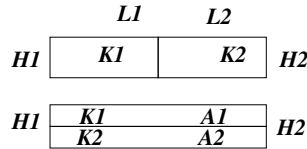


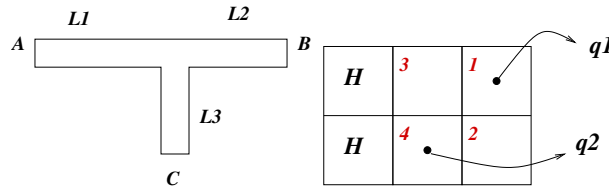
TD 603- Tutorial 3

- Examine the figures below of soil columns being held at heads H_1 and H_2 with $H_1 > H_2$. In the first *series* case, there is a common cross-section A , however, the lengths are L_1 and L_2 . What is the net flow? What is the head at the junction? In the second case, there is a common length L , while the cross-section areas are A_1 and A_2 . What is the net flow? What is the flow through each individual column? Define a suitable version of equivalent conductance and compute it for either case.

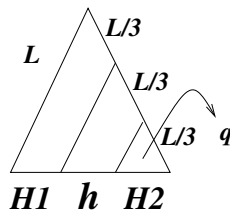


- Consider a T-shaped pipe of cross-section a and lengths L_1, L_2, L_3 as shown and filled with a soil of conductivity K . Points A, B, C are the end-points with heads h_A, h_B, h_C and flows (into it) as q_A, q_B, q_C . Assume that a is small w.r.t L_i 's. Compute the relationships between the 6 quantities above.

Solve the system when h_A, h_B and q_C are known. If the customer must pay for the water that she extracts at C , what fraction of her payment should go to A , and to B ?



- Consider a rectangular grid as shown above and as done in class. The boundary of the grid are the two left-most cells with a known head H but with unknown inflows. The other cells have known inflows/extractions, viz. q_1 and q_2 for the cells shown and zero otherwise. Farmer in Cell 1 is proposing building a barrier between Cells 1 and 2. Please advise under what conditions is this useful.
- A soil-box is of depth D and has the shape of an equilateral triangle of length L . One side of the triangle is held at H_1 and a corner is held at H_2 , with $H_1 > H_2$. There is a drain in the that corner. Our objective is to compute the flow q . For that purpose, we approximate the triangle as being made of three boxes in series as shown in the figure. Use this to estimate the flow q . Suppose that while H_1 was fixed, H_2 was not and q was known. Can H_2 and h be computed?



- Use the above to simulate the drop in head due to the operation of a well which is D meters deep and used to extract Q cu.m./day. Assume that the head at a distance L away from the well is H_1 .
- Consider a tube of length L and cross-section $A(x)$ which is a function of x , where $0 \leq x \leq L$. If either ends of the tube are held at H_1 and H_2 , find the intermediate values of head $h(x)$ at distance x . Solve this when $A(x) = 3 - x$ and $0 \leq x \leq 2$.
- Consider the apparatus shown in Lecture 3c where a tube is being held at heads H_1 and H_2 . If the tubes which hold the water have cross-section a , compute the height in the first column $H_1(t)$ as a function of time.