## CS 101:

## Computer Programming and Utilization

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Sharat
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Lecture 5: Loops

## About These Slides

- Based on Chapter 3 of the book An Introduction to Programming Through C++ by Abhiram Ranade (Tata McGraw Hill, 2014)
- Original slides by Abhiram Ranade -First update by Varsha Apte
-Second update by Uday Khedker
-Third update by Sunita Sarawagi


## The Need of a More General Loop

Read marks of students from the keyboard and print the average

- Number of students not given explicitly
-Two cases

1. If a negative number is entered as marks, then it is a signal that all marks have been entered

Examples

- Input: 98 96-1, Output: 97
- Input: 90807060 -1, Output: 75

2. No such artificial signal
b. The repeat statement repeats a fixed number of times. Not useful

## Outline

The while statement

- Some simple examples
- Mark averaging

The break statement
The continue statement
The do while statement
The for statement

## The WHILE Statement



## The WHILE Statement

- The condition must eventually become false, otherwise the
while (condition)
body program will never halt. Not halting is not acceptable
- If the condition is true originally, then the value of some variable used in condition must change in the execution of body, so that eventually condition becomes false
- Each execution of the body = iteration


## WHILE Statement Flowchart



Next statement in the Program

## Time To Demo

## A Program That Does Not Halt

```
main_program{
    int x=10;
    while(x>0){
    cout << "Iterating" << endl;
}
// Will endlessly keep printing
// Not a good program
```


## A Program That Does Halt

```
main_program{
        int x=3;
    while(x > 0){
        cout << "Iterating" << endl;
        x--; // Same as x = x - 1;
        }
}
// Will print "Iterating." 3 times
// Good program (if that is what
// you want)!
```


## Explanation



- First $x$ is assigned the value 3
- Condition $x>0$ is TRUE


## Explanation



## Explanation



## Explanation



- Again the condition is evaluated. For $x$ with value 0 , condition is still FALSE
- So control goes outside the body of the loop
- Program exits


## WHILE vs. REPEAT

Anything you can do using repeat can be done using while (but not vice-versa)
repeat(n)\{ any code \}
Equivalent to
int $\mathrm{i}=\mathrm{n}$;
while(i>0)\{i--; any code\}
This is a simplistic explanation

## Marks Average

Read marks of students from the keyboard and print the average

- Number of students not given explicitly
-Two cases

1. If a negative number is entered as marks, then it is a signal that all marks have been entered
Examples

- Input: 9896 -1, Output: 97
- Input: 90807060 -1, Output: 75


## Mark Averaging

Natural strategy
1.Read the next value
2.If it is negative, then go to step 5 , if it is $>=0$, continue to step 3
3.If it is not negative, add the value read to the sum of values read so far, Add 1 to the count of values
4.Go to step 1
5.Print sum/count

A bit tricky to implement using while

## Flowchart Of Mark Averaging vs. Flowchart Of While



Calculate and print average

Previous statement in the program


Next statement in the Program
Flowchart of WHILE

## Flowchart Of Mark Averaging vs. Flowchart Of WHILE

- In the flowchart of mark averaging, the first statement to be repeated is not the condition check
- In the flowchart of while, the first statement to be repeated, is the condition check
- So we cannot easily express mark averaging using while

Flowchart Of Mark Averaging vs. Flowchart of WHILE



## A Different Flowchart For Mark Averaging

- Let's label the statements as A (input), C (condition), and $B$ (accumulation)
- The desired sequence of computation is
$A-C-B \quad A-C-B \quad A-C-B \ldots A-C$
- We just rewrite it is

A C-B-A C-B-A C-B-A ... C

- Thus we take input outside of the loop once and then at the bottom of the loop body


## Program

## main_program\{

float nextmark, sum $=0$;
int count = 0;
cin >> nextmark; // A
while(nextmark >=0)\{
sum += nextmark; count++; cin >> nextmark; // copy of A!!
\}
cout << sum/count << endl;

## Time To Demo

## Remarks

- Often, we naturally think of flowcharts in which the repetition does not begin with a condition check. In such cases we must make a copy of the code, as we did in our example
- Also remember that the condition at the beginning of the while must say under what conditions we should enter the loop, not when we should get out of the loop. Write the condition accordingly
- Note that the condition can be specified as true, which is always true. This may seem puzzling, since it appears that the loop will never terminate. But this will be useful soon.


## Marks Averaging

Read marks of students from the keyboard and print the average

- Number of students not given explicitly
-Two cases

1. If a negative number is entered as marks, then it is-a signal that all marks have been entered

- Input: 98-96-1, Output: 97

2. No such artificial signal. In JEE we have several students who get negative marks :) followed by some who have positive marks

## Time To Demo

Key Idea:
while (cin >> nextNumber) \{
\}
The act of taking the next number will tell us whether we are going to have some data or not

## Algorithm For GCD (aka HCF)

- Greatest Common Divisor (GCD) of +ve integers m, n : largest positive integer $p$ that divides both $m, n$
- Standard method: factorize $m, n$ and multiply common factors
- Euclid's algorithm (2300 years old!) is different and much faster
- A program based on Euclid's method will be much faster than program based on factoring


## Euclid's Algorithm

Basic Observation: If d divides both $m, n$, then d divides $\mathrm{m}-\mathrm{n}$ also, assuming $\mathrm{m}>\mathrm{n}$
Proof: m=ad, n=bd, so m-n=(a-b)d
Converse is also true: If divides $m-n$ and $n$, then it divides m too
$\mathrm{m}, \mathrm{n}, \mathrm{m}-\mathrm{n}$ have the same common divisors
The largest divisor of $m, n$ is also the largest divisor of $m-n, n$
Observation: Instead of finding GCD(m,n), we might as well find GCD (n, m-n)

## Example

```
GCD(3977, 943)
=GCD(3977-943,943) = GCD(3034,943)
=GCD(3034-943,943) = GCD(2091,943)
=GCD(2091-943,943) = GCD(1148,943)
=GCD(1148-943,943) = GCD (205, 943)
```

We should realize at this point that 205 is just 3977 \% 943 (repeated subtraction is division)
So we could have got to this point just in one shot by writing $\operatorname{GCD}(3977,943)=\operatorname{GCD}(3977 \% 943,943)$

## Example

Should we guess that $\operatorname{GCD}(\mathrm{m}, \mathrm{n})=\operatorname{GCD}(\mathrm{m} \% \mathrm{n}, \mathrm{n})$ ?
This is not true if $\mathrm{m} \% \mathrm{n}=0$.
But we can save the situation, as Euclid did

Euclid's theorem: If $m>n>0$ are positive integers, then if $n$ divides $m$ then $\operatorname{GCD}(m, n)=n$. Otherwise $\operatorname{GCD}(m, n)=$ GCD (m\%n, n)

## Example Continued

```
GCD(3977,943)
= GCD(3977 % 943, 943)
= GCD (205, 943) = GCD (943,205) = GCD(205, 943%205)
= GCD (205,123) = GCD (205%123,123)
= GCD(82, 123) = GCD(82, 123%82)
= GCD (82, 41)
=41

\section*{Algorithm Our GCD Program}
input: values \(\mathrm{M}, \mathrm{N}\) which are stored in variables \(\mathrm{m}, \mathrm{n}\). iteration : Either discover the GCD of M, N, or find smaller numbers whose GCD is same as GCD of \(M, N\)

Details of an iteration:
At the beginning we have numbers stored in \(\mathrm{m}, \mathrm{n}\), whose GCD is the same as GCD (M,N).
If \(n\) divides \(m\), then we declare \(n\) to be the GCD.
If \(n\) does not divide \(m\), then we know that \(\operatorname{GCD}(\mathrm{M}, \mathrm{N})=\) GCD(n, m\%n)
So we have smaller numbers \(n, m \% n\), whose GCD is same as GCD (M,N)

\section*{Program For GCD}

\section*{main_program\{}
```

    int m, n; cin >> m >> n;
    ```
    while( \(\mathrm{m} \% \mathrm{n}\) ! \(=0\) ) \{
        int nextm = n;
        int nextn = m \% n;
        \(\mathrm{m}=\) nextm;
        \(\mathrm{n}=\) nextn;
    \}
    cout << n << endl;

\section*{Remark}

We have defined variables nextm, nextn for clarity
We could have done the assignment with just one variable as follows
- int \(\mathrm{r}=\mathrm{m} \% \mathrm{n} ; \mathrm{m}=\mathrm{n} ; \mathrm{n}=\mathrm{r}\);

It should be intuitively clear that in writing the program, we have followed the idea from Euclid's theorem. However, having written the program, we should check this again

\section*{Time for Demo}```

