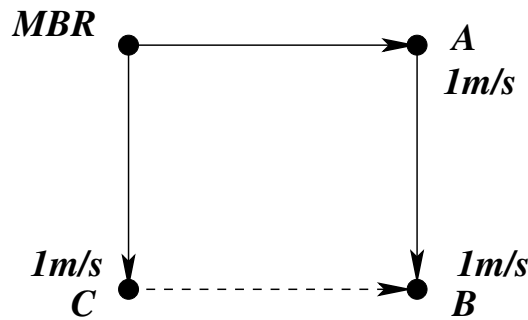


## Head-Loss Calculations

**Question:** Gudwanwadi, of population 400, is to be served by a piped water supply scheme which will provide 40 liters per person per day. The supply is to come from a source 10km away from a tank which is about 20m above Gudwanwadi. The supply comes in a pipe with cross-section 20 sq.cm. The head-loss in this pipe is roughly 2m per km. per meter/sec of velocity of water through the pipe. If the water to Gudwanwadi is to be delivered in 6hrs, what is the head available at Gudwanwadi?

**Answer** The desired water is  $40 \times 400 \times 1000 = 16 \times 10^6$  cu.cm. This has to be achieved in 6hours =  $6 \times 3600 = 21600$  seconds. Thus the volume flow is  $16 \times 10^6 / 21600 = 740.74$  cu.cm/s. Thus the velocity in the pipe is  $740.74 / 20 = 37.04$  cm/s, i.e.,  $0.38$  m/s. Thus the head-loss is  $0.38 \times 2 \times 10 = 7.6$  m. Thus, the net head available at Gudwanwadi is  $20 - 7.6 = 12.4$  m.

Here is another problem. Consider the towns A,B,C served by an MBR. Assume that all head-loss coefficients are 1, the demand is at 1m/s, and that the distance between the towns is 10km.



Without the link  $CB$ , we see that the flows in  $MBR-A$  is  $2$  m/s, while all others have a flow of  $1$  m/s. Thus the head loss at  $A$  is  $20$ , at  $B$  is  $30$  and at  $C$  is  $10$ . However, if we add the link  $CB$ , we see that the head-loss at  $A$  and  $C$  become  $15$ , and at  $B$ , it becomes  $20$ . Perhaps, this may be more acceptable than raising the  $MBR$ .