundary Notifications (Module 3)

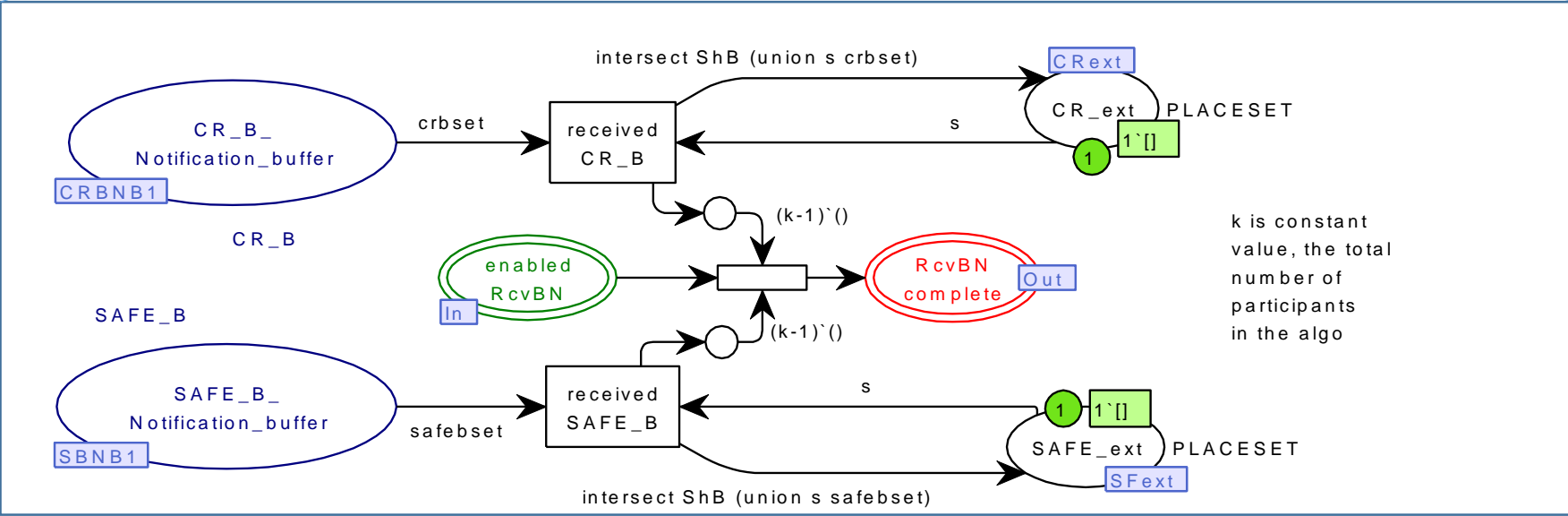
Boundaries p4, p8

CR_ext

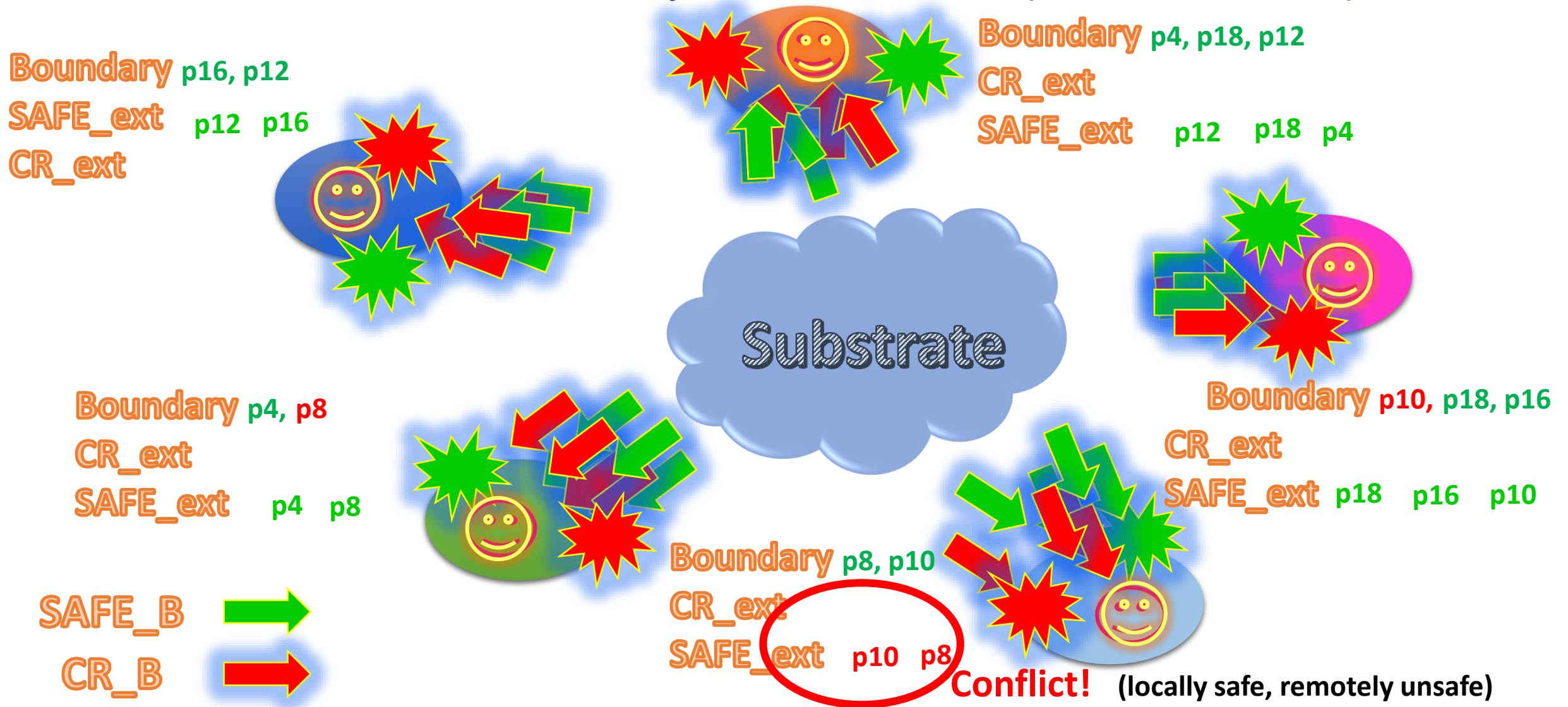
SAFE_ext p4



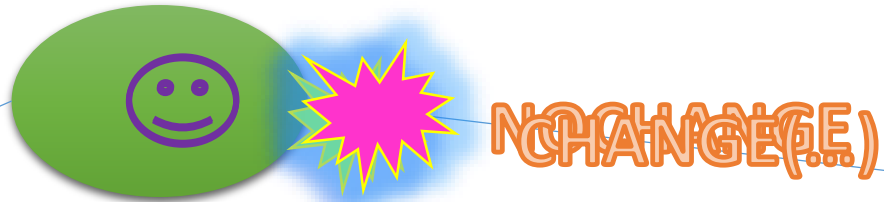
Records remote-status of Local boundaries, ignores other Incoming parameters



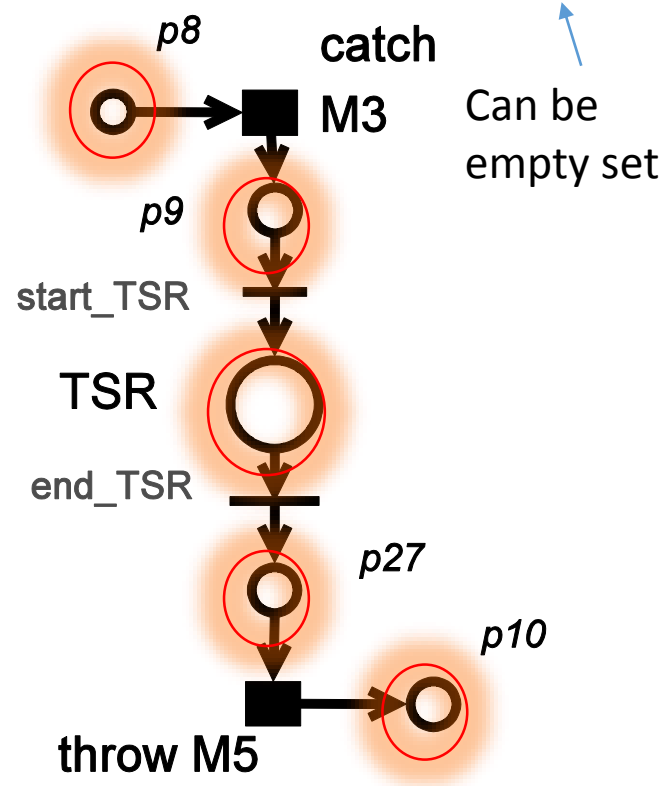
Initial Change Region, Broadcast Boundary Notifications, Receive Boundary Notifications (Modules 2+3)



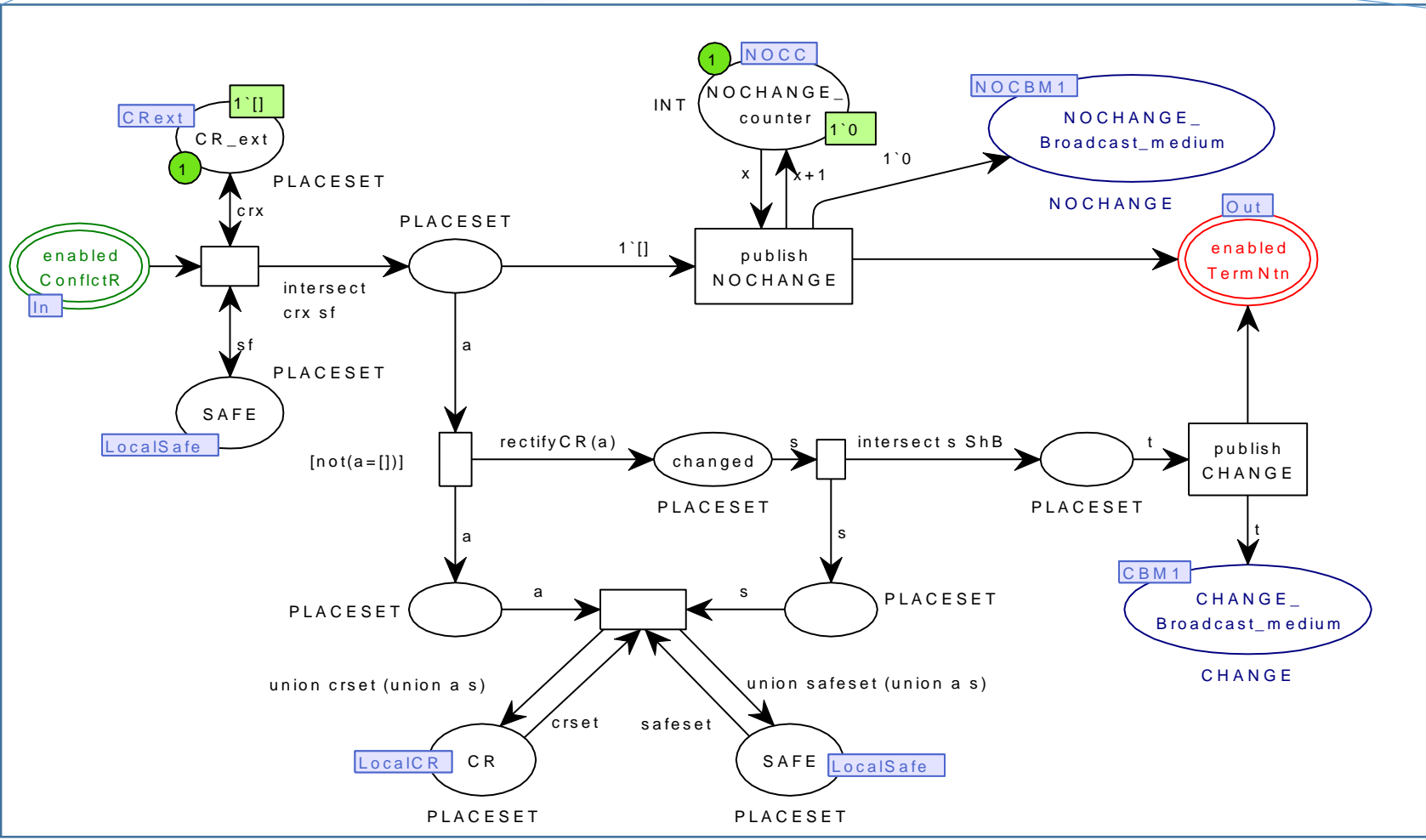
Conflict Resolution (Module 4)



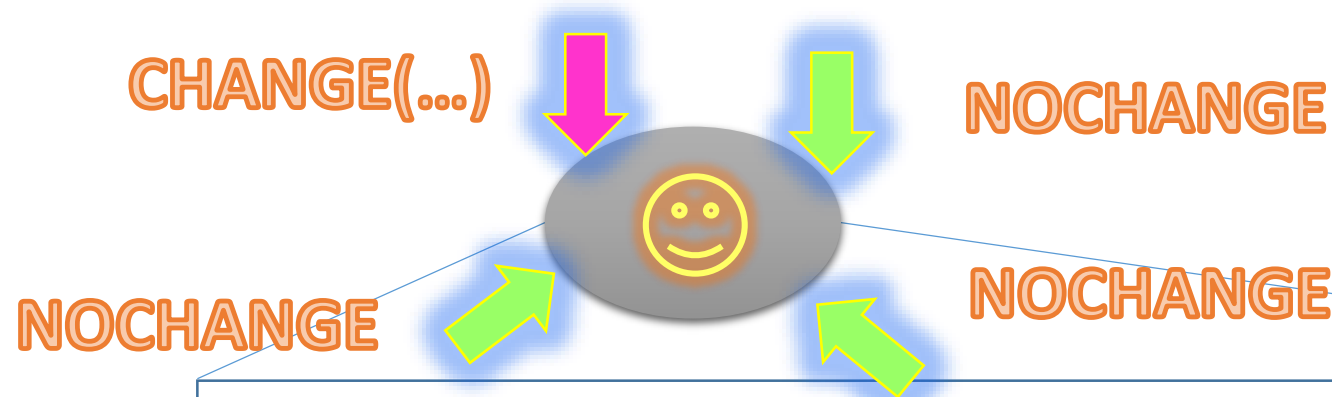
NOCHANGE
CHANGE(<set of places>)



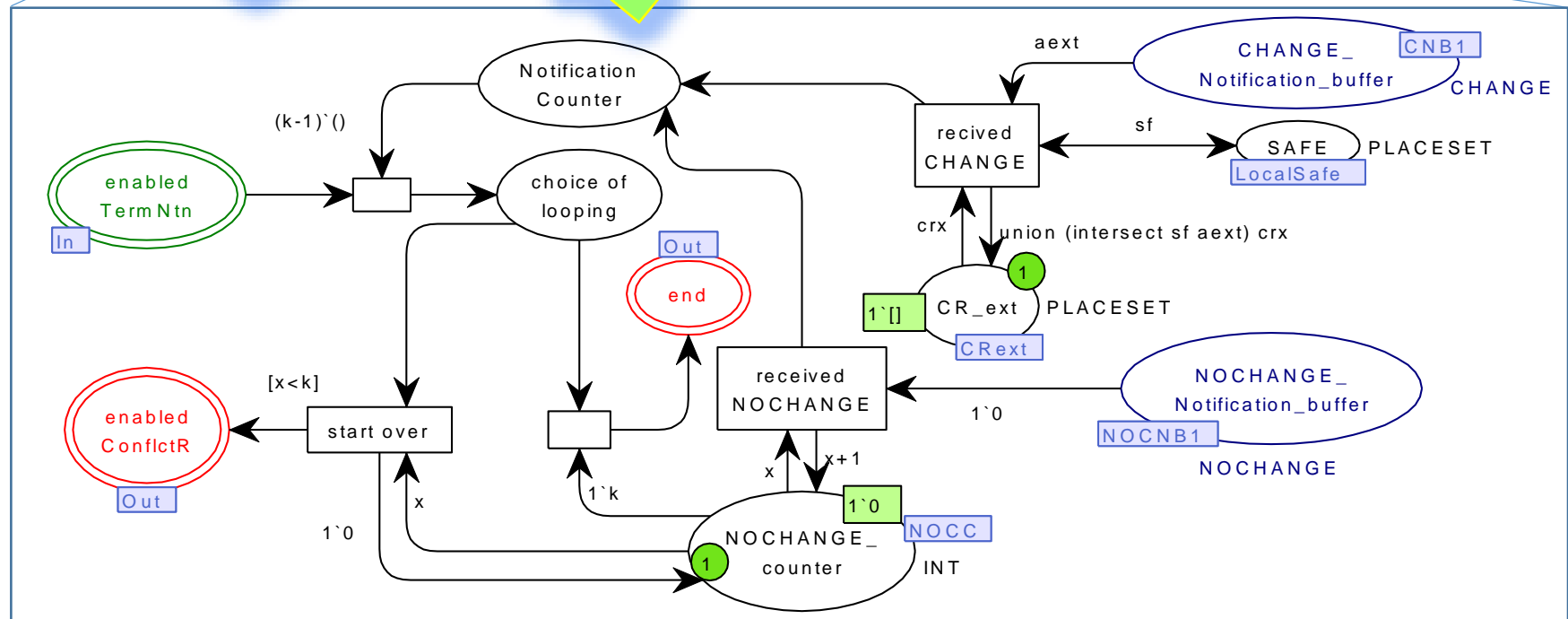
If a safe boundary & other relevant places are made unsafe, **CHANGE** event is published with additional boundaries that became unsafe



Termination (Module 5)

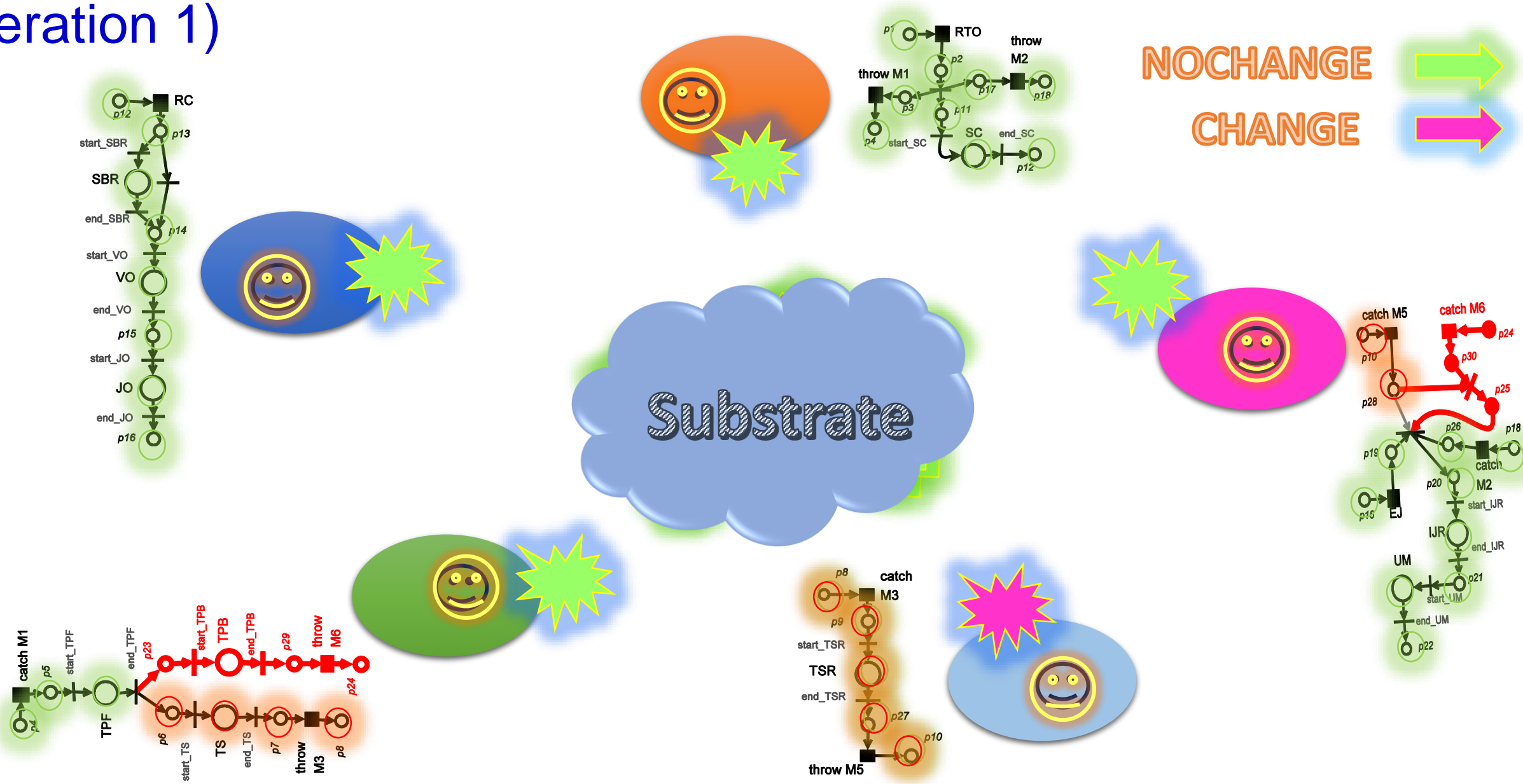


Local boundaries arriving with CHANGE event are put in set CR_ext to investigate further conflict in next round of Module 4 (loop)

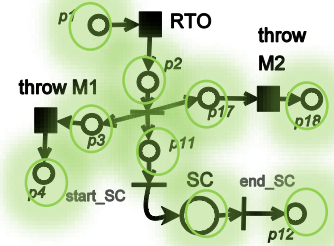
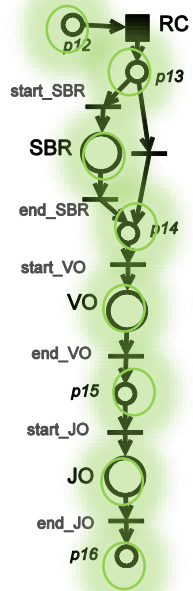


When everybody sent *NOCHANGE*, and the node itself sent *NOCHANGE* in Module 4, Algorithm terminates

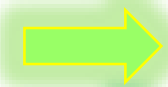
Conflict Resolution & Termination (Module 4+5) (iteration 1)



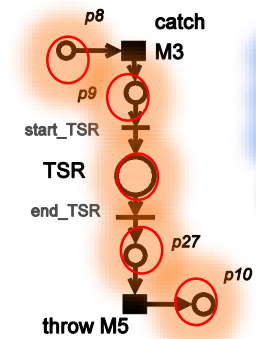
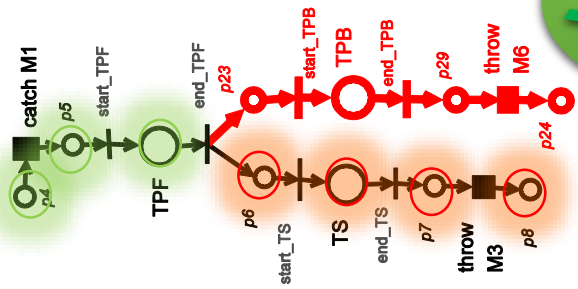
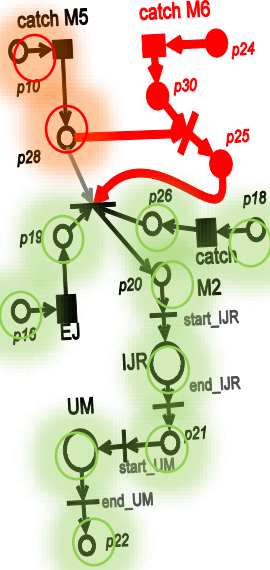
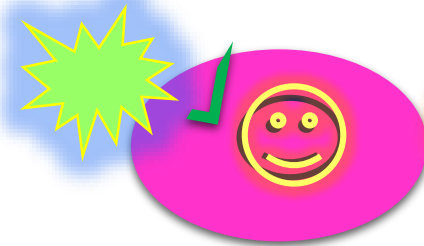
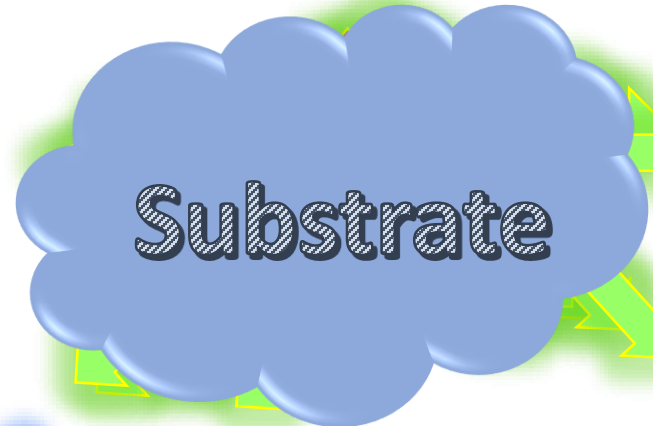
Conflict Resolution & Termination (Module 4+5) (iteration 2)



NOCHANGE



CHANGE



Proof of Correctness

Lemma 1

The effect of deletion of a place in the change region in a fragment is fully covered by the fragment in which the place is deleted.

Lemma 2

If there is any change in concurrency of a place in the global net, some fragment detects it.

Bounded Wait

Termination

Gist of Change Region Approach

- Focus on Marking Reachability (effect of changes) rather than structural changes
- Structural Modeling of markings through C-tree
- Capturing non-migratability through properties
- Approach restricted to structured nets (ECWS grammar)
structured AND is mandatory for C-tree construction, unstructured XOR, LOOP can be handled in C-tree since they are all sequential (w.r.t. token game) regions. Specification through balanced parenthesis is convenient for programming.
- Centralized and Distributed Computation algorithms developed

Future Work

- Distributed instance migration
- Interplay among consistency models and change operations
- Extending the theory for unstructured workflows
- Implementation Issues

Publications

Presented Works:

- **Distributed Change Region Detection in Dynamic Evolution of Fragmented Processes** by Ahana Pradhan and Rushikesh K. Joshi in the **International Workshop on Petri Nets and Software Engineering 2016**, co-located with the 37th International Conference on Application and Theory of Petri Nets and Concurrency Petri Nets 2016 and the 16th International Conference on Application of Concurrency to System Design ACSD 2016, Torun, Poland, June 20-21, 2016.
- **Lookahead Consistency Models for Dynamic Migration of Workflow Processes** by Ahana Pradhan and Rushikesh K. Joshi in the **International Workshop on Petri Nets and Software Engineering 2015**, co-located with the 36th International Conference on Application and Theory of Petri Nets and Concurrency Petri Nets 2015 and the 15th International Conference on Application of Concurrency to System Design ACSD 2015, Brussels, Belgium, June 22-23, 2015.
- **Catalog-based Token Transportation in Acyclic Block-Structured WF-nets** by Ahana Pradhan and Rushikesh K. Joshi in the **International Workshop on Petri Nets and Software Engineering 2015**, co-located with the 36th International Conference on Application and Theory of Petri Nets and Concurrency Petri Nets 2015 and the 15th International Conference on Application of Concurrency to System Design ACSD 2015, Brussels, Belgium, June 22-23, 2015.
- **Token transportation in Petri net models of workflow patterns** by Ahana Pradhan and Rushikesh K. Joshi in the **7th India Software Engineering Conference 2014**, Chennai, ISEC 2014, Chennai, India, February 19-21, 2014.

Unpublished Works:

- **A Structural Approach to Dynamic Migration in Petri Net Models of Structured Workflows** by Ahana Pradhan and Rushikesh K. Joshi [under review in IEEE TSE]
- **A Survey of Consistency Models for Dynamic Workflow Migration** by Ahana Pradhan and Rushikesh K. Joshi [in preparation]

Thank You



Outcomes

Algorithms

- YoYo algorithm for instance migration
- Algorithm for weak lookahead
- Accept/reject branching algorithm for strong lookahead
- PSCR computation algorithm
- Change region computation algorithm
- Distributed change region computation algorithm

Taxonomy Framework for Consistency Models

- Structural equivalence
- Trail-based models
 - history equivalence
 - trace equivalence
 - purged-history equivalence
 - purged-trace equivalence
- Live model
- Lookahead models
 - strong
 - accommodative
 - weak

Proofs

- Non-migratability lemma
- Perfect Member lemma
- Overestimation lemma
- SCR & PSCR lemma
- Proof of correctness for algorithms

Workflow Specification Languages

- CWS, ECWS

Properties

- YoYo compatibility, peer patterns
- Generator of Concurrent Submarking (GCS)
- Dysfunctional C-tree and Break-off Set
- Marking Preserving Embedding (MPE)
- Change properties
- Perfect Member and Overestimation
- Perfect Structural Change Region (PSCR)
- Fragmentation

Representation Techniques for Analysis & Application

- C-tree, Derivation Tree
- Token transportation catalog
- Token transportation bridge

New Consistency Models

- Strong lookahead
- Accommodative lookahead
- Weak lookahead